

# Neutron Lifetime Experiments

The logo for the UCNτ experiment, featuring the text "UCNτ" in a blue, sans-serif font. A thick red curved line arches underneath the text, resembling a smile or a stylized underline. The logo is positioned on the right side of the slide, overlaid on the background image of the neutron trap.

UCN $\tau$

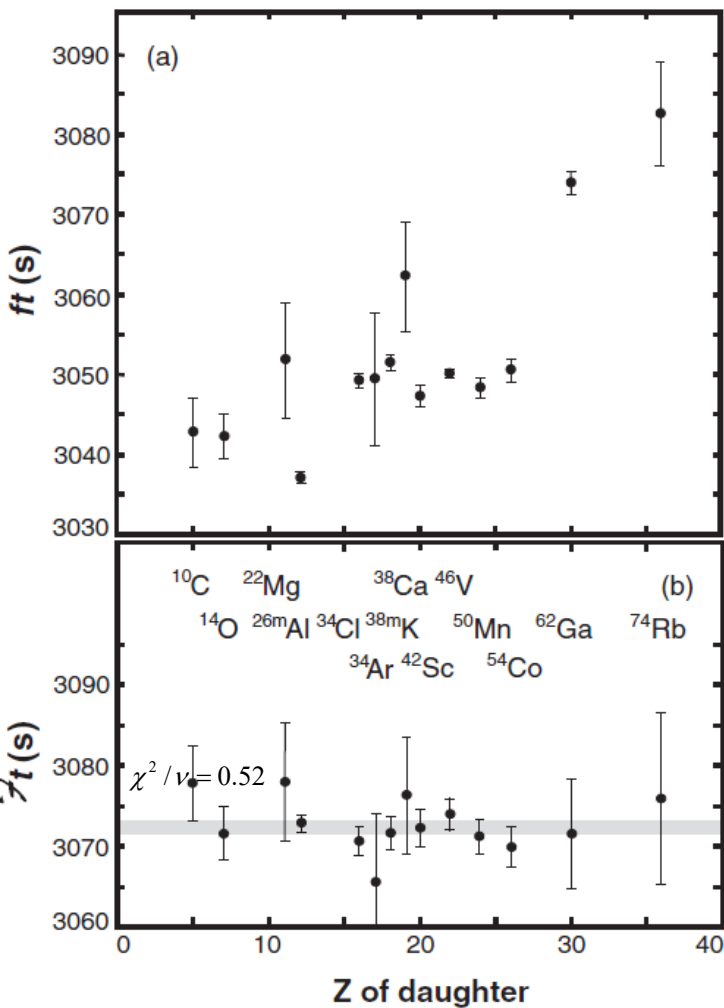
Chen-Yu Liu  
Indiana University

November 2, 2018  
Beta Decay as a Probe of New Physics  
ACFI, Amherst, MA

Slides from V. Ezhov, N. Fomin, K. Mishima,  
A. Serebrov, Z. Wang, O. Zimmer

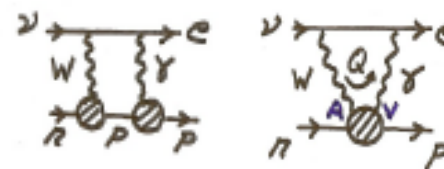


# $V_{ud}$ from Superallowed $0^+ \rightarrow 0^+$ Decays



$$\mathcal{F}t \equiv ft(1 + \delta'_R)(1 + \underbrace{\delta_{\text{NS}} - \delta_C}_{0.5\% - 1.2\%}) = \frac{K}{2G_V^2(1 + \Delta_R^V)} = \frac{K}{2G_F^2(1 + 2.361(38)\%)} = G_V = G_F \cdot V_{ud}$$

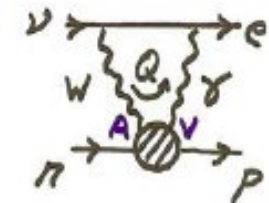
$\sim 1.5\%$  (under  $\delta'_R$ )  
 $0.5\% - 1.2\%$  (under  $\delta_{\text{NS}} - \delta_C$ )  
 $2.361(38)\%$  (under  $\Delta_R^V$ )



# $V_{ud}$ from neutron decays

f: Phase space factor=1.6886  
(Fermi function, nuclear mass, size,  
recoil)

$$1/\tau_n = f G_F^2 |V_{ud}|^2 m_e^5 (1+3g_A^2) (1+RC) / 2\pi^3$$



$$RC = \frac{\alpha}{4\pi} \int_0^\infty dQ \frac{m_W^2}{Q^2 + m_W^2} F(Q^2)$$

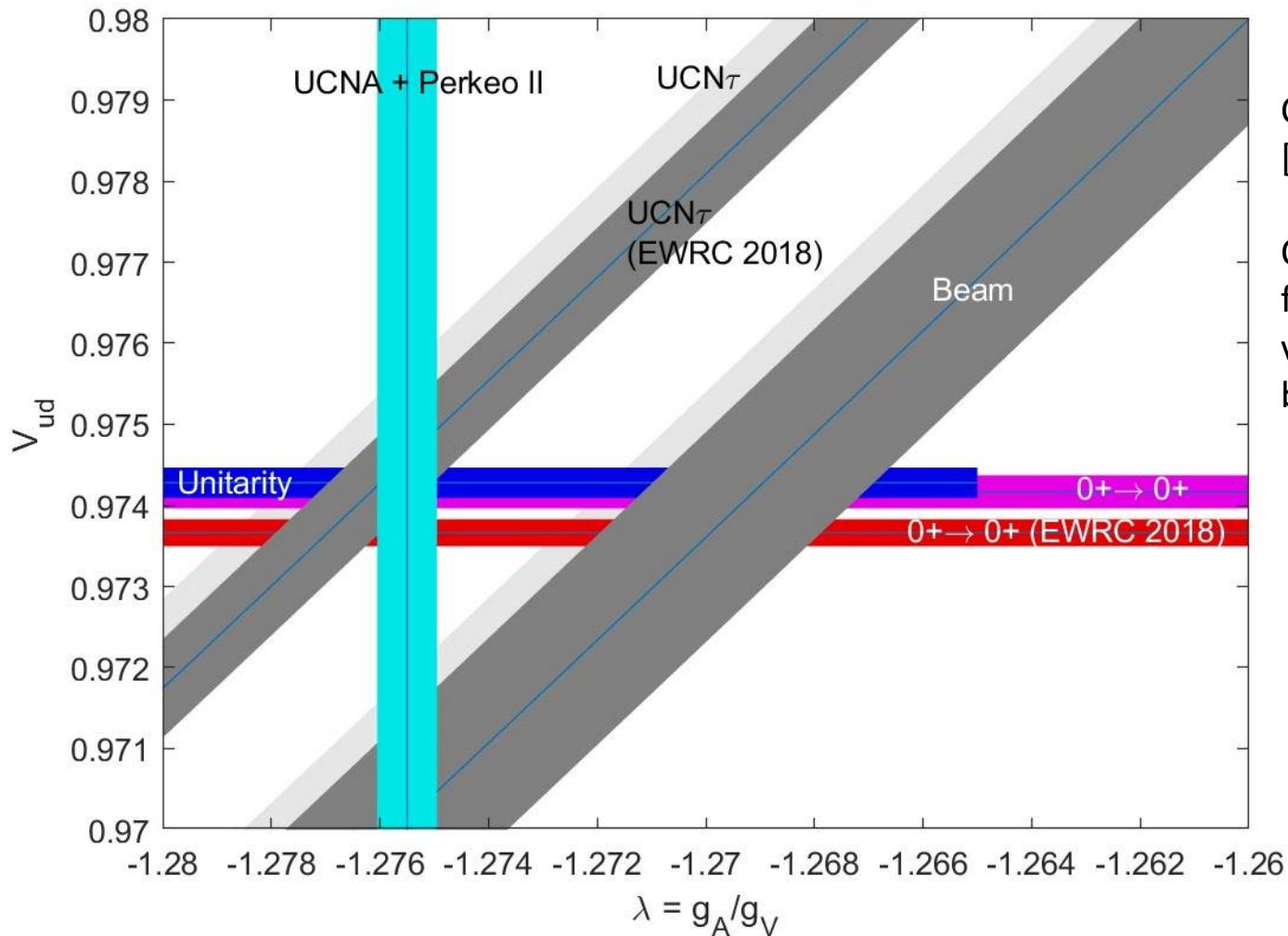
From  $\mu$ -decay: 0.6 ppm (MuLan 2011)



$$|V_{ud}|^2 = \frac{4908.7 \pm 1.9s}{\tau_n (g_V + 3g_A^2)}$$

To match the theoretical uncertainty:  $4 \times 10^{-4}$ , it requires experimental uncertainties of:  $\Delta A/A = 4\Delta\lambda/\lambda < 2 \times 10^{-3}$  and  $\Delta\tau/\tau = 4 \times 10^{-4}$ .

# The confusing situation of $V_{ud}$



Czarnecki, arXiv:1802.01804 [hep-ph] (2018)

Cross-comparisons of  $V_{ud}$  favors the neutron lifetime value measured by the bottle experiments.

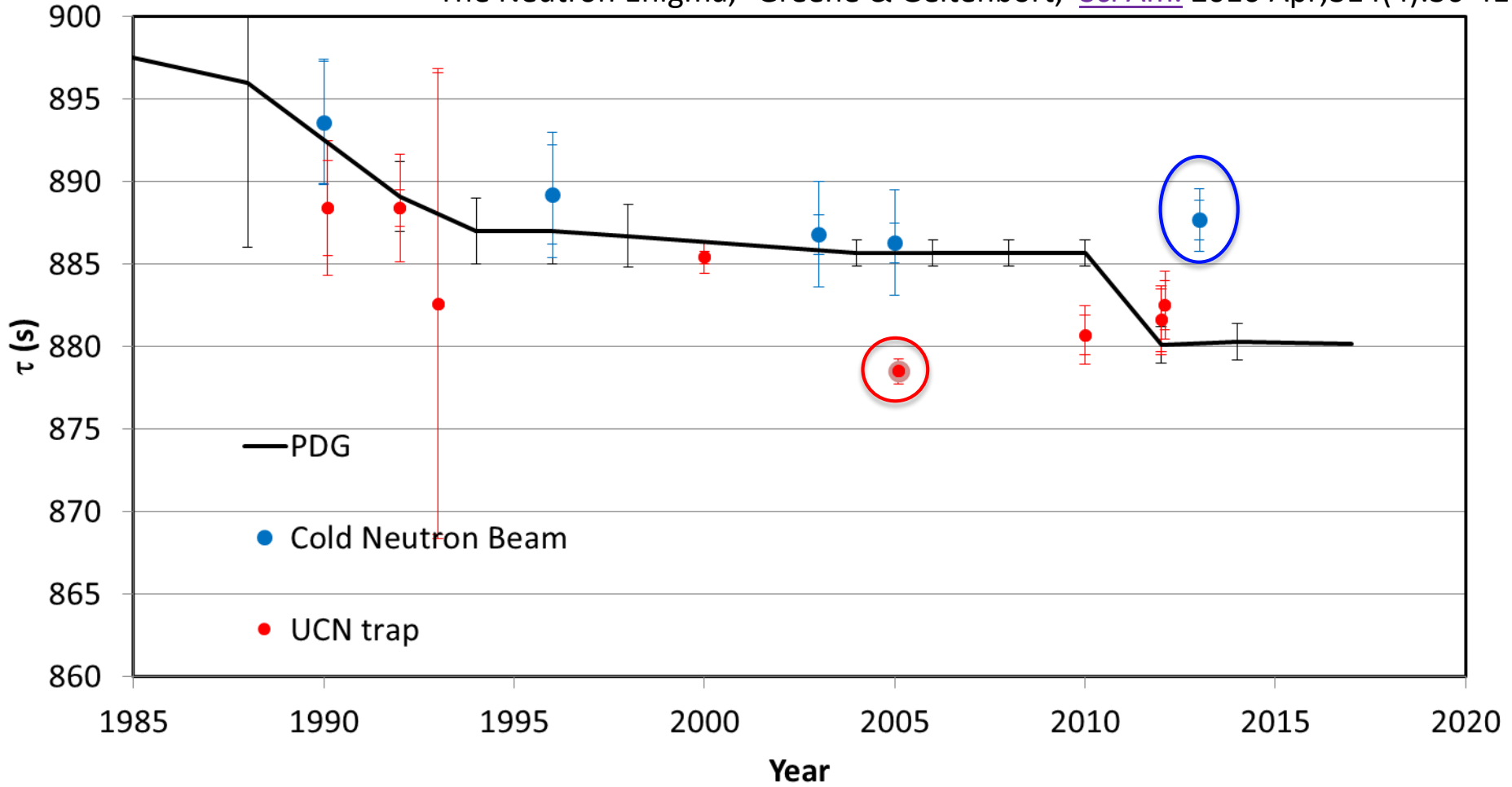
An updated EWRC gives an  $3.6 \sigma$  discrepancy between the  $V_{ud}$  derived from the unitarity condition and the direct measurements from superallowed nuclear decays.

Seng, Gorchtein, Patel, Ramsey-Musolf, arXiv:1807.10197 [hep-ph]



# History of $\tau_n$ measurements: a new discrepancy!

“The Neutron Enigma,” Greene & Geltenbort, [Sci Am.](#) 2016 Apr;314(4):36-41



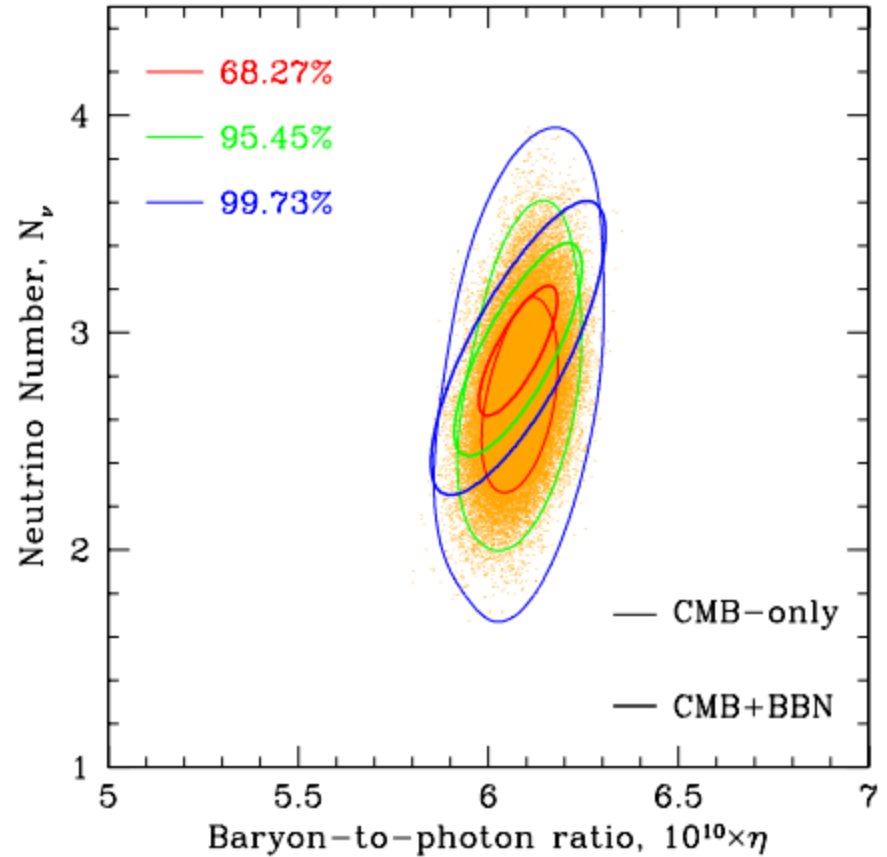
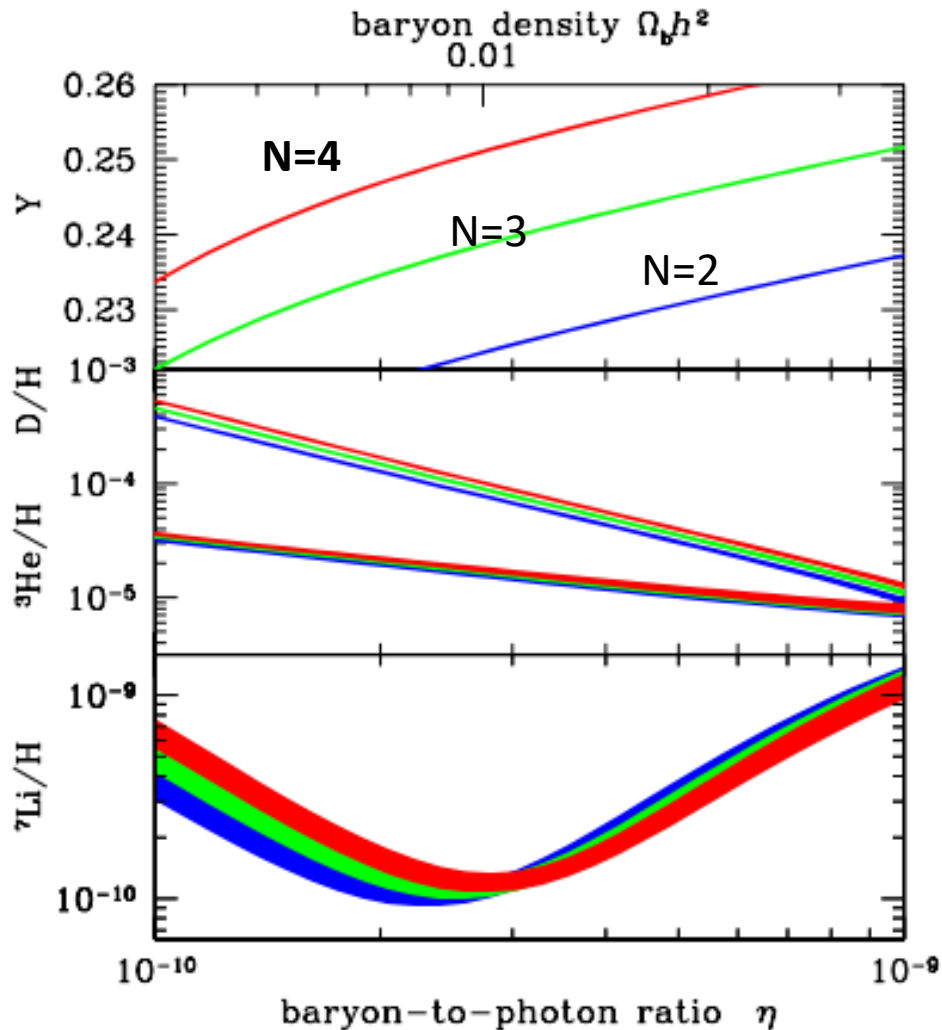
Most precise Beam:  $\tau_n = 887.1 \pm 2.2$  s

Yue et al., Phys. Rev. Lett. 111, 222501 (2013)

Most precise Bottle:  $\tau_n = 878.5 \pm 0.8$  s



# Big Bang Nucleosynthesis (BBN): Neutron lifetime & the primordial $^4\text{He}$ abundance ( $Y_p$ )

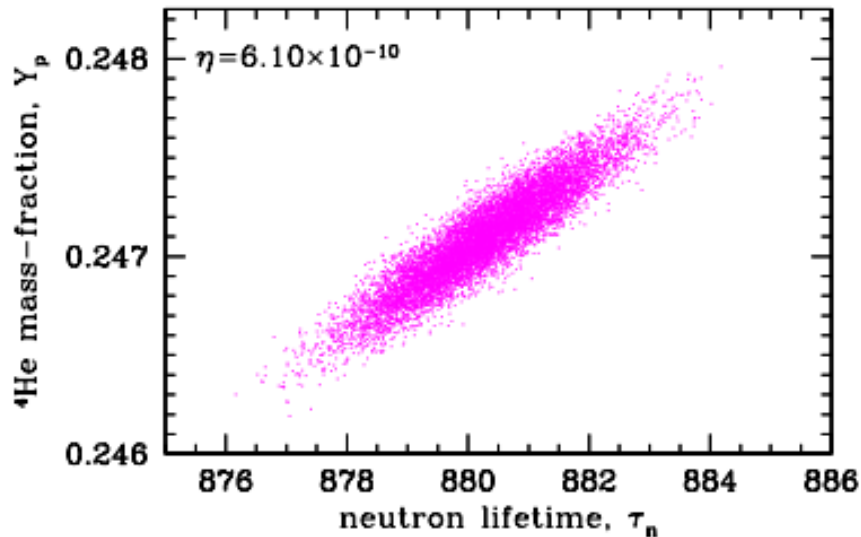


R. H. Cyburt, B.D. Fields, K.A. Olive, T-H Yeh,  
Rev. Mod. Phys. 88, 015004 (2016)

# Big Bang Nucleosynthesis (BBN): Neutron lifetime & the primordial $^4\text{He}$ abundance ( $Y_p$ )

$$Y_p \sim \frac{2e^{-t_d/\tau_n}}{1 + e^{\Delta m/kT_f}}$$

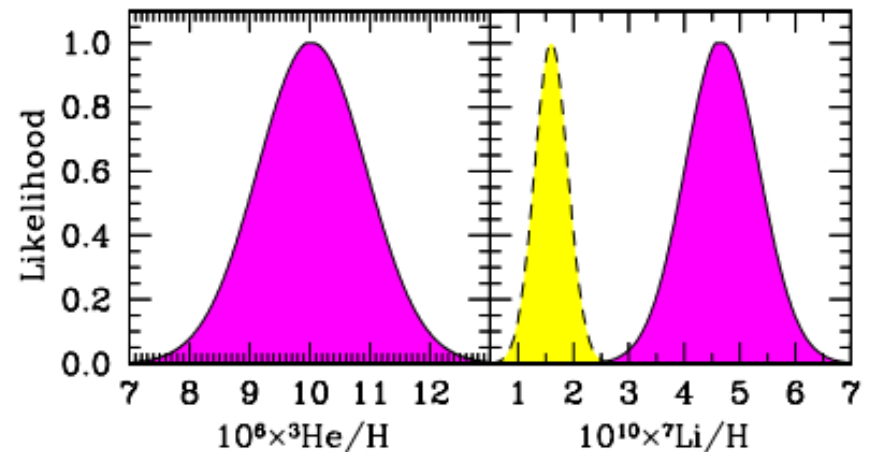
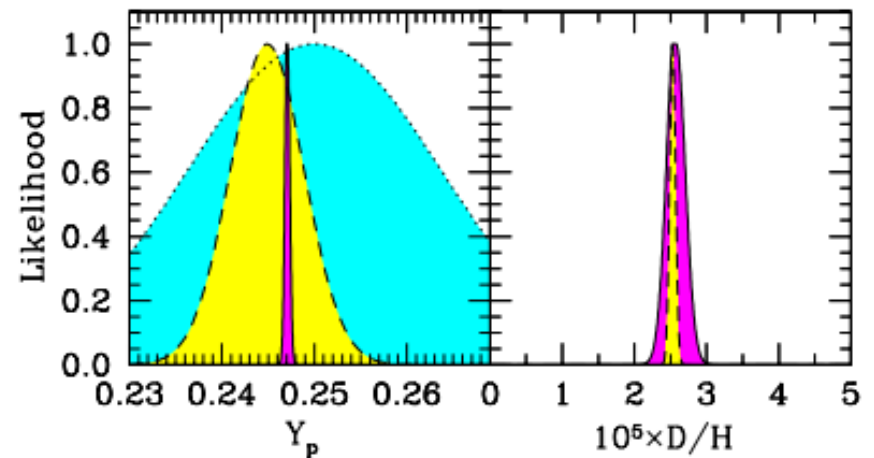
Sensitive to  $\tau_n$



-R. H. Cyburt, B.D. Fields, K.A. Olive, T-H Yeh,  
Rev. Mod. Phys. 88, 015004 (2016)

-L. Salvati *et al.* JCAP 1603 (2016) no.03, 055

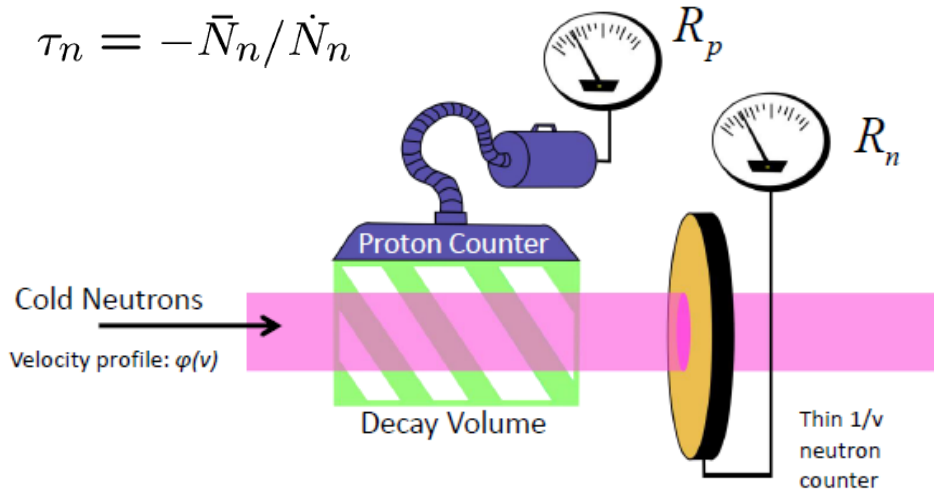
BBN CMB  
Astrophysical Observations



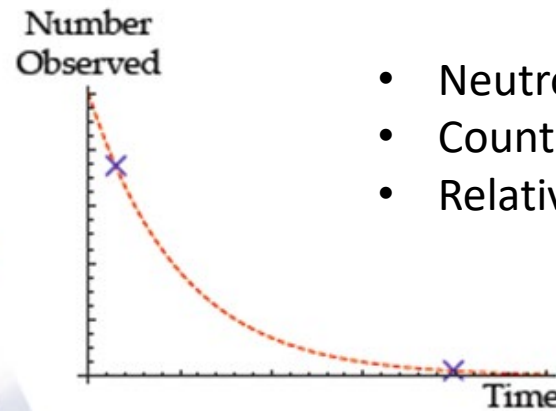
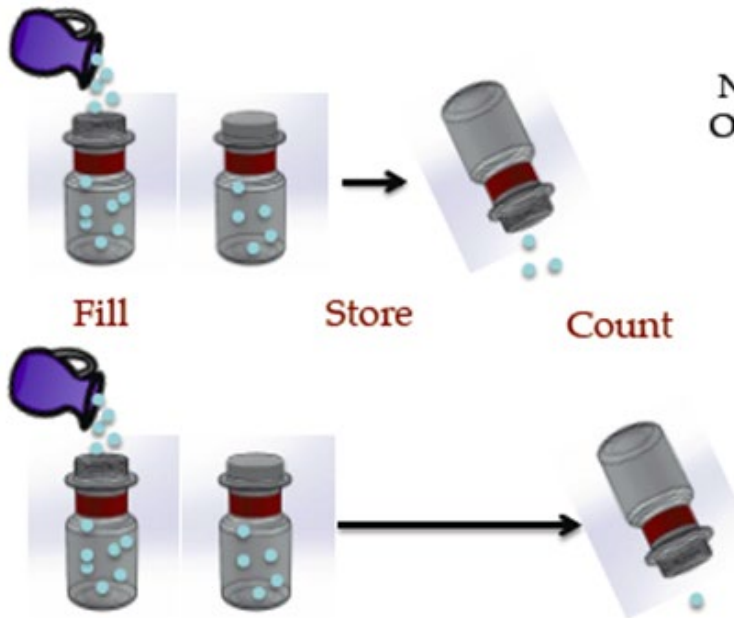


# Beam vs Bottle: Appearance vs Disappearance

$$\tau_n = -\bar{N}_n / \dot{N}_n$$



- Neutrons decay in flight
- Counts decay charge particles (e or p)
- Absolute efficiency required.

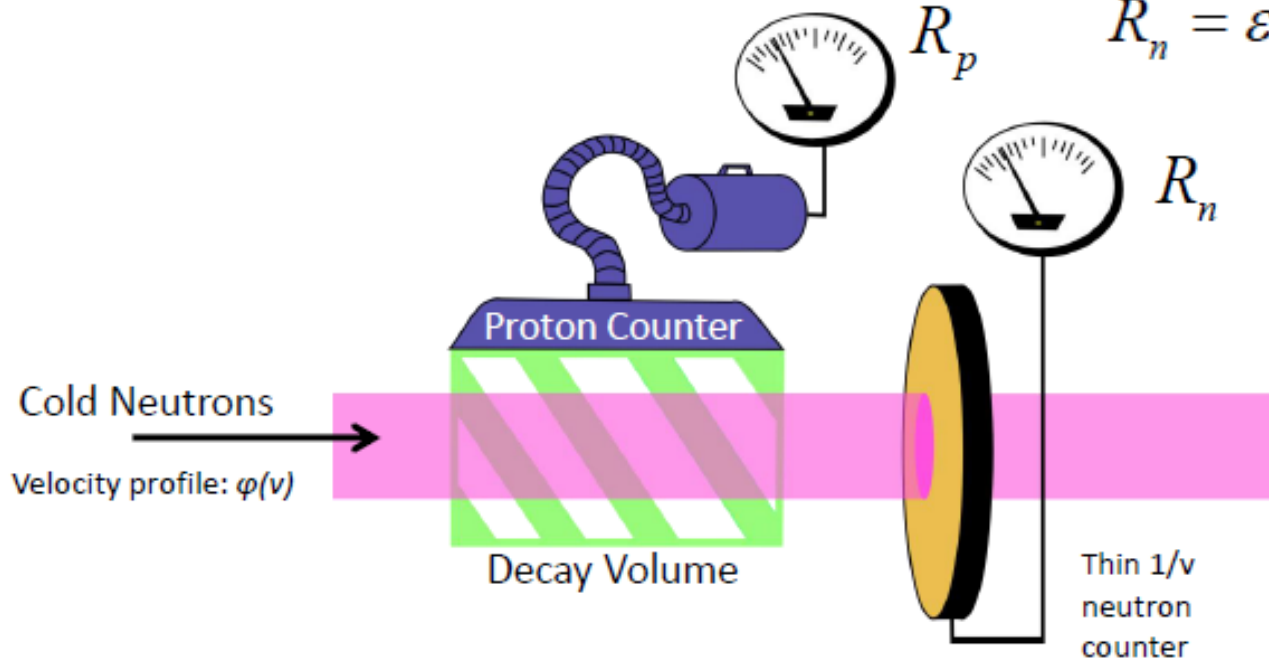


- Neutrons decay in bottle
- Counts surviving neutrons
- Relative measurement

# 1. The Beam Method

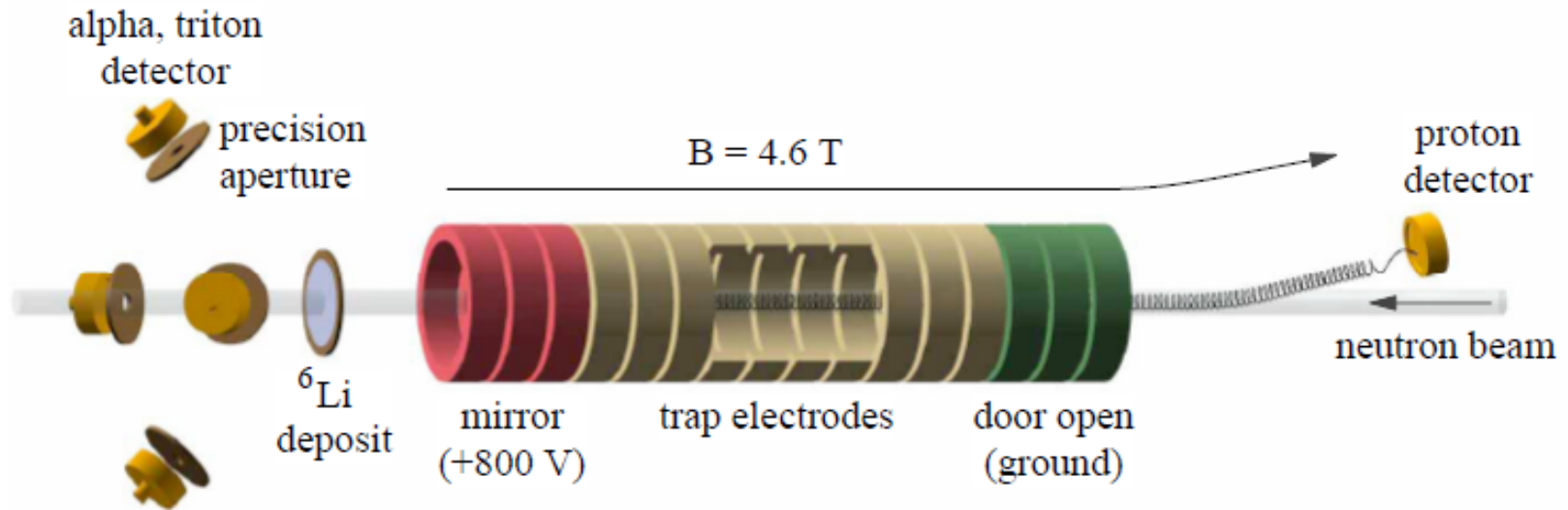
$$R_p = \varepsilon_p \frac{A_{beam} L_{det}}{\tau_n} \int \frac{\varphi(v)}{v} dv$$

$$R_n = \varepsilon_{th} A_{beam} v_{th} \int \frac{\varphi(v)}{v} dv$$



$$\tau_n = \frac{R_n \varepsilon_p L_{det}}{R_p \varepsilon_{th} v_{th}}$$

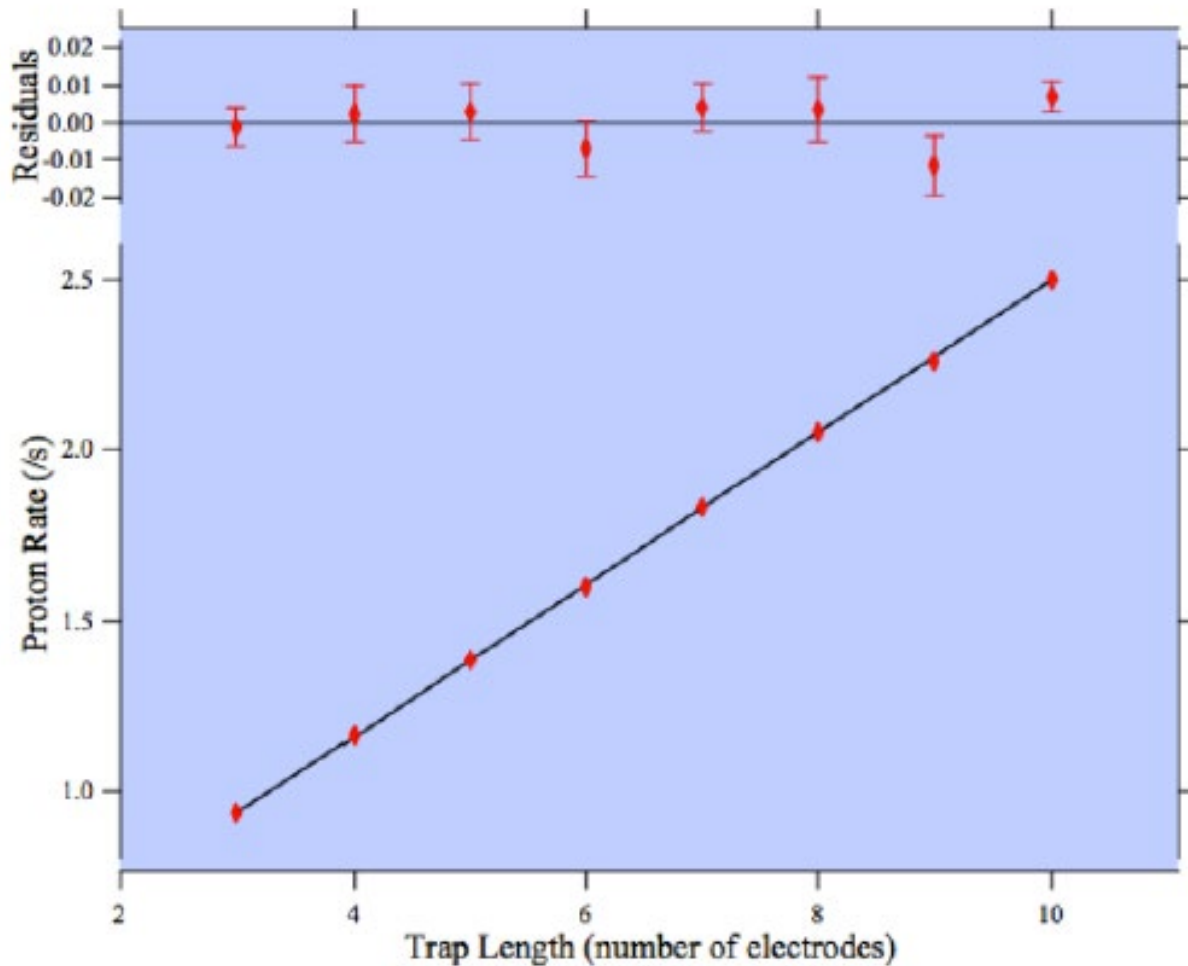
# The best beam experiment is at NIST



- Cold neutron beam, collimated to 2 mm (BL2)  $\rightarrow$  30mm (BL3).
- A quasi-penning trap electrostatically traps beta-decay protons. When the door electrodes are set to ground, the protons are guided by a B field to an external detector (surface barrier Si detector).
- Neutron monitor measures the incident neutron flux by counting  $n+{}^6\text{Li} \rightarrow \alpha+t$ .



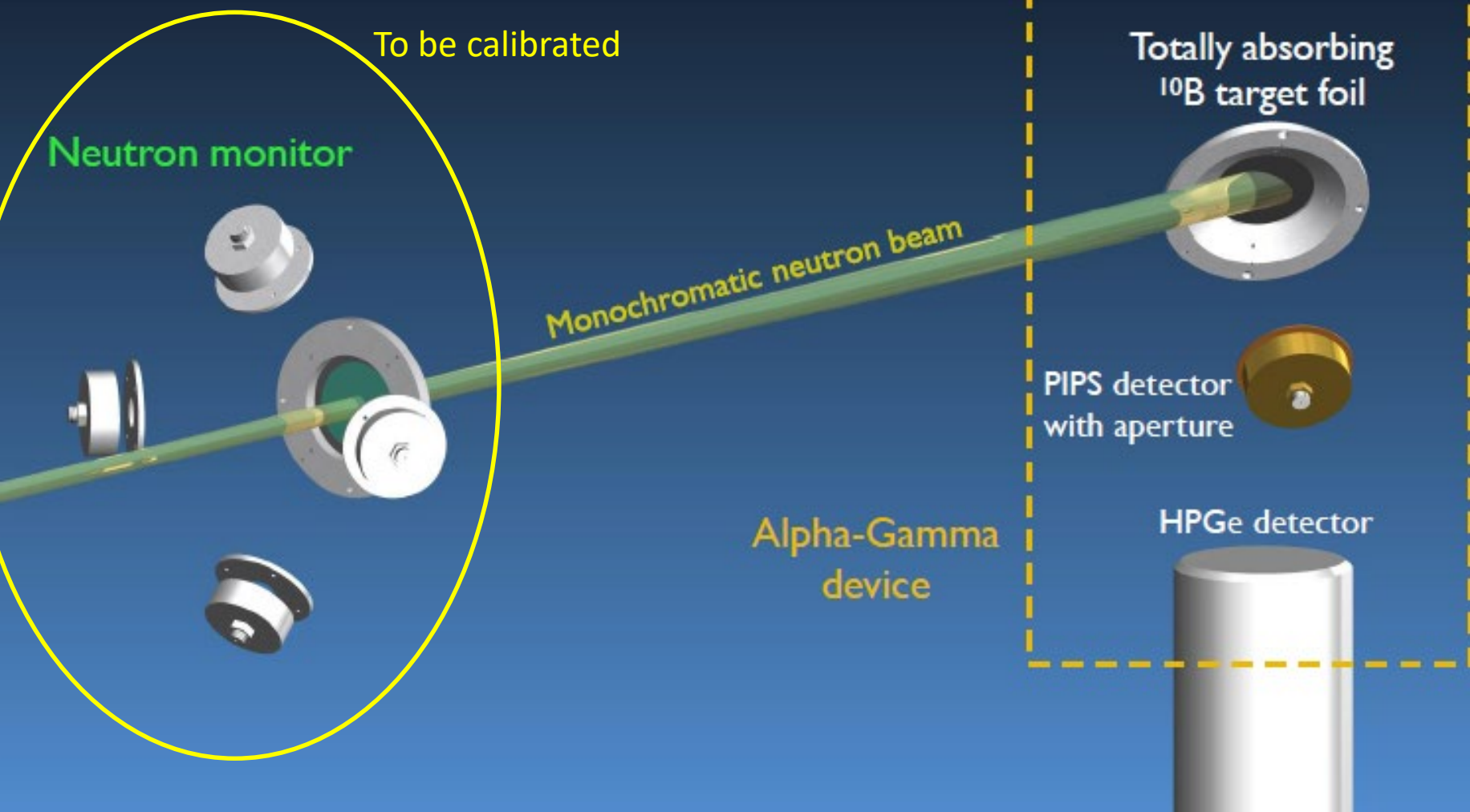
$$\dot{N}_p = \dot{N}_{\alpha+t} \left( \frac{L}{\tau_n} \right) \frac{\epsilon_p}{\epsilon_0 v_0}$$



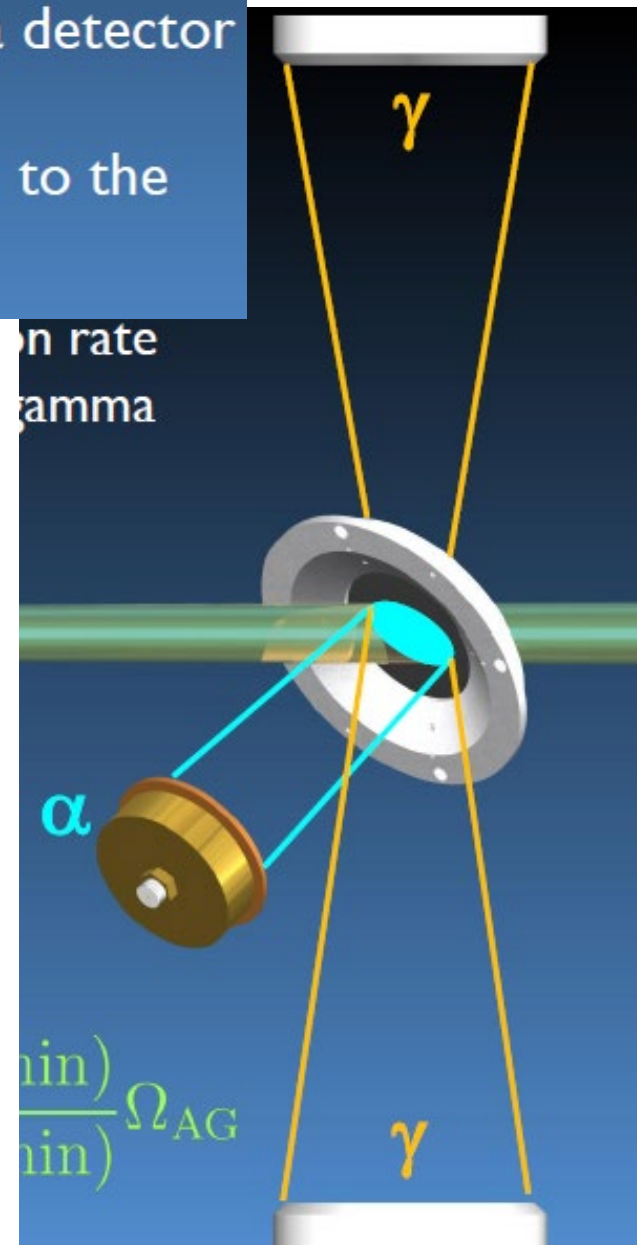
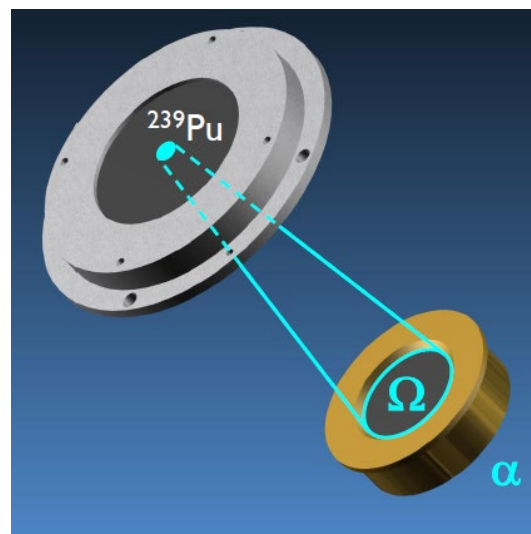
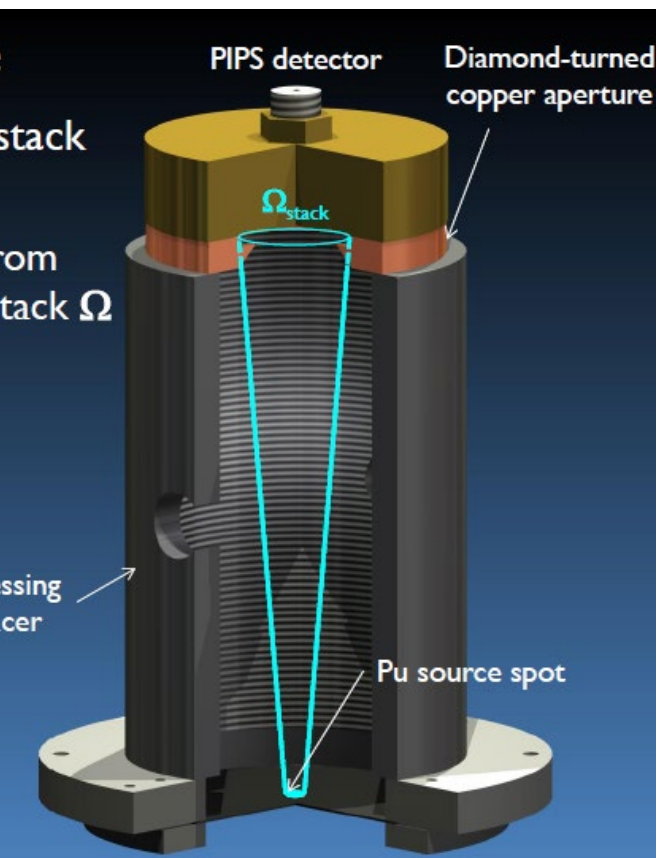
# The Alpha-Gamma device

Andrew Yue, UT Ph.D. thesis (2013), Advisor: Geoff Greene

$R_n$  determined by absolute  $\gamma$  counting  
from  $^{10}\text{B}(n,\gamma)^7\text{Li}$  reaction



- 1 Measure the absolute activity of an alpha source
- 2 Use this source to determine solid angle of alpha detector
- 3 Use an  $(n,\alpha\gamma)$  reaction to transfer the calibration to the gamma detectors



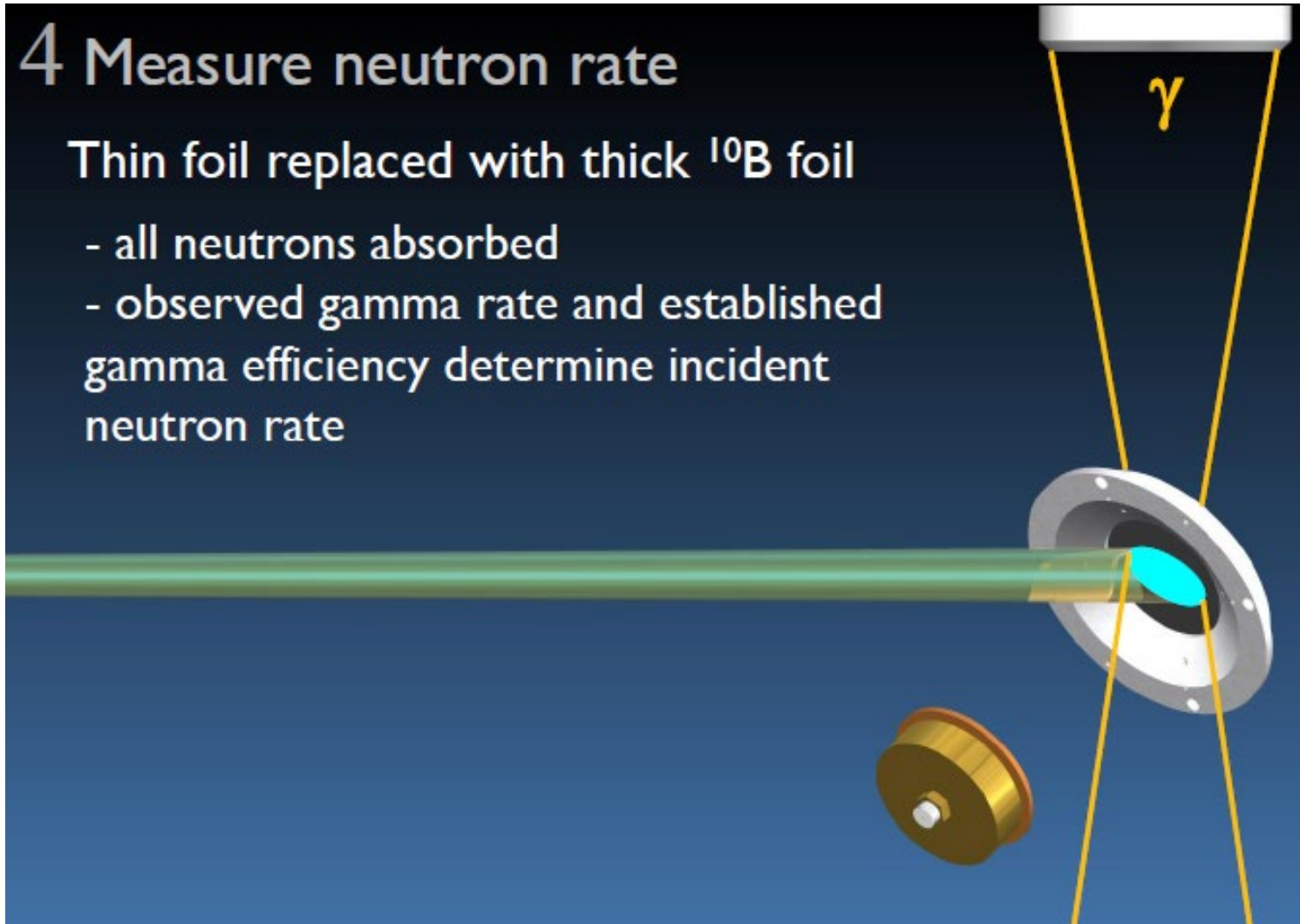
$$\frac{\text{min})}{\text{min})} \Omega_{AG}$$



## 4 Measure neutron rate

Thin foil replaced with thick  $^{10}\text{B}$  foil

- all neutrons absorbed
- observed gamma rate and established gamma efficiency determine incident neutron rate



$886.3 \pm 1.2$  [stat]  $\pm 3.4$  [sys] seconds Nico et al 2005

$887.7 \pm 1.2$  [stat]  $\pm 1.9$  [sys] seconds Yue et al 2013

## Systematic Effects for the NIST Beam Lifetime (BL) Experiments

Source of uncertainty	BL1 [s]	BL2 projected [s]	BL3 projected [s]
Neutron flux monitor efficiency	2.7	0.5	0.2
Absorption of neutrons by $^6\text{Li}$	0.8	0.1	< 0.1
Neutron beam profile and detector solid angle	0.1	0.1	< 0.1
Neutron beam profile and $^6\text{Li}$ deposit shape	0.1	0.1	< 0.1
Neutron beam halo	1.0	0.1	< 0.1
Absorption of neutrons by Si substrate	0.1	0.1	< 0.1
Scattering of neutrons by Si substrate	0.5	0.1	< 0.1
Trap nonlinearity	0.8	0.2	0.1
Proton backscatter calculation	0.4	0.4	< 0.1
Neutron counting dead time	0.1	0.1	< 0.1
Proton counting statistics	1.2	0.6	< 0.1
Neutron counting statistics	0.1	0.1	< 0.1
Total	3.4	1	0.3

BL1:  $886.3 \pm 1.2$  [stat]  $\pm 3.4$  [sys] seconds Nico et al 2005

BL1:  $887.7 \pm 1.2$  [stat]  $\pm 1.9$  [sys] seconds Yue et al 2013 (improved n monitor)

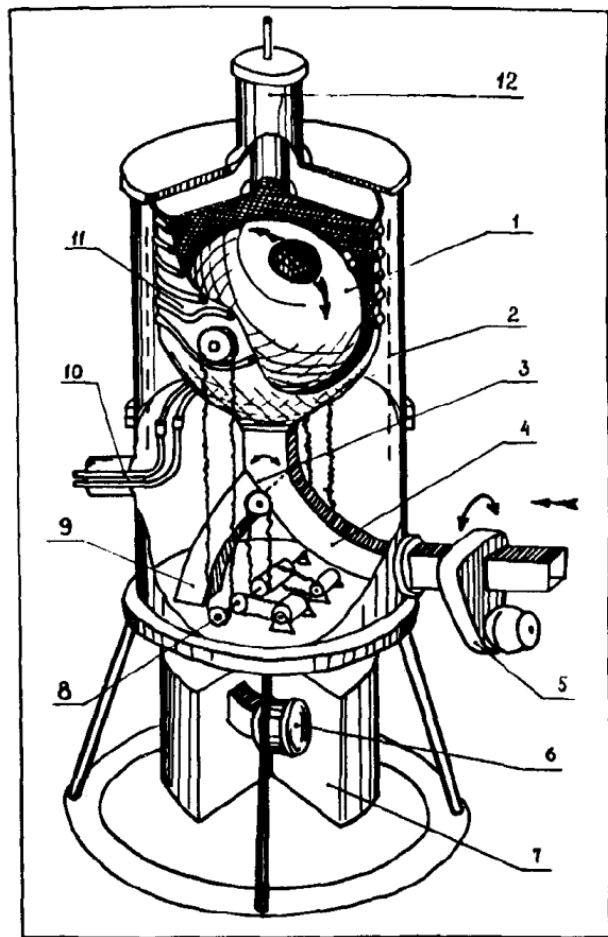
BL2: on-going data-taking; expect to finish in 2019.

## 2. The Bottle Method

# Experiment with Gravitational trap for UCN (PNPI, Gatchina)

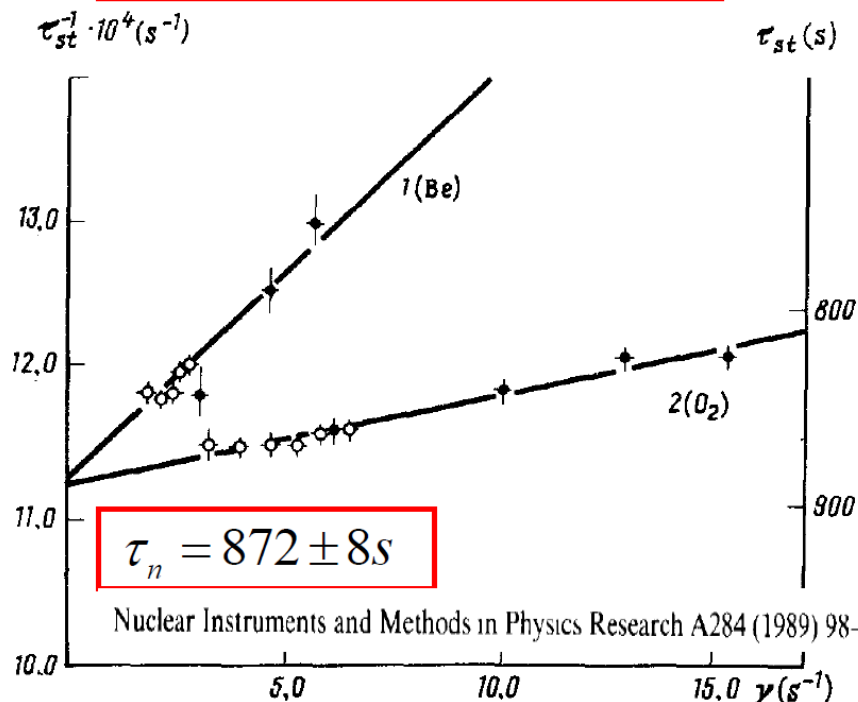
Pis'ma Zh. Eksp. Teor. Fiz. **52**, No. 7, 984–989 (10 October 1990)

V. P. Alfimenkov,<sup>1)</sup> V. E. Varlamov, A. V. Vasil'ev, V. P. Gudkov,  
V. I. Lushchikov,<sup>1)</sup> V. V. Nesvizhevskii, A. P. Serebrov, A. V. Strelkov,<sup>1)</sup>  
S. O. Sumbaev, R. R. Tal'daev, A. G. Kharitonov, and V. N. Shvetsov<sup>1)</sup>



5 liters

$$\tau_n = 888.4 \pm 2.9 \text{ s.}$$



Nuclear Instruments and Methods in Physics Research A284 (1989) 98–100

FIG. 2. Results of the measurements of  $\tau_{st}^{-1}$  versus the calculation parameter  $\gamma$ . 1(Be)—Extrapolation to the neutron lifetime according to data from traps with a beryllium coating; 2(O<sub>2</sub>)—extrapolation to the neutron lifetime according to data for traps with an oxygen coating and a beryllium sublayer. ○—Results for a spherical trap; ●—results for a cylindrical trap.

FIG. 1. 1—Trap for confining ultracold neutrons; 2—liquid-nitrogen screen; 3—distribution valve; 4, 9— inlet and outlet guides for ultracold neutrons; 5—inlet valve; 6—detector; 7—detector shielding; 8—valve and trap drive mechanism; 10—cryogenic conductors; 11—volume held at cryogenic temperature; 12—lock for the coating-freezing system.



# The Gravitrap Experiment

## *Gravitrap experiment*

A.Serebrov et al. , Phys Lett B 605, (2005) 72-78 :

**878.5 ± 0.8 s**

*2002-2004 (PNPI-JINR-ILL), ILL reactor,  
Grenoble*



PHYSICAL REVIEW C 78, 035505 (2008)

A. P. SEREBROV *et al.*

7 liters

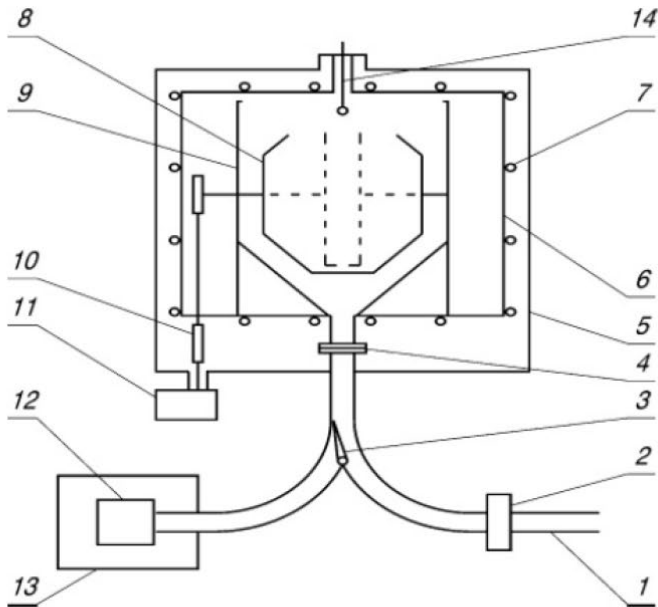


FIG. 1. Schematic of the gravitational UCN storage system: 1—input neutron guide for UCN, 2—inlet valve, 3—selector valve (shown in the position in which the trap is being filled with neutrons), 4—foil unit, 5—vacuum volume, 6—separate vacuum volume of the cryostat, 7—cooling system for the thermal shields, 8—UCN storage trap (with the dashed lines depicting a narrow cylindrical trap), 9—cryostat, 10—trap rotation drive, 11—step motor, 12—UCN detector, 13—detector shield, and 14—vaporizer.

# Measurements of neutron lifetime with Large Gravitational Trap

PNPI - ILL - RAL collaboration

1538 liters

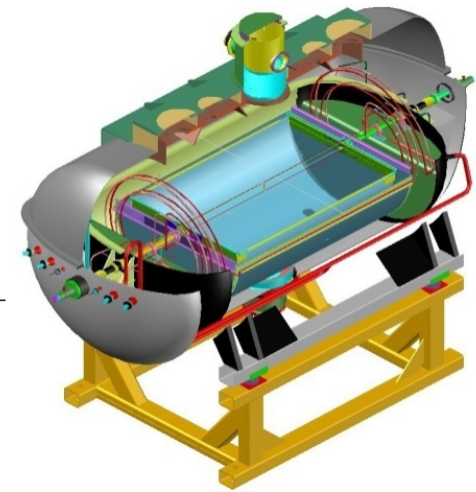
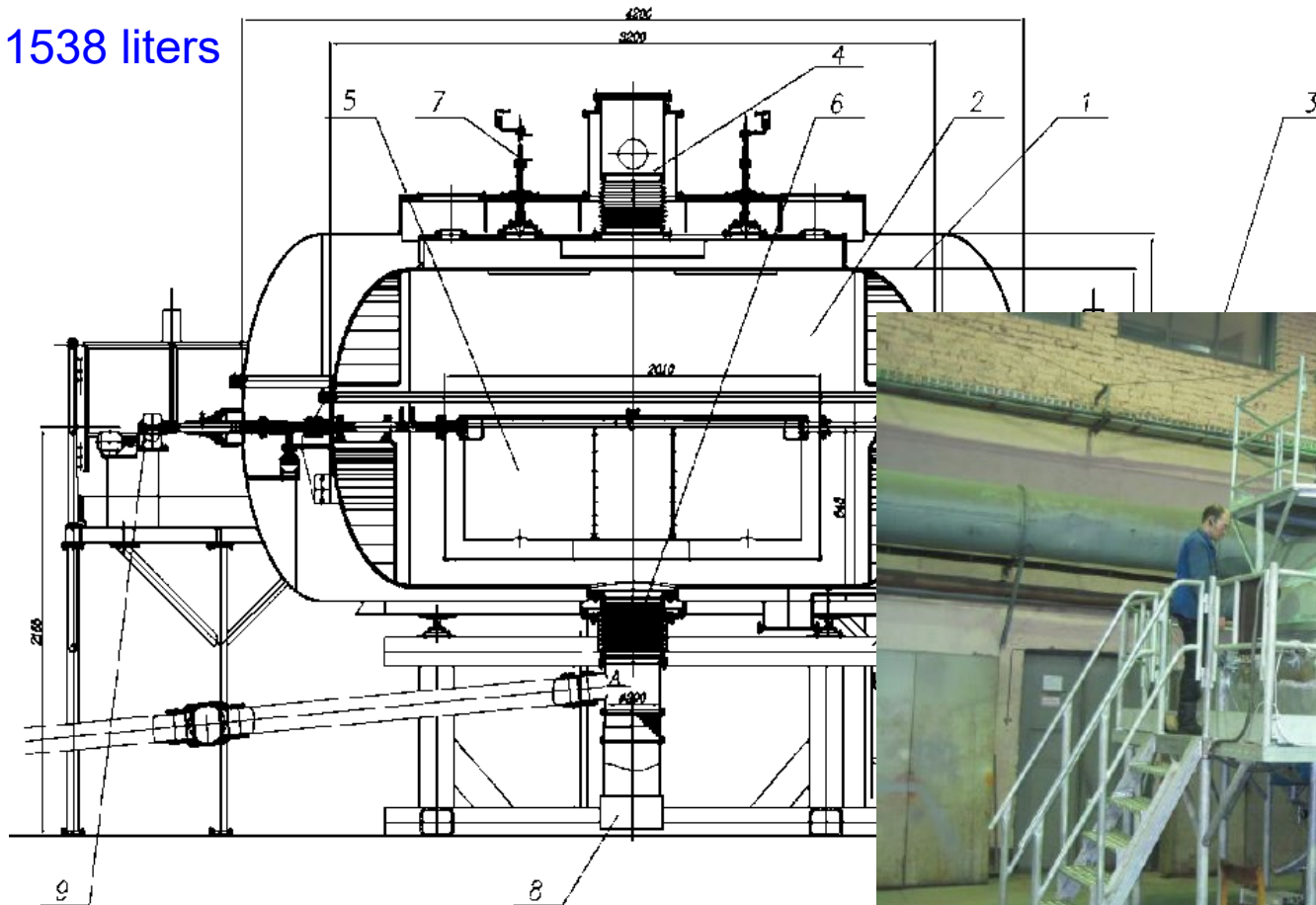
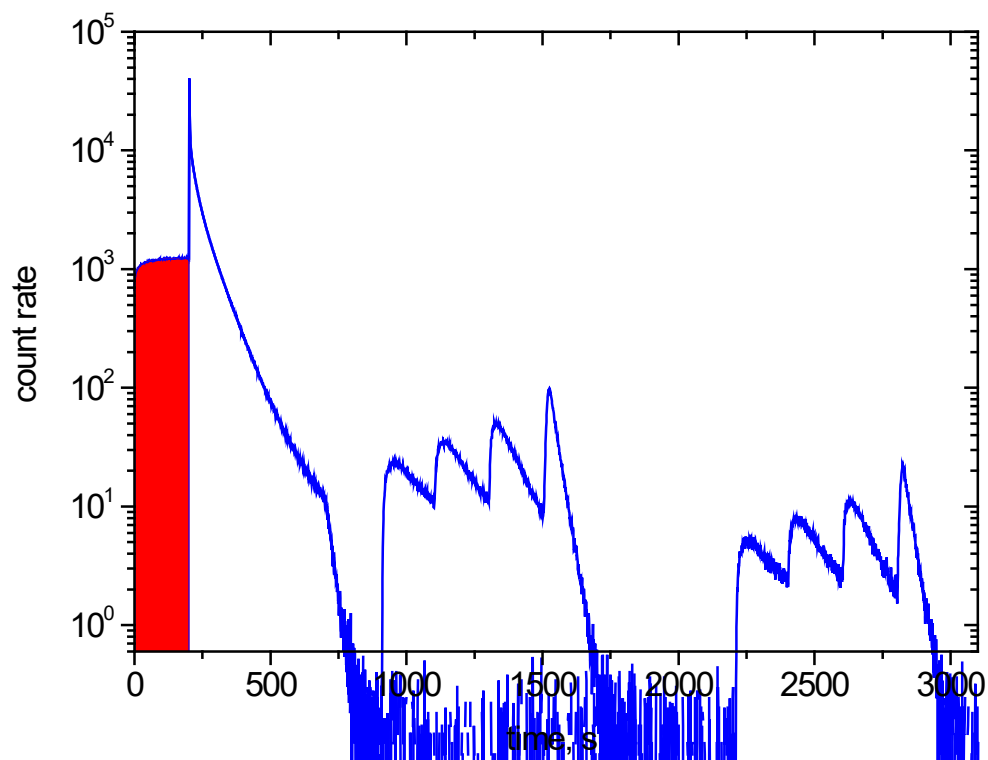
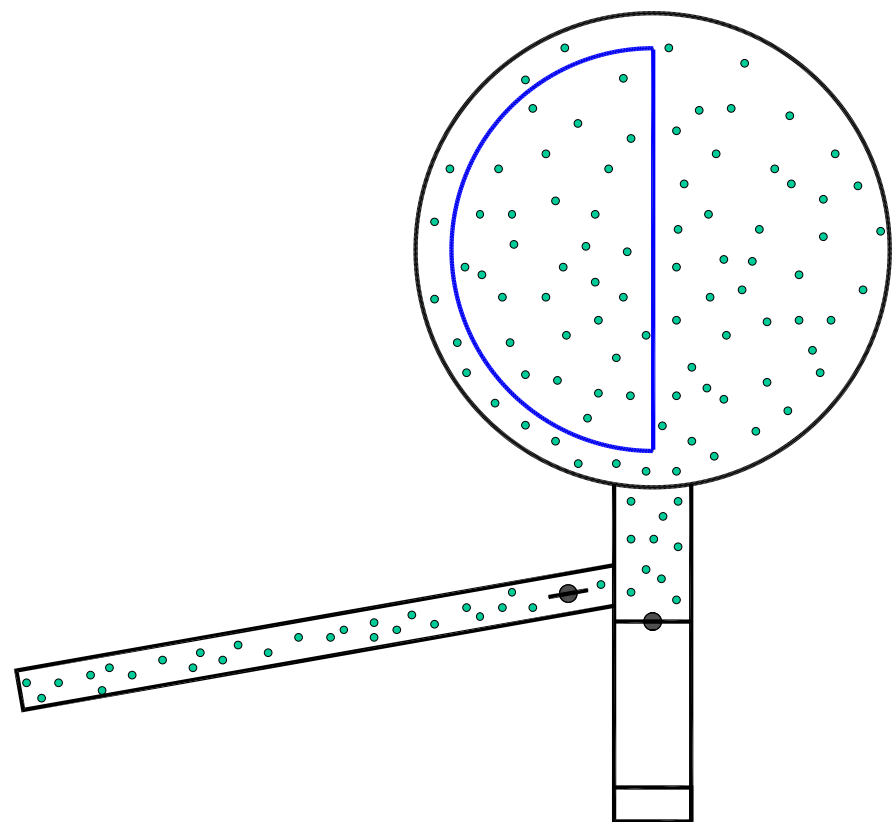
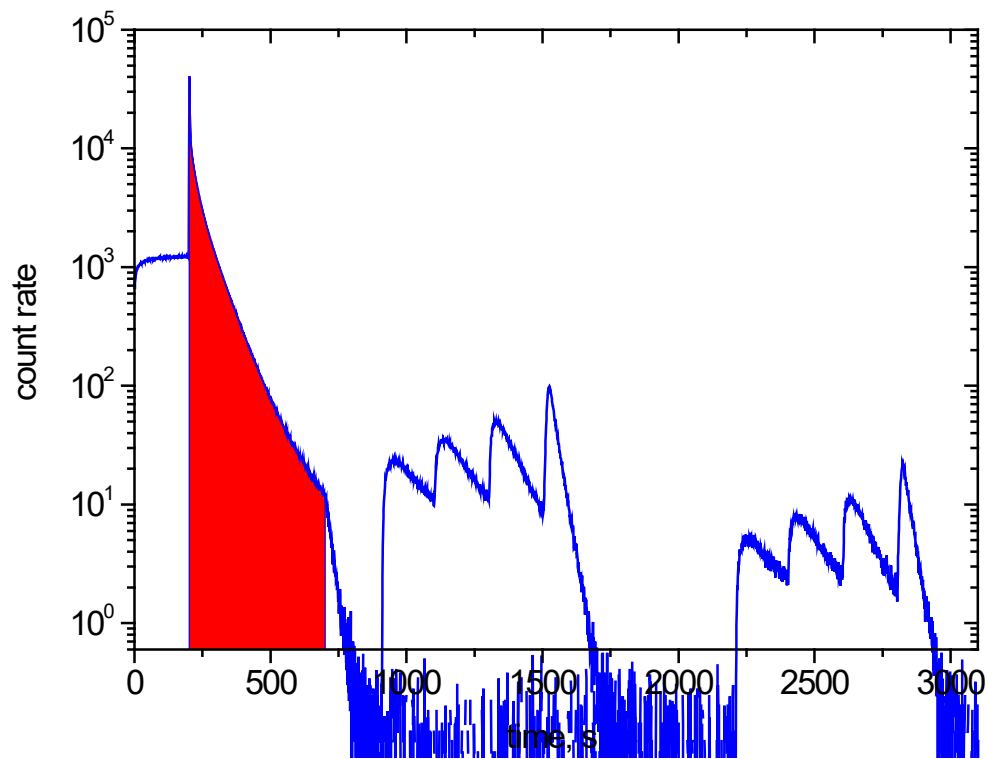
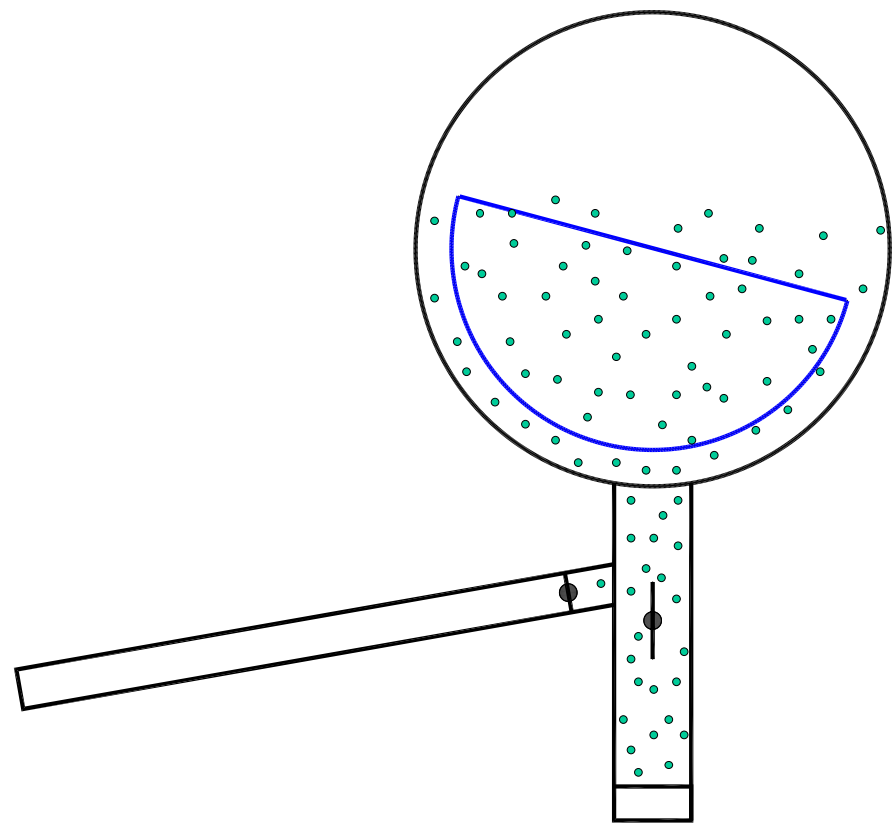


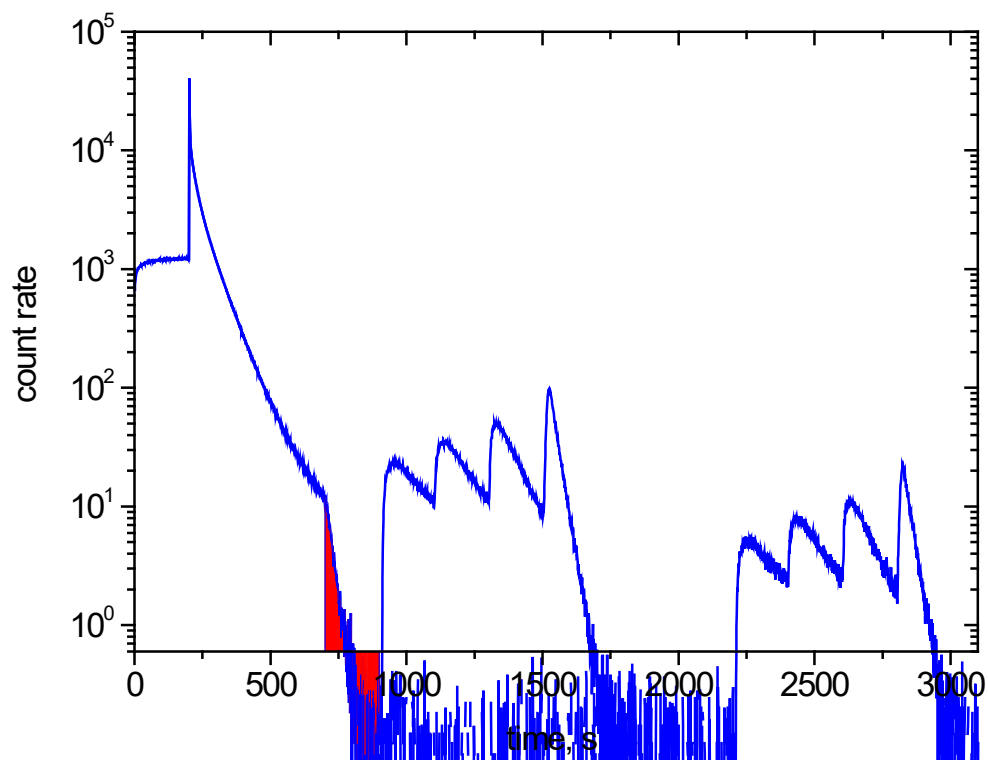
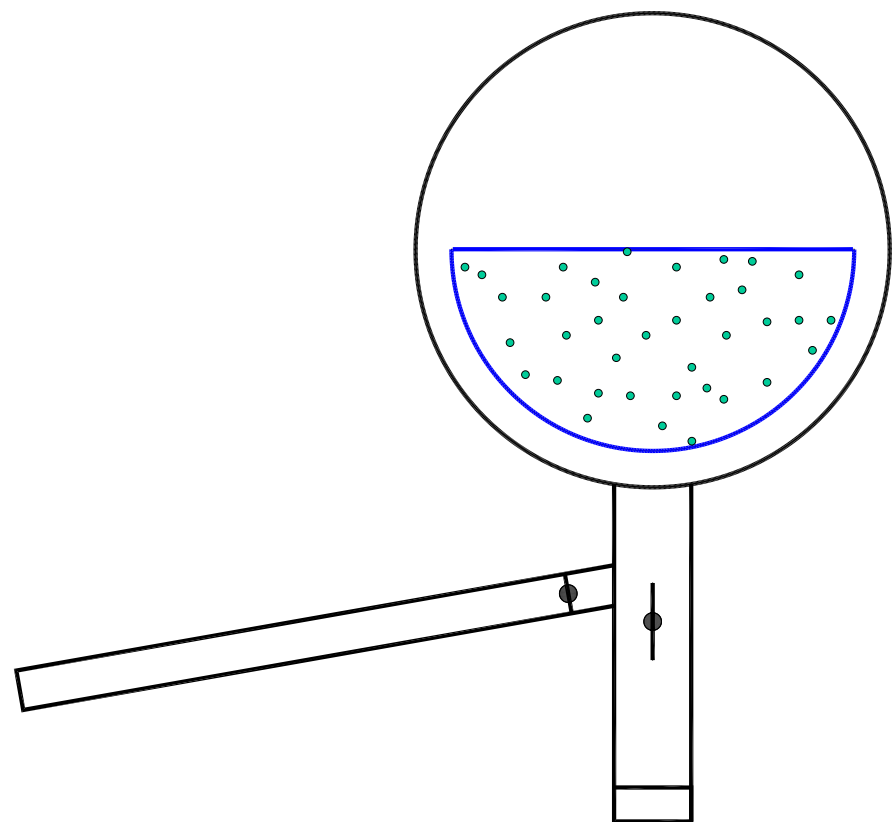
Fig.1. Gravitational spectrometer with service platforms



Filling of the trap with UCN:  $\theta=90^\circ$ .

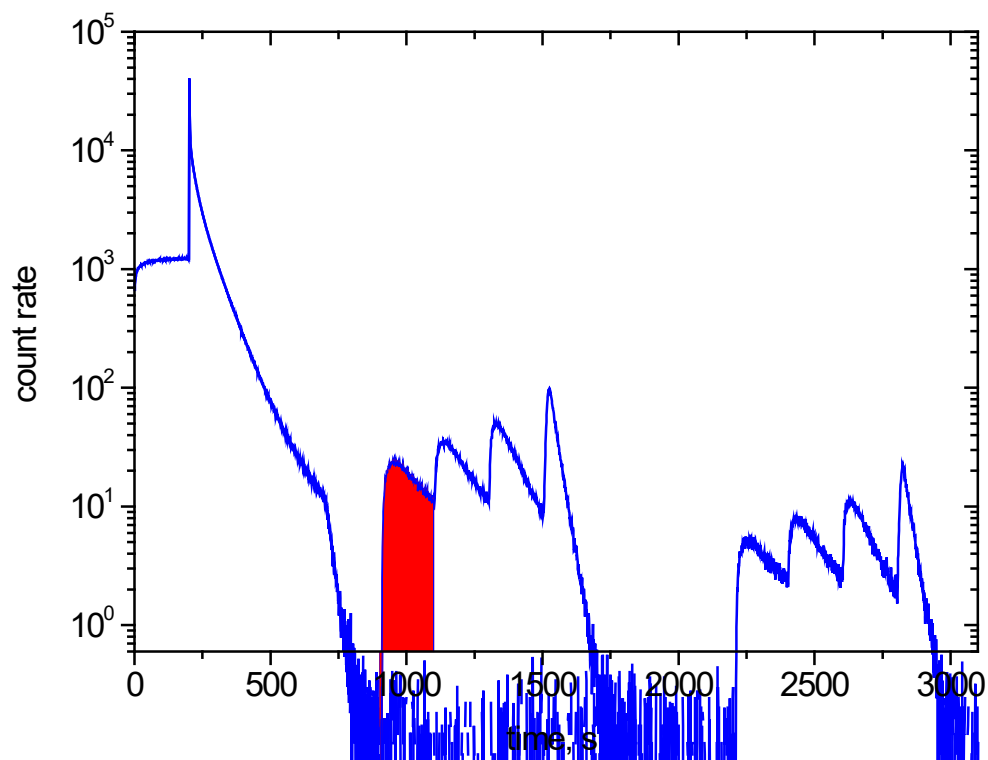
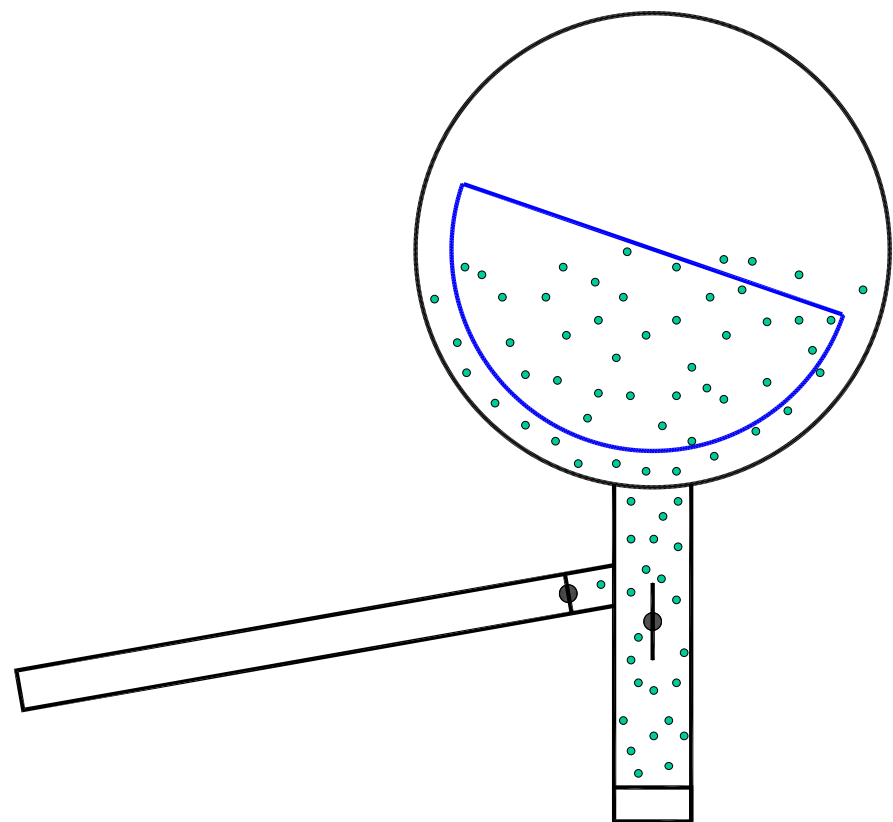


Monitoring:  $\theta=15^\circ$ .

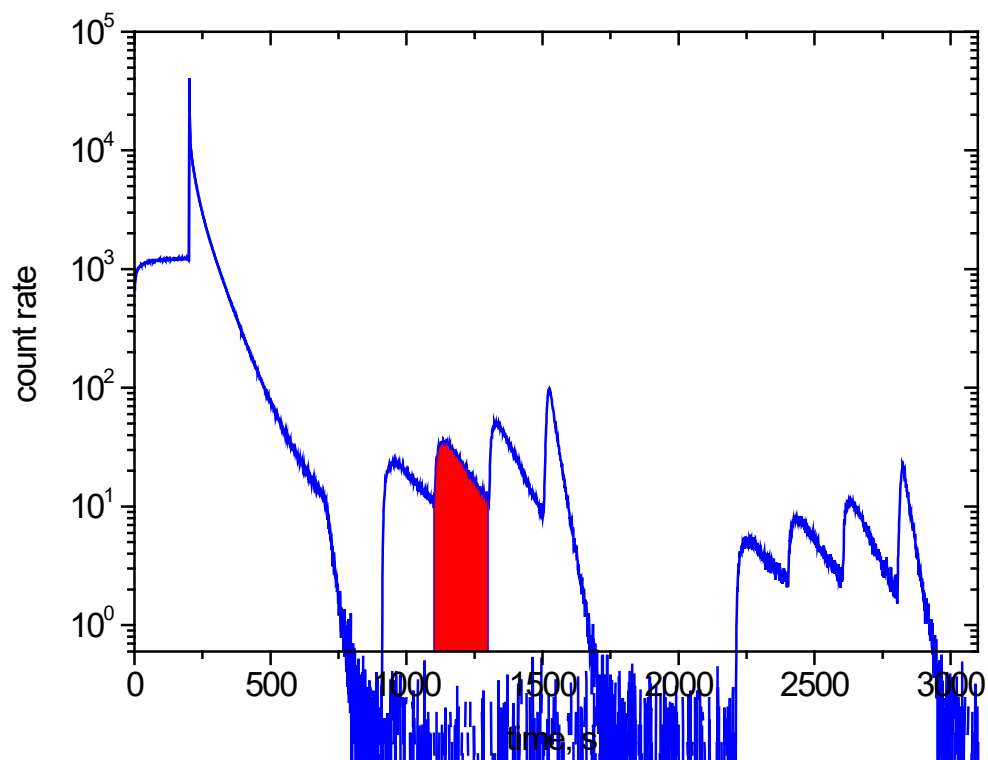
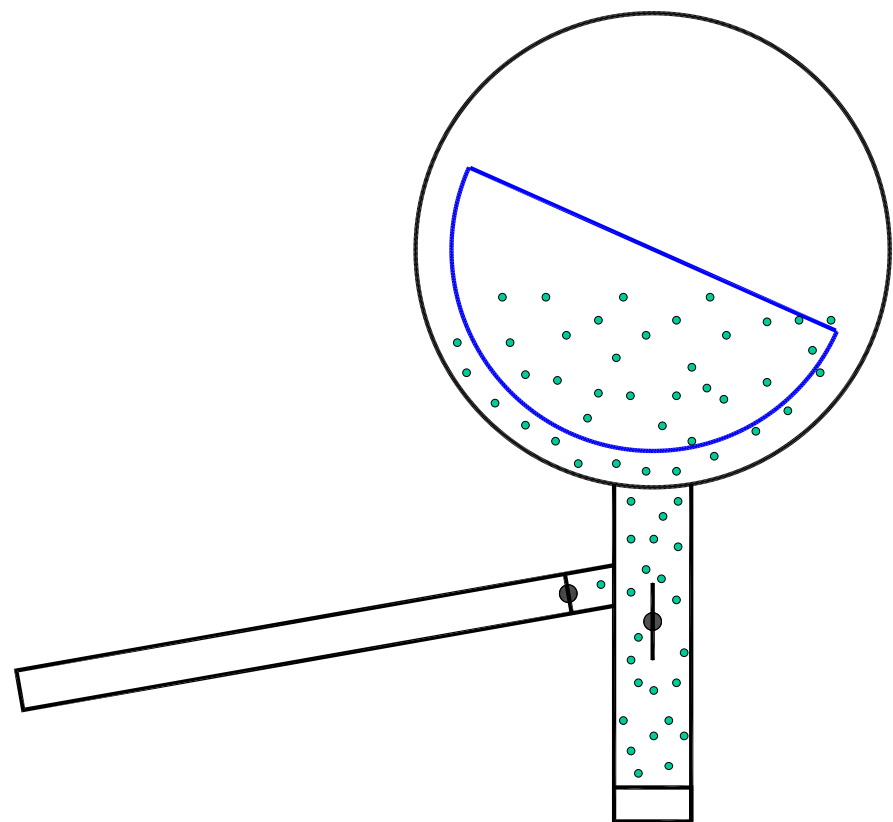


Holding:  $\theta=0^\circ$ .

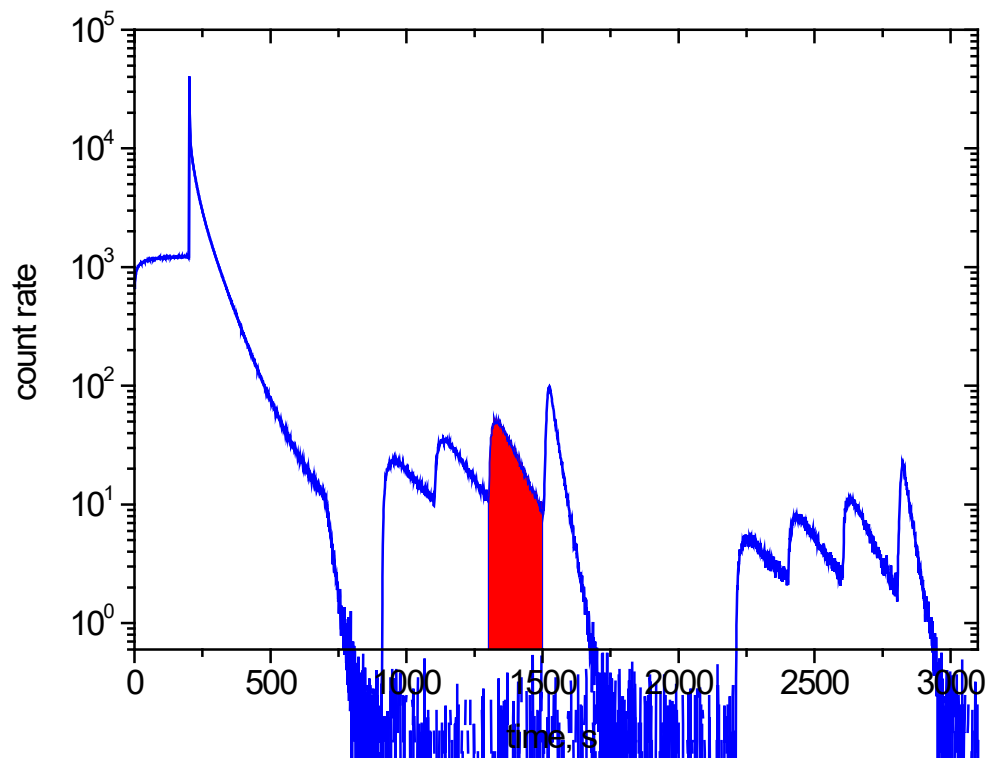
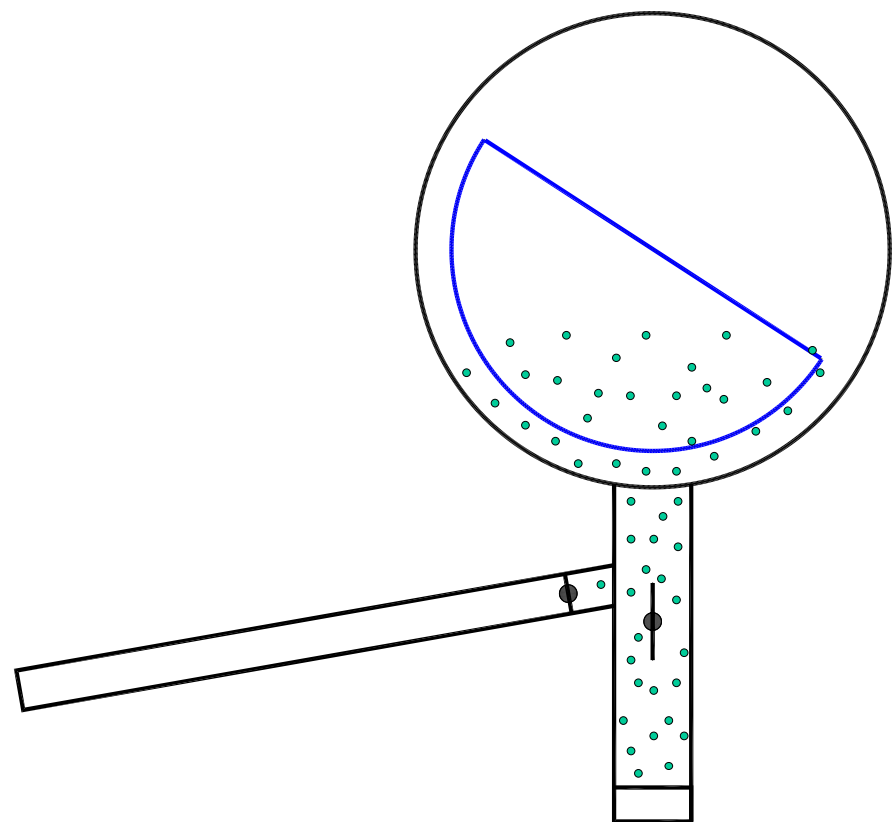




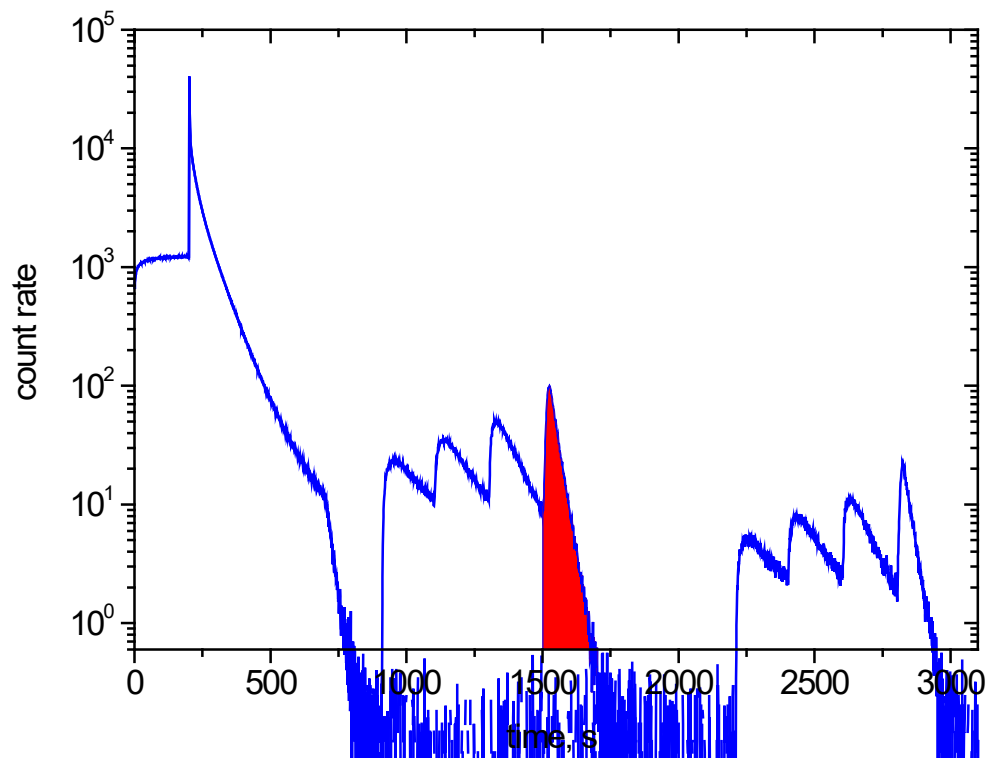
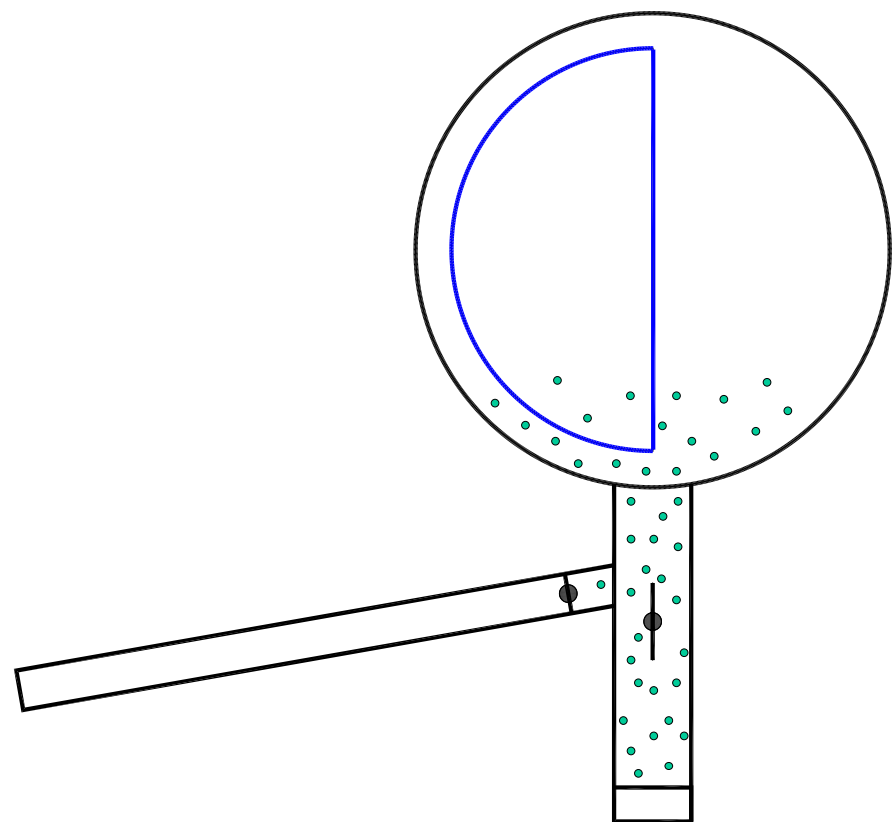
Registration of UCN 1:  $\theta=19^\circ$ .



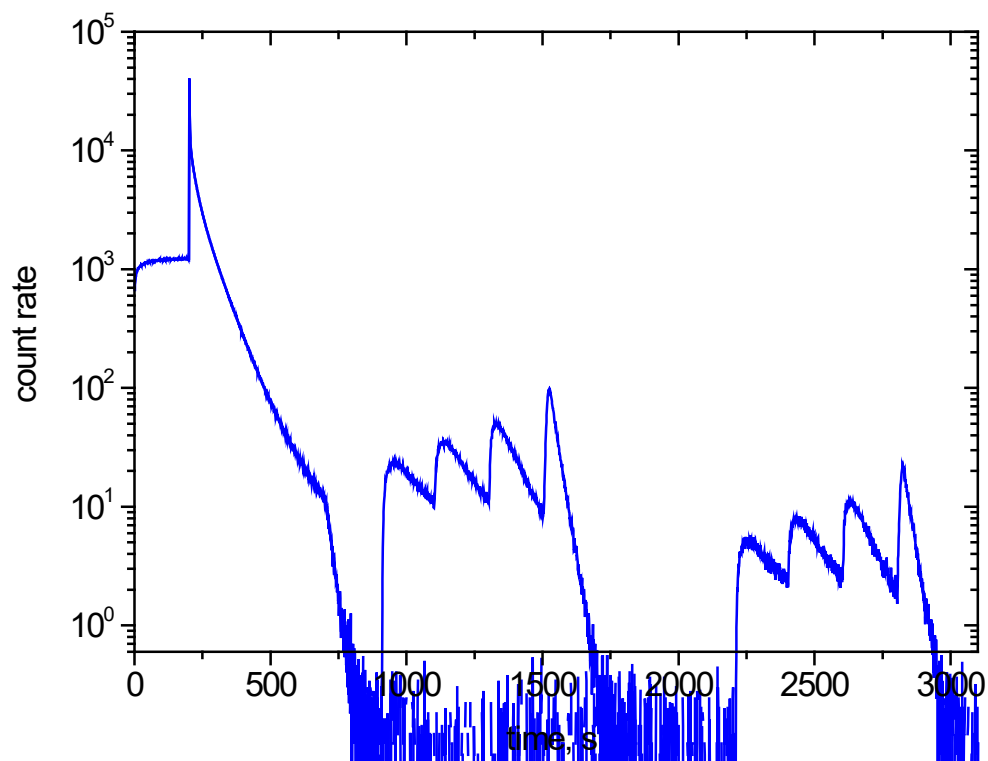
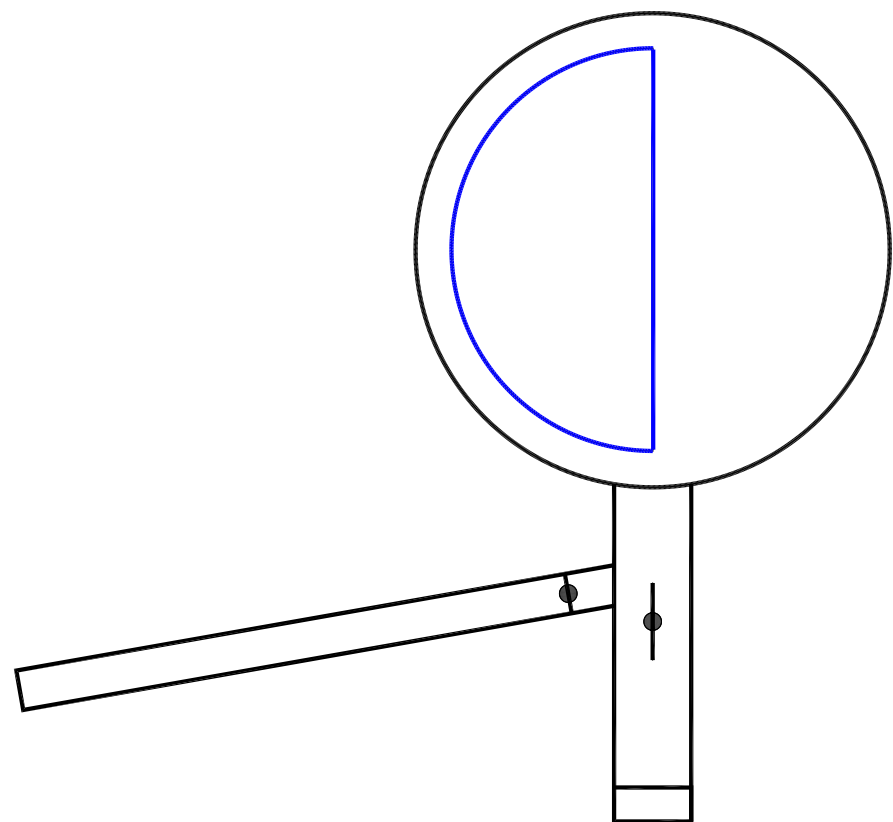
Registration of UCN 2:  $\theta=24^\circ$ .



Registration of UCN 3:  $\theta=33^\circ$ .



Registration of UCN 4:  $\theta=90^\circ$ .

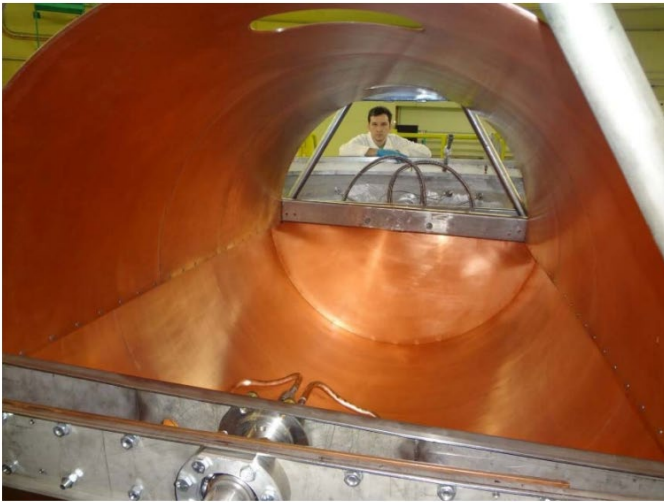
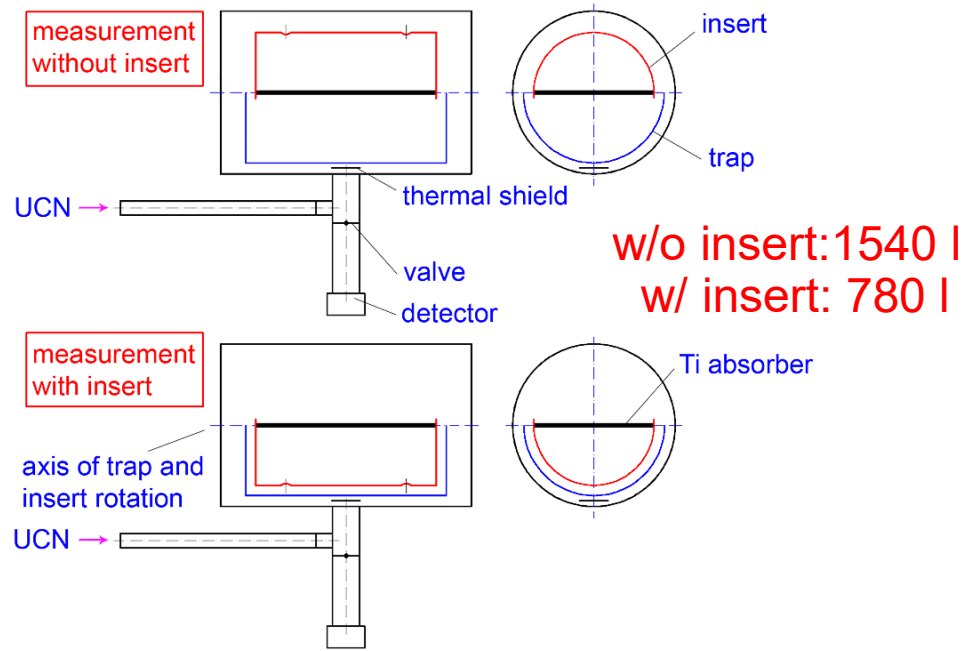


Background:  $\theta=90^\circ$ .

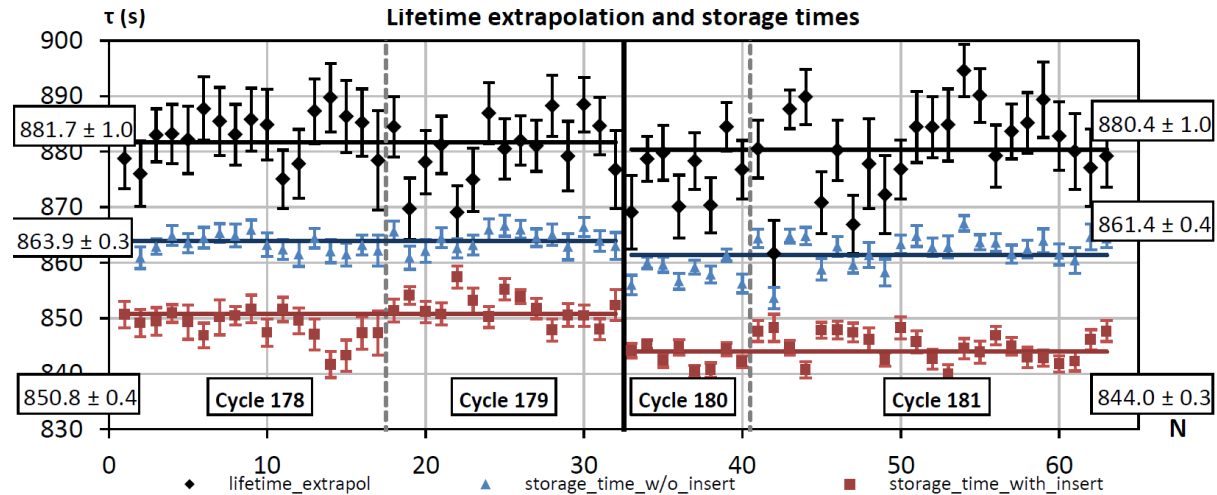


# New GraviTrap (at ILL)

A. Serebrov et al., (2017)  
arXiv:1712.05663 [nucl-ex]

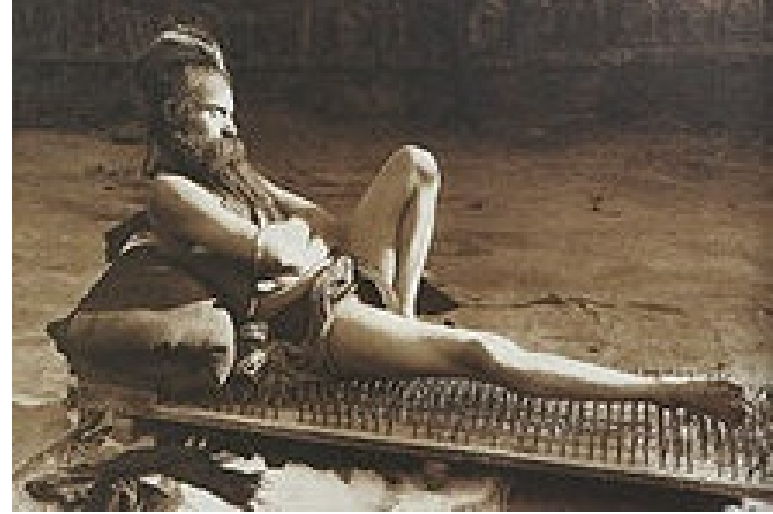


Gravitrap (2017):  $\tau_n = (881.5 \pm 0.7 \pm 0.6) \text{ s}$



# Material Potential

$$V_F = \frac{2\pi\hbar^2 Nb_C}{m_n} \quad \text{Fermi potential}$$



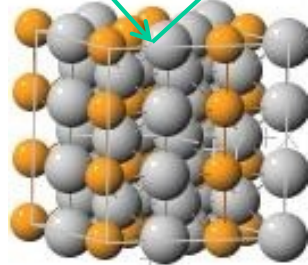
Material	$V_F$ (neV)	$v_c$ (m/s)	$\eta$ ( $\times 10^{-4}$ )
D <sub>2</sub> O	170	5.6	
Be (BeO)	250	6.9	2.0-8.5
C	180	5.8	
Mg	60	3.4	
Al	50	3.2	2.9-10
SiO <sub>2</sub> (quartz)	110	4.6	
Cu	170	5.6	2.1-16
Fe	220	6.5	1.7-28
Co	70	3.7	
Ni	230	6.8	5.1

**Critical velocity**

$$v_c = \sqrt{\frac{2V_F}{m_n}}$$

# Different ways to manipulate UCN

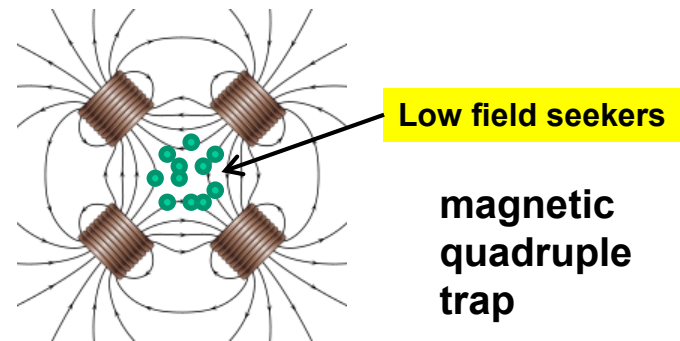
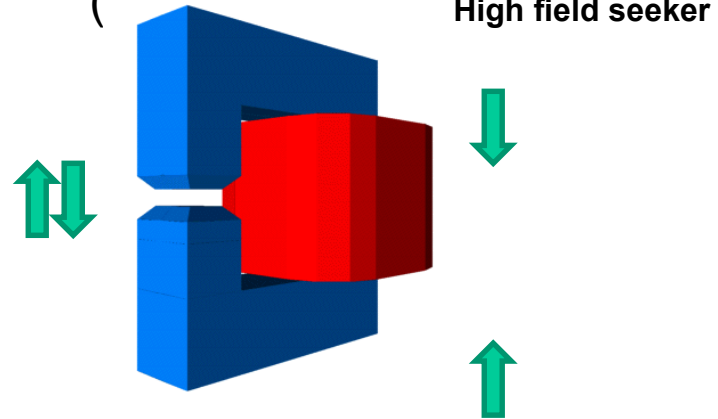
- Nuclear force (max: 350neV)



- Gravitational force (100neV/m)



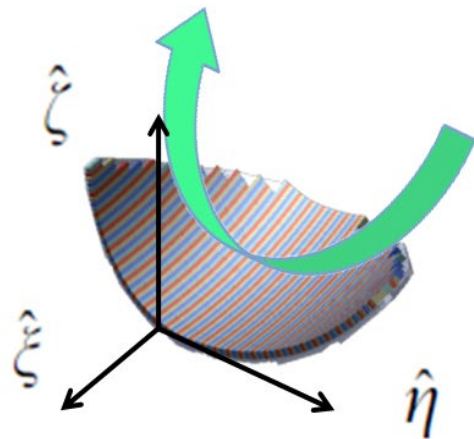
- Magnetic force ( $\propto \mu \cdot \nabla B$ )



# UCN $\tau$ : Magneto-Gravitational Trap

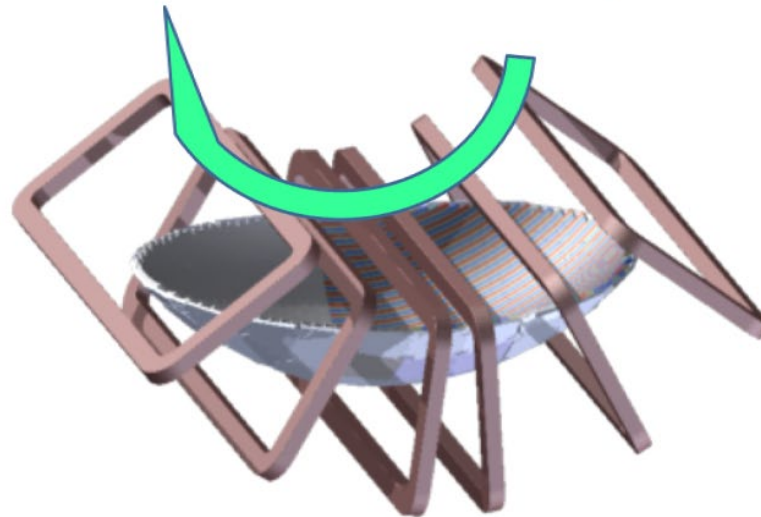
- **Magnetic trapping:** Halbach array of permanent magnets along trap floor repels spin polarized neutrons.
- **Minimize UCN spin-depolarization loss:** EM Coils arranged on the toroidal axis generates holding **B** field throughout the trap (perpendicular to the Halbach array field).

PM Array **B** along  $\hat{\eta}$

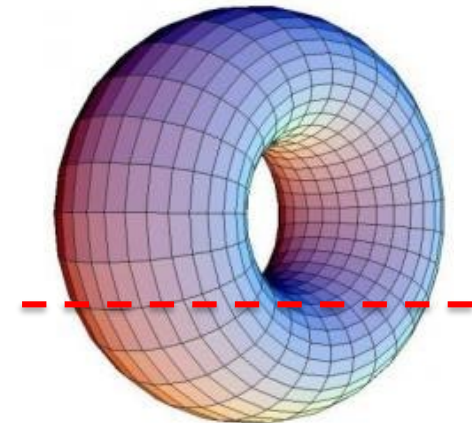


Local Surface Coordinates

Guide Coils **B** along  $\hat{\xi}$

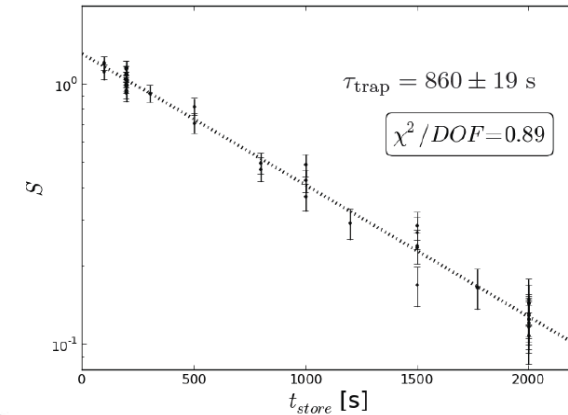


UCN $\tau$

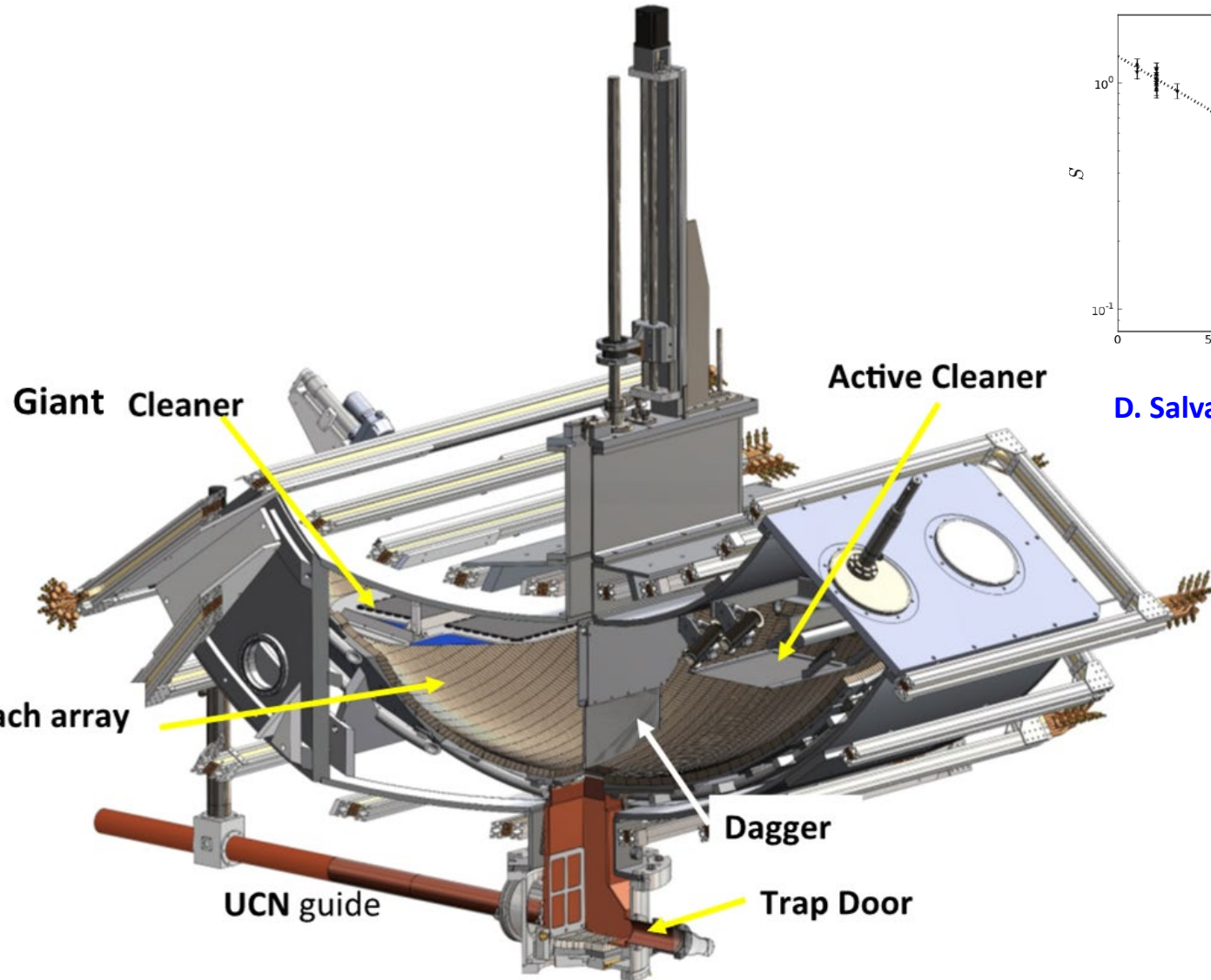


# The UCN $\tau$ apparatus

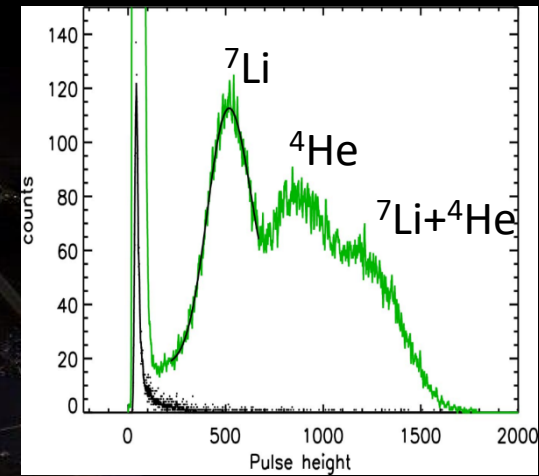
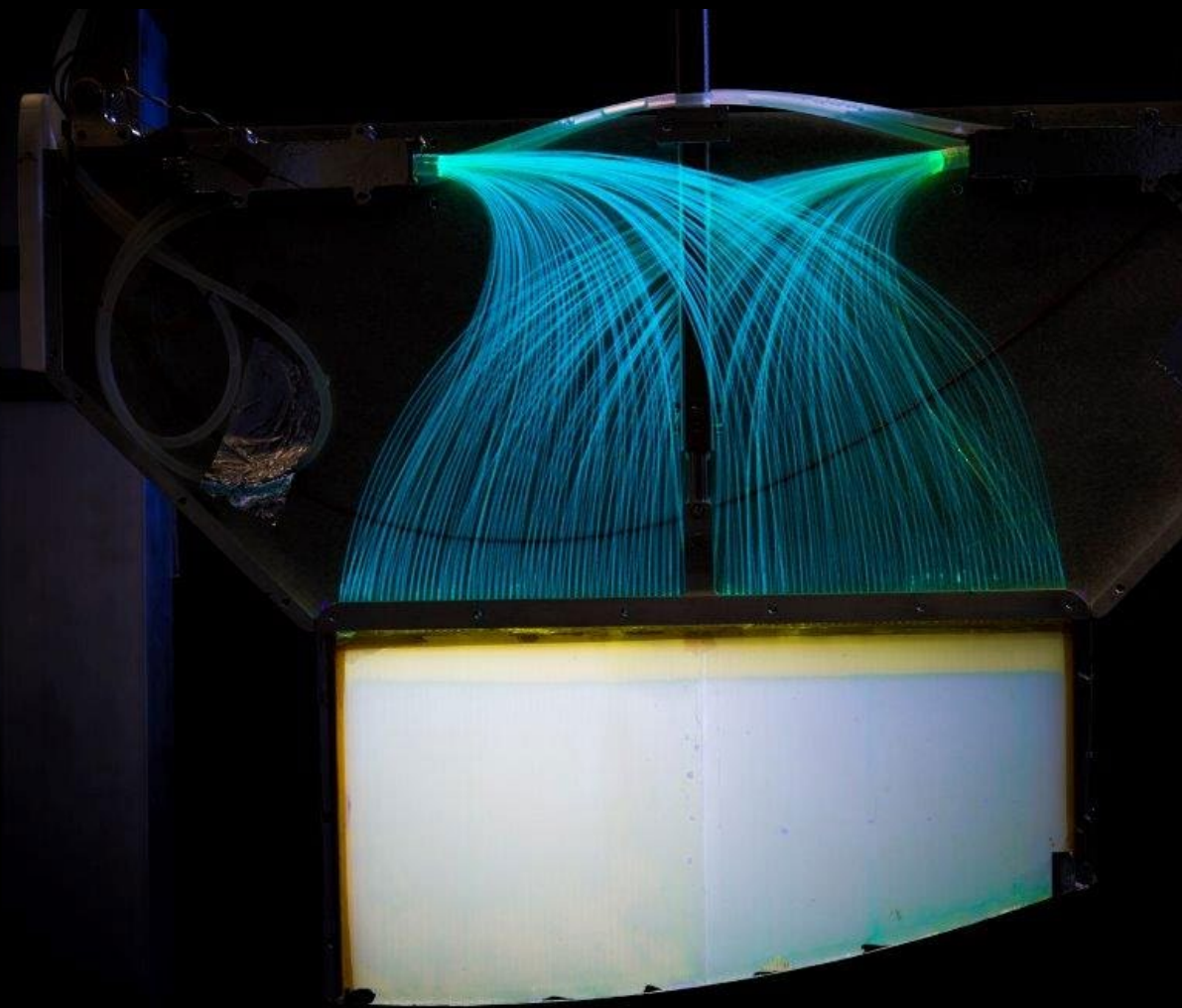
1st measurement



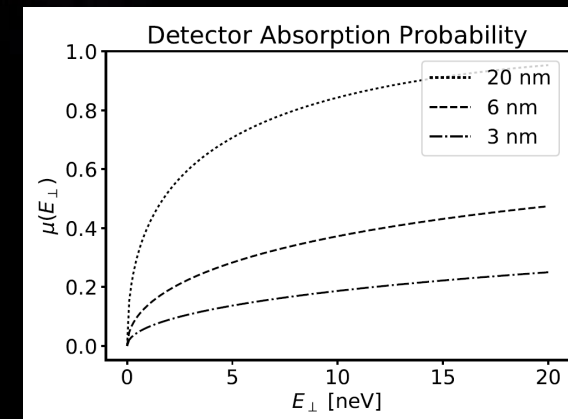
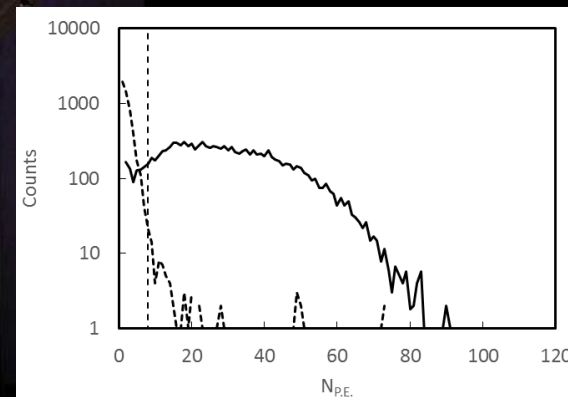
D. Salvat, PRC 89, 052501 (2014)



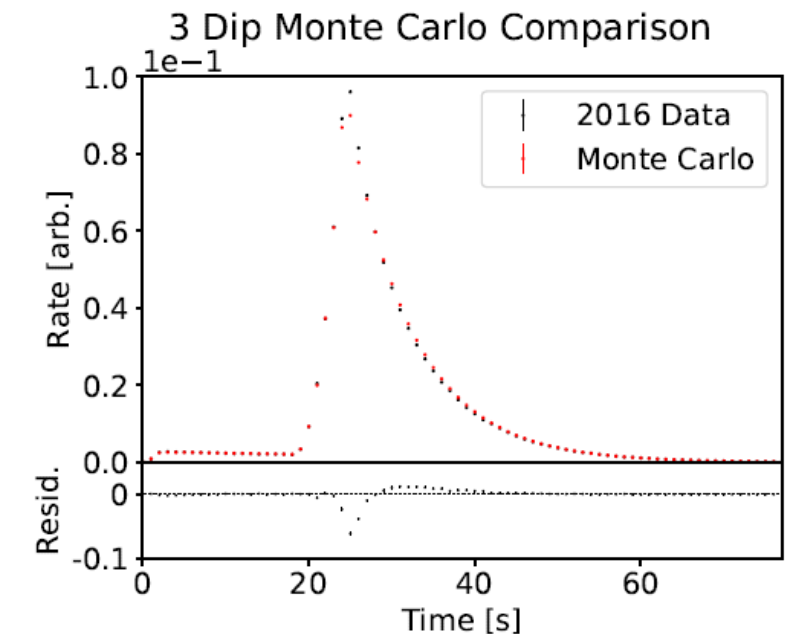
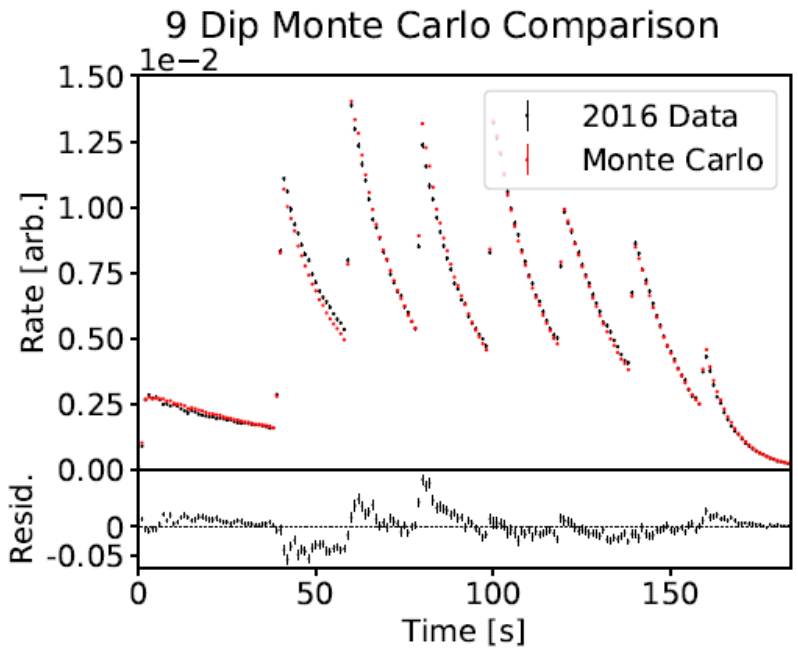




Light Output



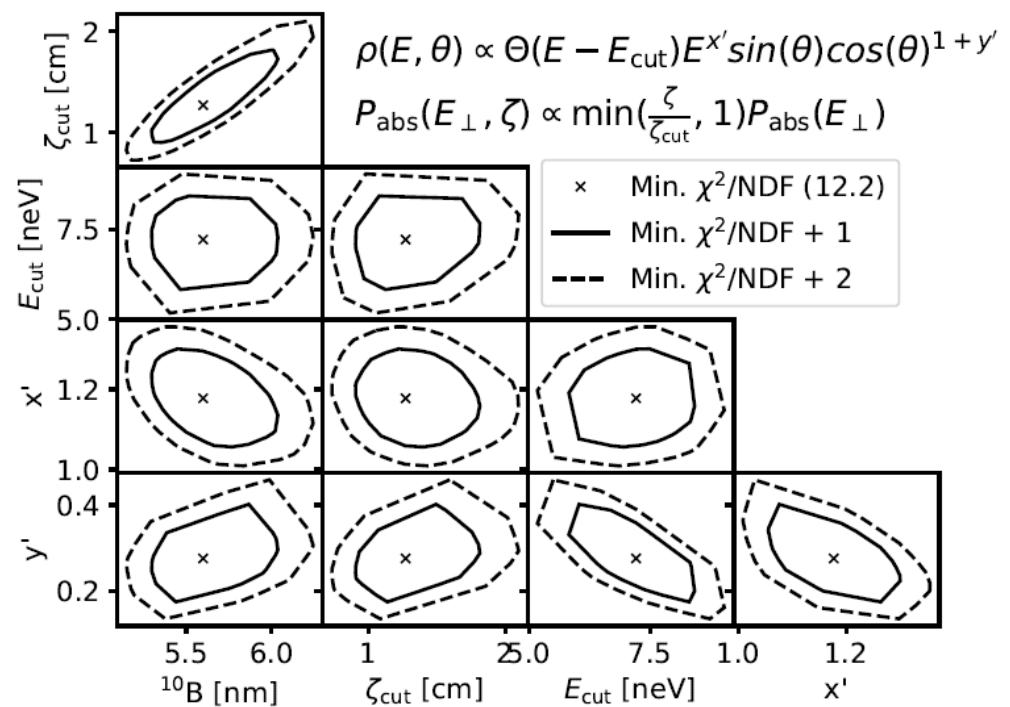
# Multi-step detections & Monte-Carlo studies



Tunable Parameters:

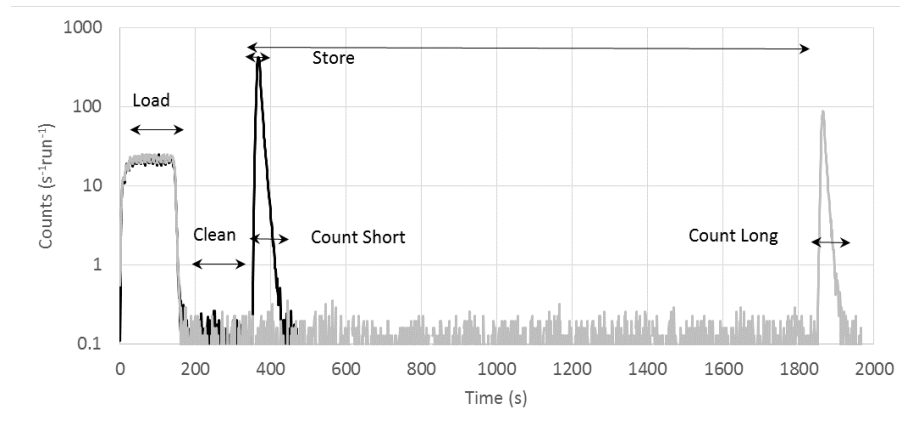
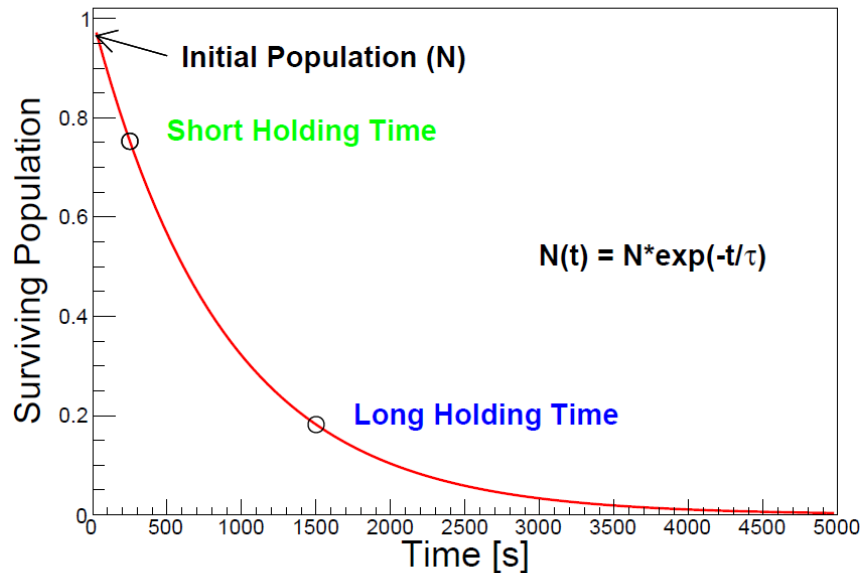
- Input UCN: energy spectrum ( $x'$ ,  $E_{cut}$ ), angular distribution ( $y'$ )
- Detector: Boron thickness, oxide layer, damage depth

$\chi^2$  Contours



# Pairs of short-long storage times

Measuring Lifetime

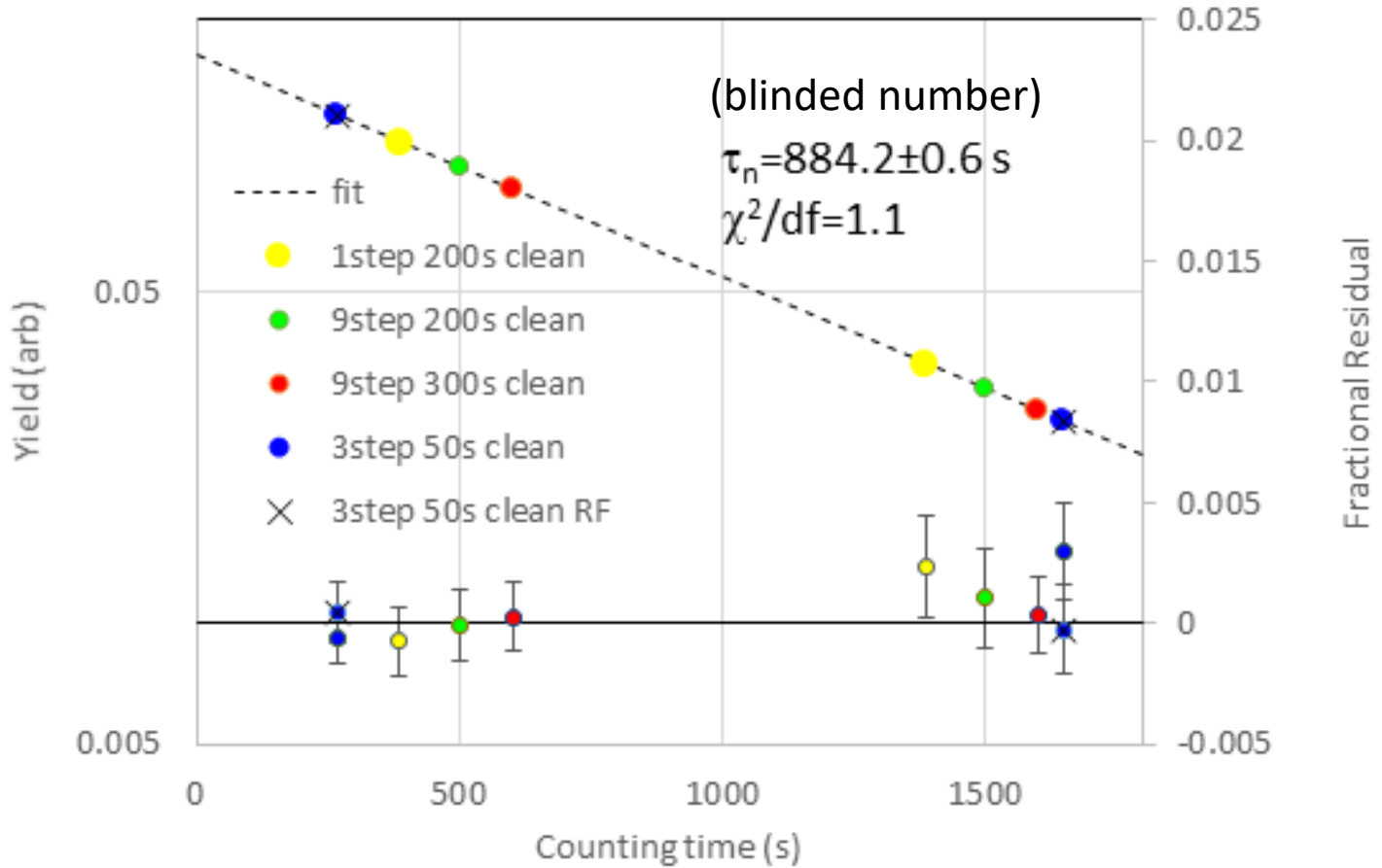


$$\tau_{trap} = \frac{\Delta t}{\log\left(\frac{N_{short}}{N_{long}}\right) - \log\left(\frac{M_{short}}{M_{long}}\right)}$$

N: UCN counts  
M: Monitor counts

$$\frac{1}{\tau_{trap}} = \frac{1}{\tau_n} + \frac{1}{\tau_{escape}} + \frac{1}{\tau_{heating}} + \frac{1}{\tau_{depol}} + \dots$$

# Global fit into a single exponential function



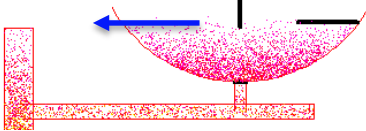
# Systematic uncertainties for the “current mode” counting

R. W. Pattie Jr. *et al.*, Science 360, 627 (2018)

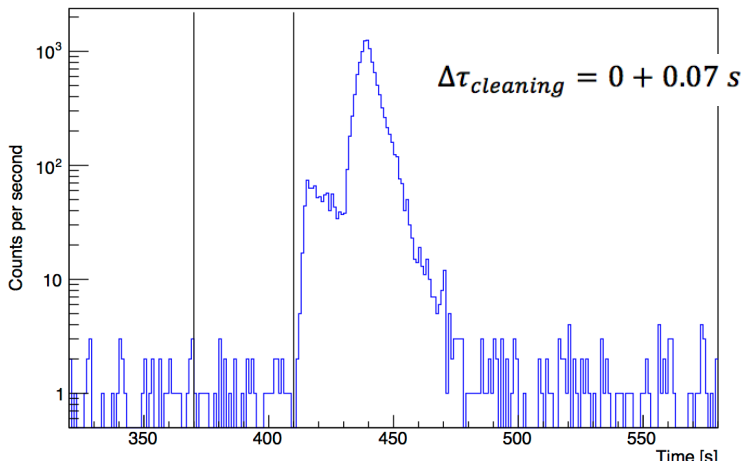
Effect	Upper bound (s)	Direction	Method of evaluation
Depolarization	0.07	+	Varied external holding field
Microphonic heating	0.24	+	Detector for heated neutrons
Insufficient cleaning	0.07	+	Detector for uncleaned neutrons
Dead time/pileup	0.04	±	Known hardware dead time
Phase space evolution	0.10	±	Measured neutron arrival time
Residual gas interactions	0.03	±	Measured gas cross sections and pressure
Background variations	<0.01	±	Measured background as function of detector position
<b>Total</b>	<b>0.28</b>		<b>(uncorrelated sum)</b>

## Insufficient Cleaning

Limit established by short holding time excess

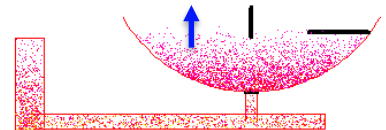


20s hold

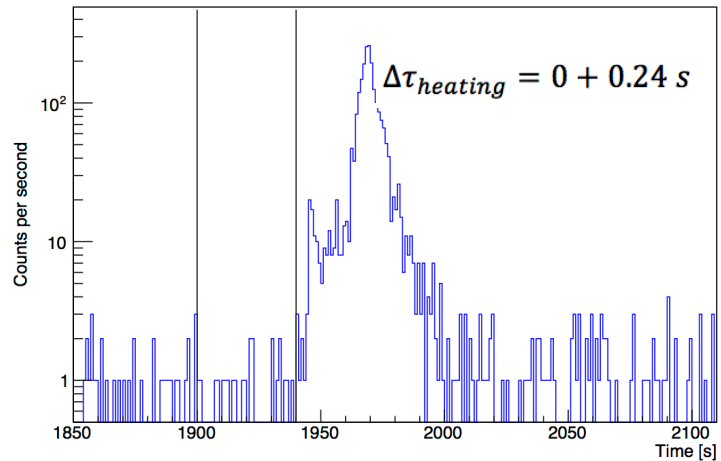


## Heating

Limit established by long holding time excess



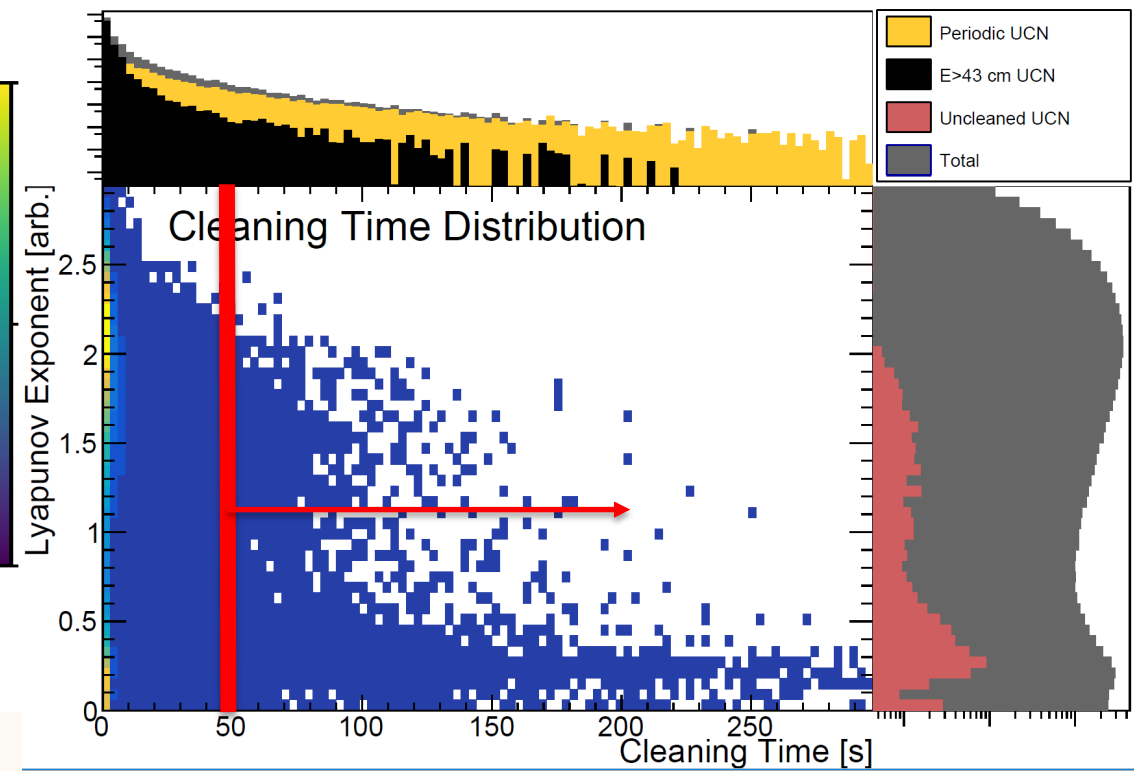
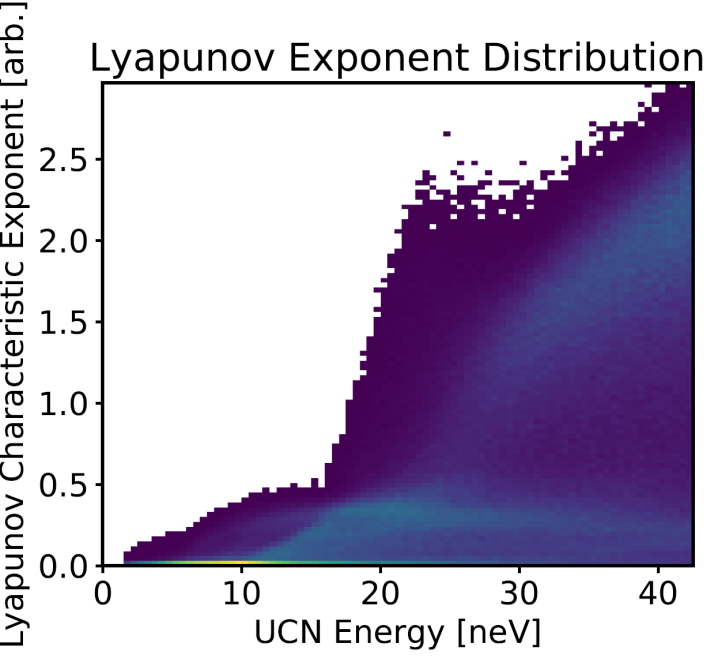
1550s hold







# Chaotic Motion & Spectral Cleaning



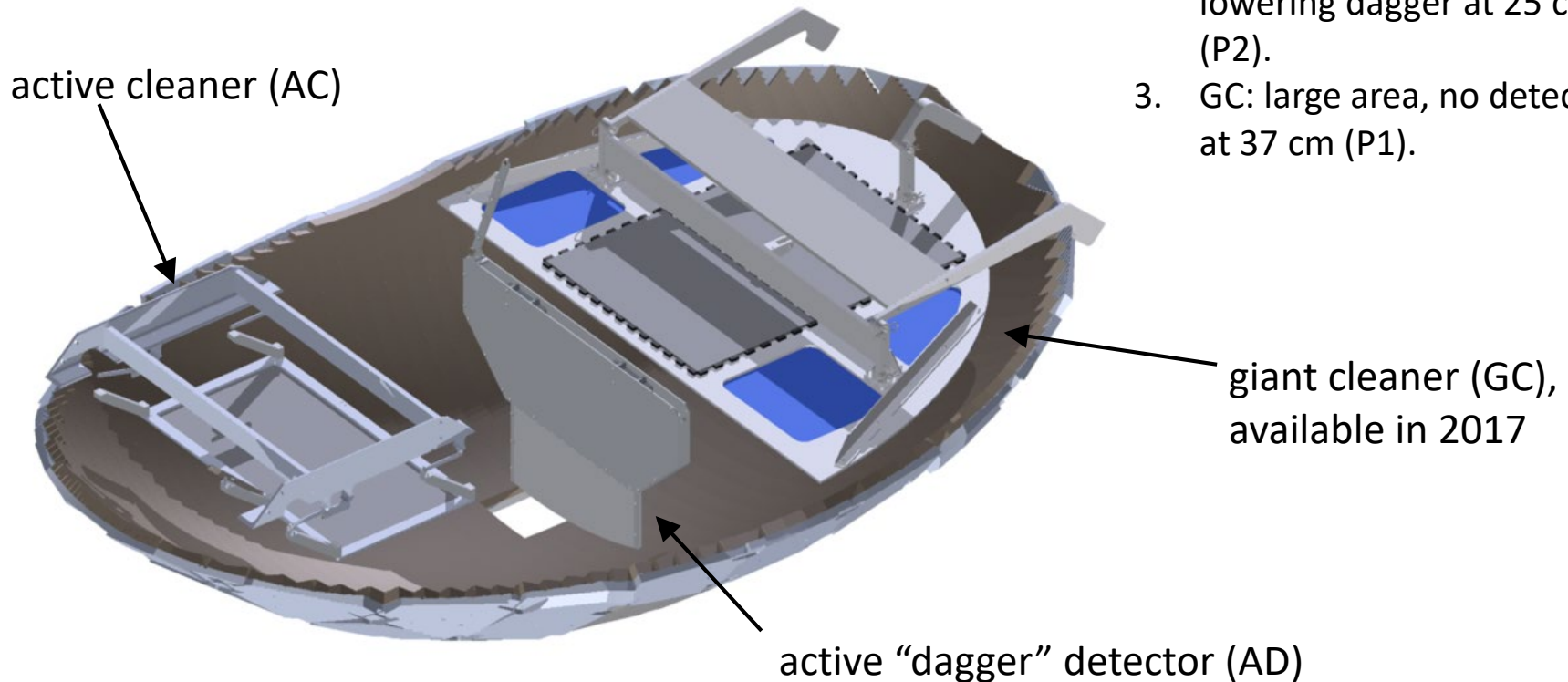
Use Monte Carlo with realistic vibrations to estimate lifetime shift

Set	$\delta\tau$ [s]	Statistical Uncertainty [s]
<b>Cleaning</b>		
100% Absorption	0.034	0.0006
50% Absorption	0.050	0.0007
200 s Cleaning	0.0017	0.0001
35 cm Cleaning	$8 \times 10^{-5}$	$3 \times 10^{-5}$
<b>Heating</b>		
Accelerometer	0.031	0.005
x40 ( $\sim 40\mu\text{m}$ )	0.151	0.009
x80	7.68	0.06

N. Callahan et al.,(2018) [arXiv:1810.07691](https://arxiv.org/abs/1810.07691)

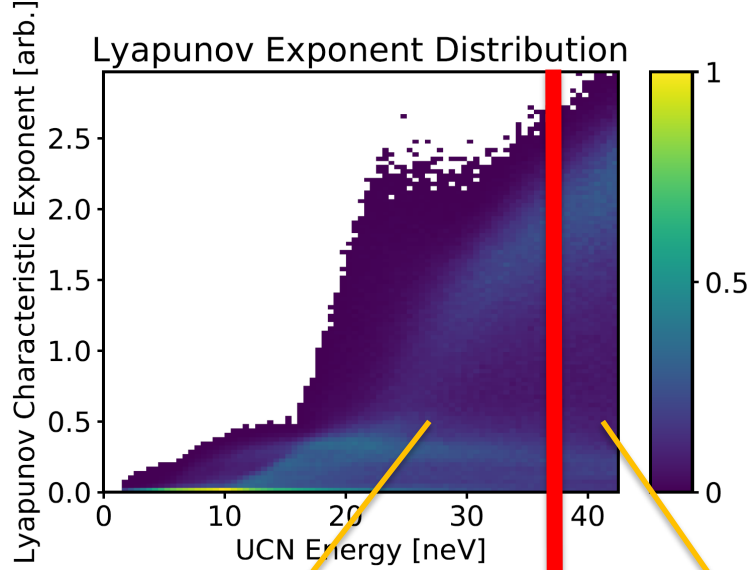
# We tried three options of UCN spectral cleaners:

1. AC: small area, fitted with UCN detectors at 37 cm (P1).
2. DC: deep cleaning by lowering dagger at 25 cm (P2).
3. GC: large area, no detectors at 37 cm (P1).

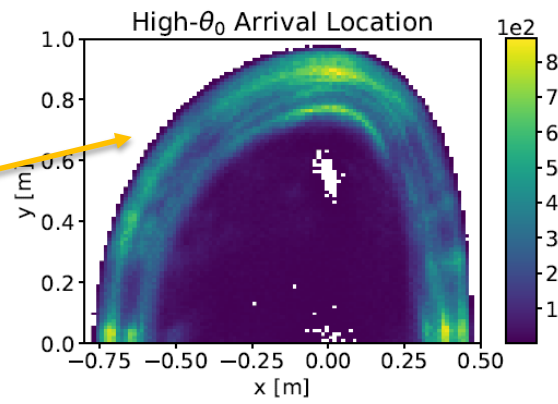
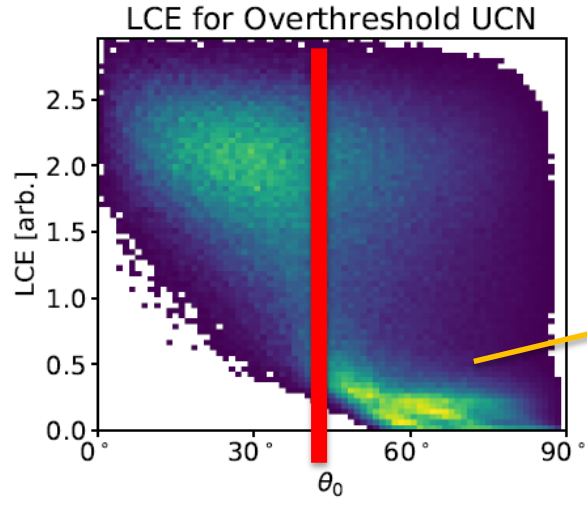
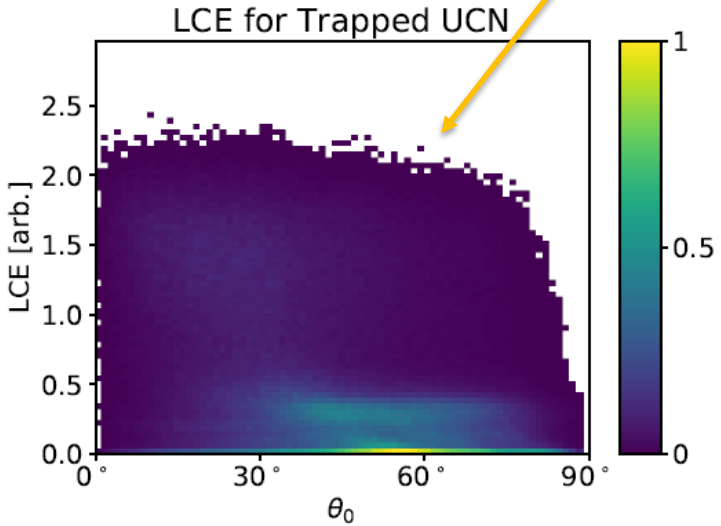
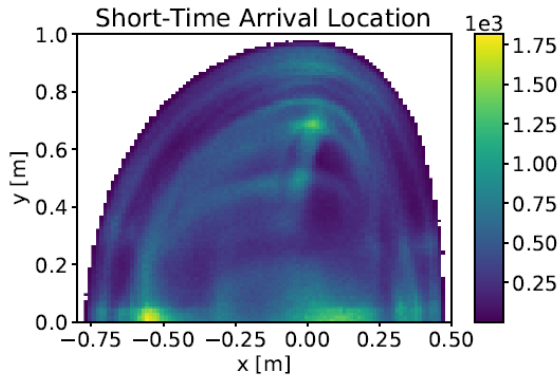


# UCN dynamics in the trap

N. Callahan et al., (2018) [arXiv:1810.07691](https://arxiv.org/abs/1810.07691)



UCN hit on the cleaner



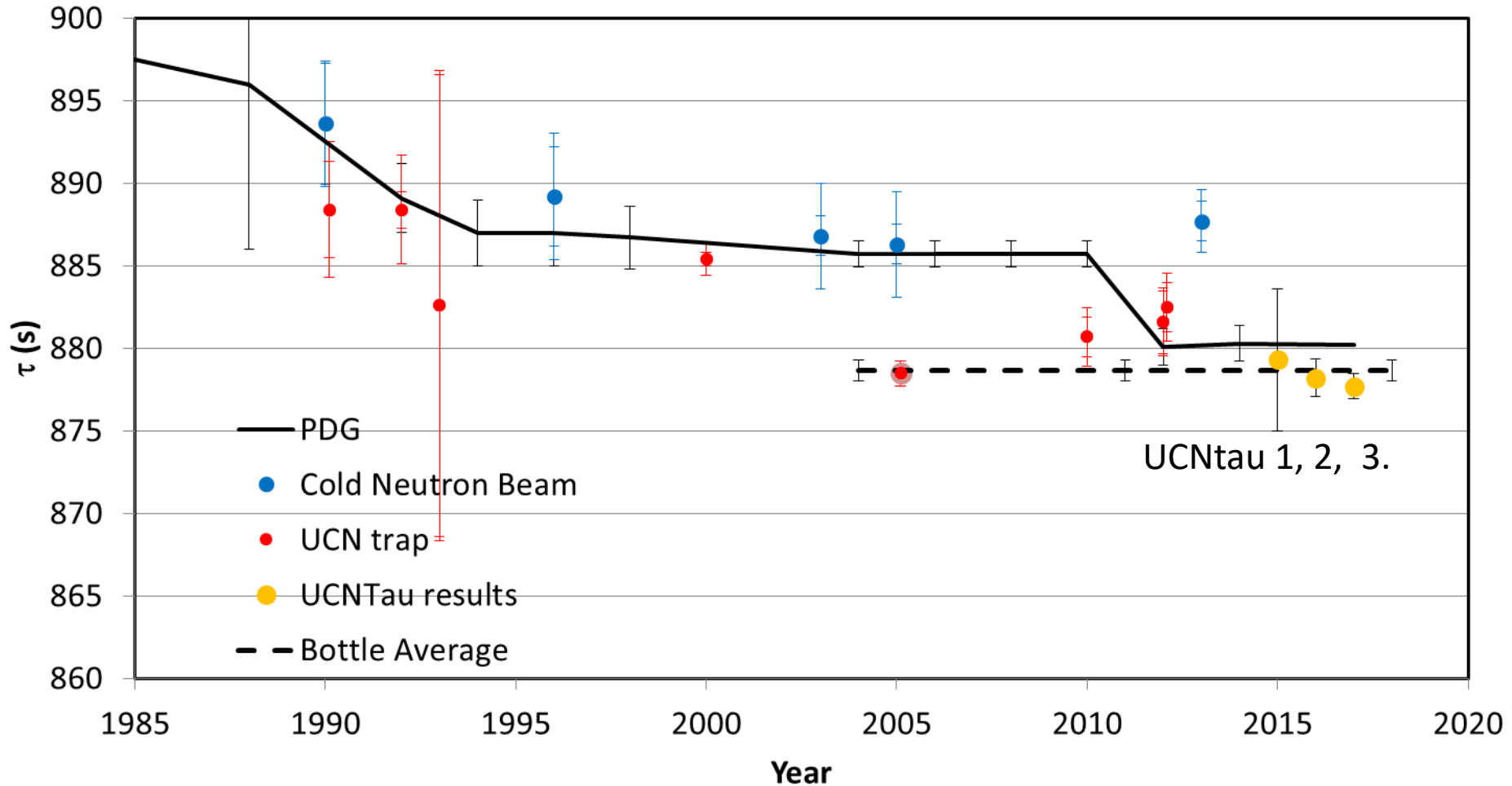
(b) Trappable neutrons ( $E/m_{ng} < 38$  cm)

(a) Overthreshold neutrons ( $E/m_{ng} > 38$  cm)

(c)  $\theta_0 > 45^\circ$

# UCNtau results

1. 2015 commission data (RSI)
2. 2015-2016 data
3. 2016-2017 data (Science, 2018)

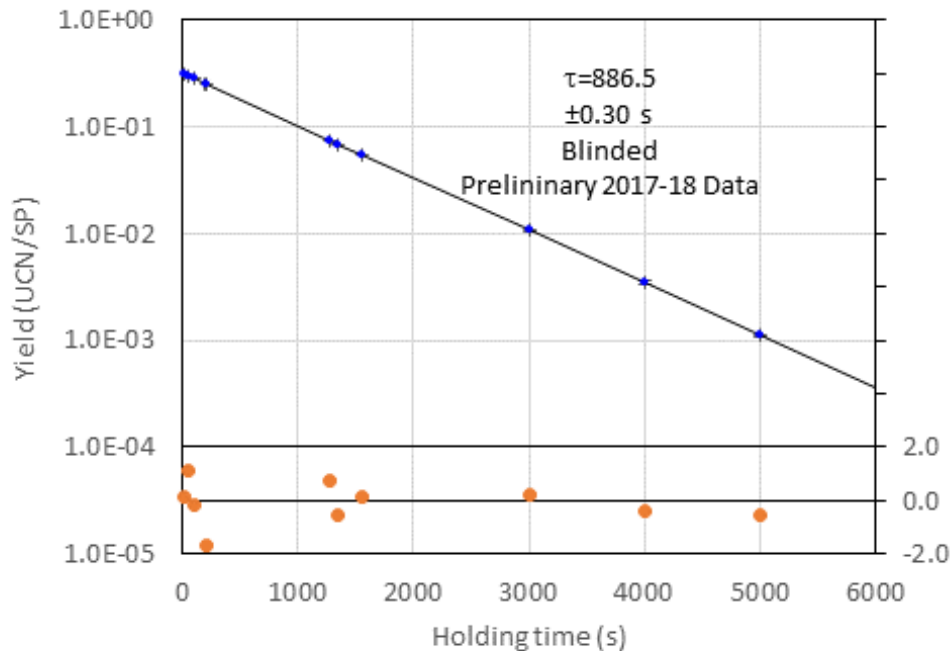


With UCNtau, we have made a measurement of  $\tau_n$  for the first time with **no extrapolation**:  $877.7 \pm 0.7$  (stat)  $+0.3/-0.1$  (sys) s.

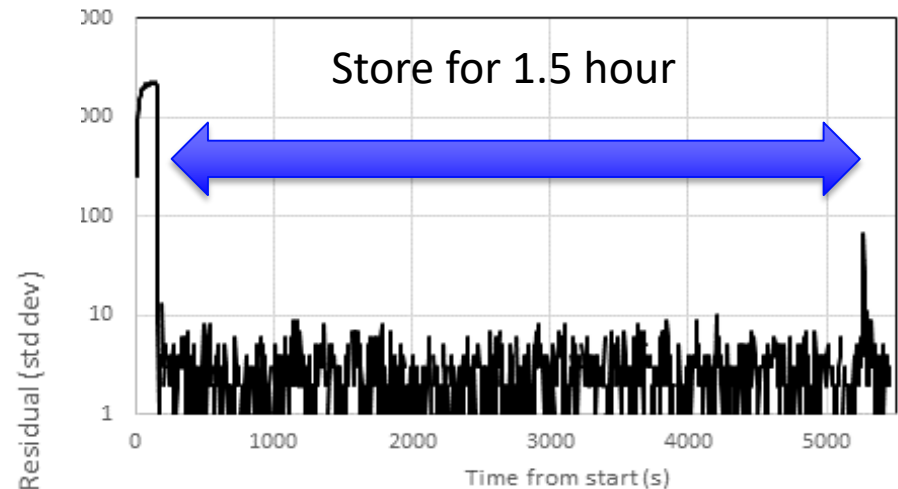
# UCNtau: Moving forward

Effect	Upper bound (s)	Direction	Method of evaluation
Depolarization	0.07	+	Varied external holding field
Microphonic heating	<del>0.24</del>	0.05 +	Detector for heated neutrons
Insufficient cleaning	<del>0.07</del>	0.02 +	Detector for uncleaned neutrons
Dead time/pileup	0.04	±	Known hardware dead time
Phase space evolution	<del>0.10</del>	0.02 ±	Measured neutron arrival time
Residual gas interactions	<del>0.03</del>	0.01 ±	Measured gas cross sections and pressure Measured background as function of detector position
Background shifts	<0.01	±	
<b>Total</b>	<del>0.28</del>	0.10	(uncorrelated sum)

Last beam cycle (2017-2018):

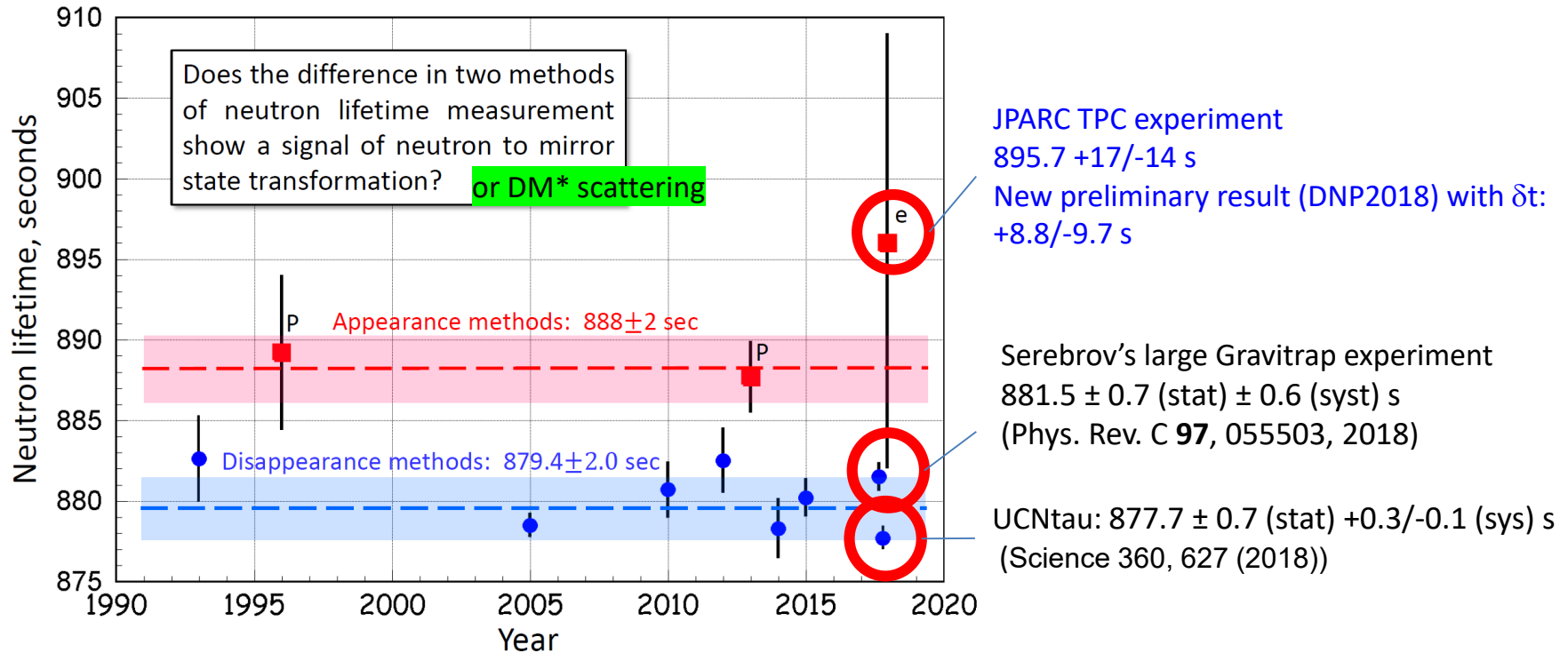


Projected statistical uncertainty: 0.15 s  
 systematic uncertainty: 0.10 s  
 → total uncertainty: 0.18 s





# Are neutrons disappearing at a rate faster than the rate of beta-decay?



INT workshop on Neutron-Antineutron Oscillations: Appearance, Disappearance, and Baryogenesis (Oct 2017)

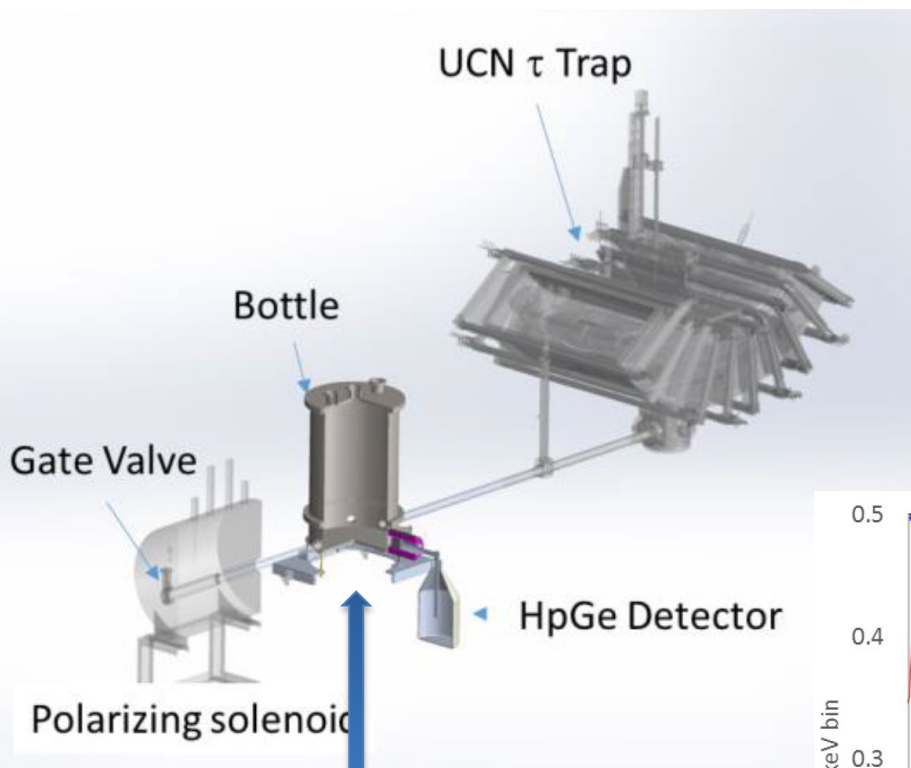
Ezhov :  $\tau_n = (878.3 \pm 1.6_{\text{stat}} \pm 1.0_{\text{syst}})$   
 JETP Lett. (2018) 107: 671

## Mirror matters

T. D. Lee and C. N. Yang, Phys. Rev. 104, 254 (1956);  
 I. Y. Kobzarev, L. B. Okun and I. Y. Pomeranchuk, Yad. Fiz. 3, 1154 (1966); R. Foot, H. Lew and R. R. Volkas, Phys. Lett. B 272 (1991) 67. For a historical overview, see L. B. Okun, Phys. Usp. 50, 380 (2007)

# Decay into dark matter?

Fornal & Grinstein,  
Phys. Rev. Lett. 120,  
191801 (2018)



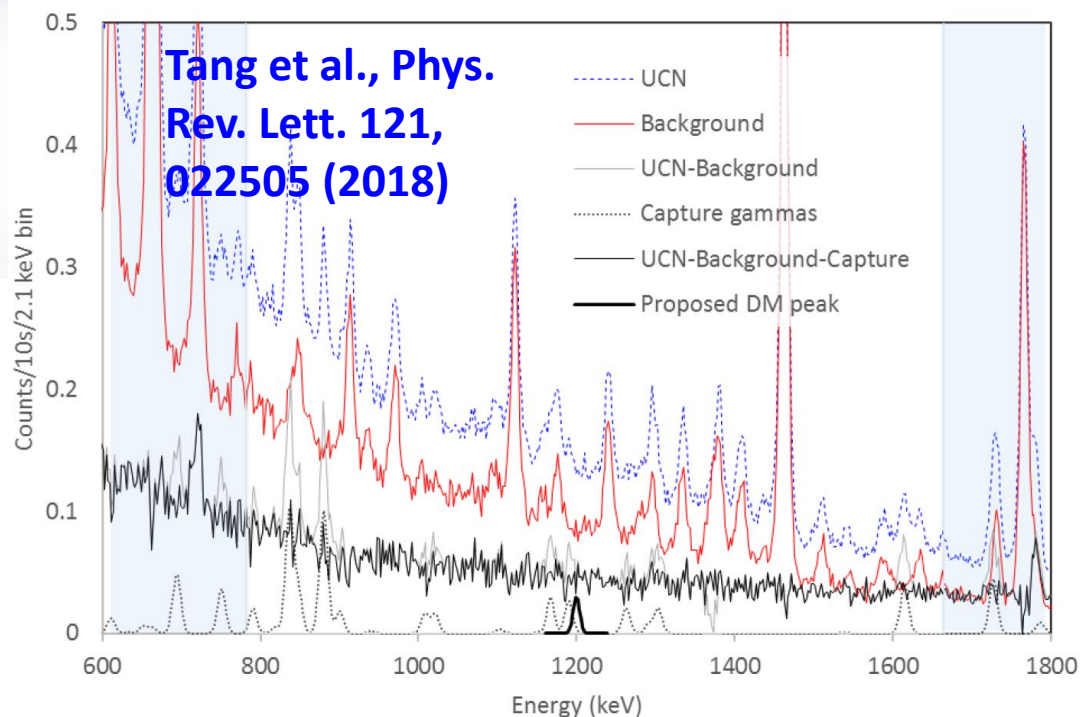
$$(A) n \rightarrow \chi \gamma$$

$$(B) n \rightarrow \chi e^+ e^-$$

$$(C) n \rightarrow \chi \phi.$$

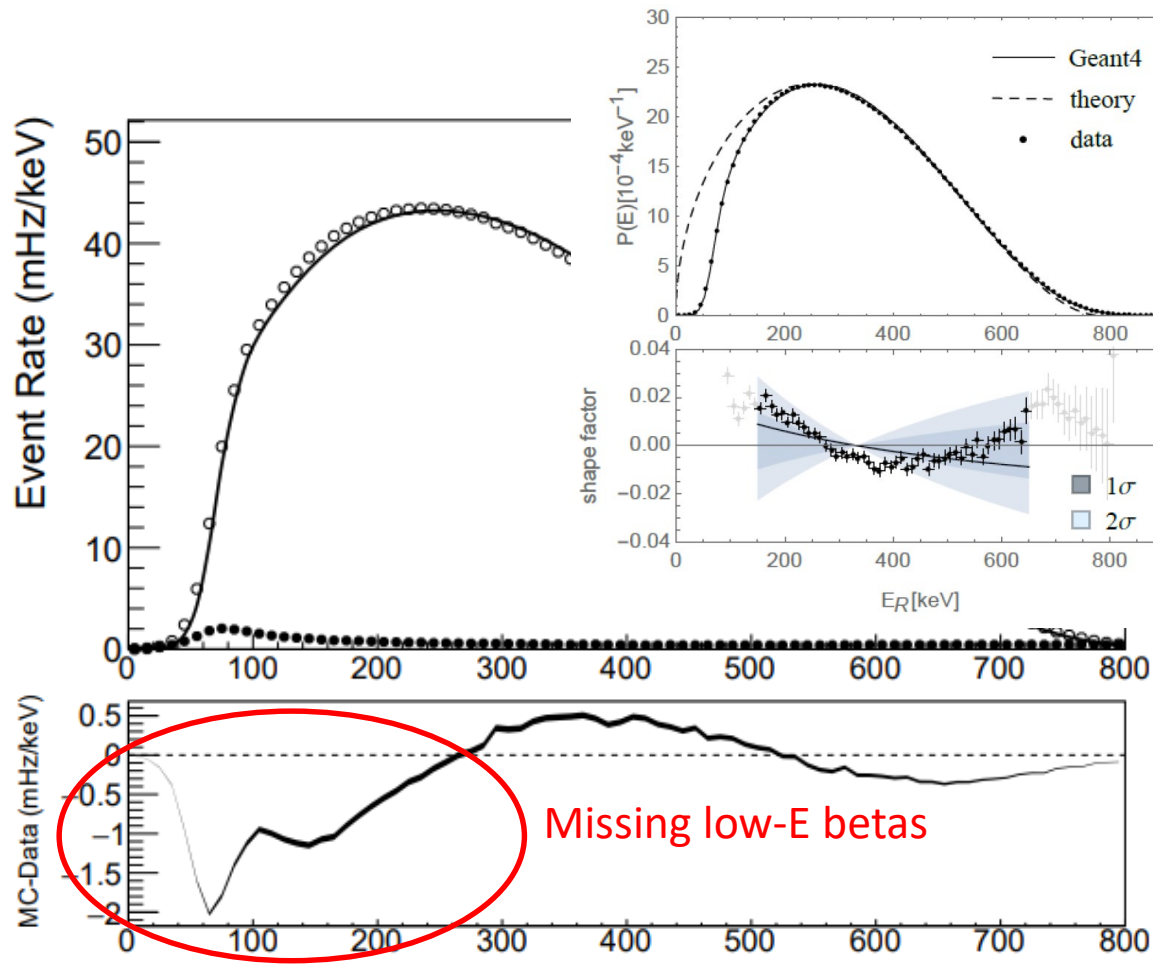
Monochromatic photon in the range of  
0.782 MeV - 1.664 MeV,  
branching fraction 1%.

Tang et al., Phys.  
Rev. Lett. 121,  
022505 (2018)



A buffer volume installed (2018)  
to smooth out the pulse  
response for more stable  
normalization.

# A possible way to lose protons: Formation of bound-state hydrogen as a final state of beta-decay?



Beta spectrum measured in the UCNA experiment.  
Brown et al., Phys. Rev. C 97, 035505 (2018)

Yuri Pokotilovski

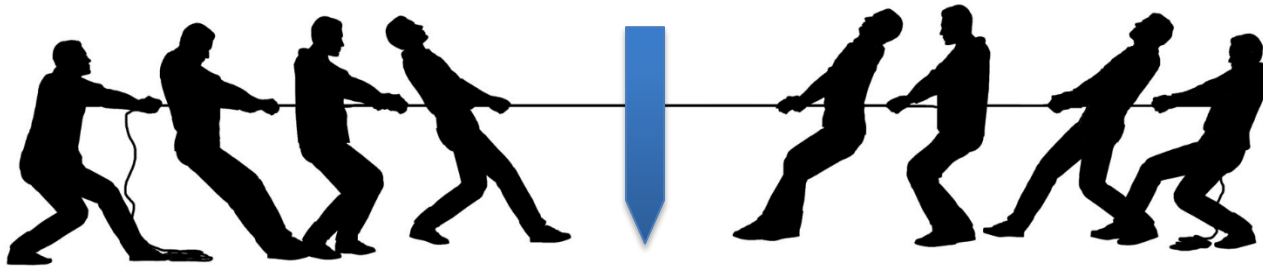
Beta loses energy with  
bremsstrahlung

If the proton captures the  
beta, then it will evade the  
charged particle detection.

Need to revisit the atomic  
calculations to estimate the  
probability of bound-state  
formation, under a high  
magnetic field (1 T, used in  
the NIST experiment)

“Bound-state  $\beta^-$  decay of the neutron re-examined,” A. N. Ivanov, M. Pitschmann, N. I. Troitskaya, and Ya. A. Berdnikov  
Phys. Rev. C **89**, 055502 (2014)

## Beam vs Bottle



PDG value

# Measurements better than $10^{-3}$ are challenging

In UCNtau, we store  $N_1=25,000$  neutrons, and count  $N_2=6000$  neutrons after storing them for  $t_2-t_1=1000$  s.

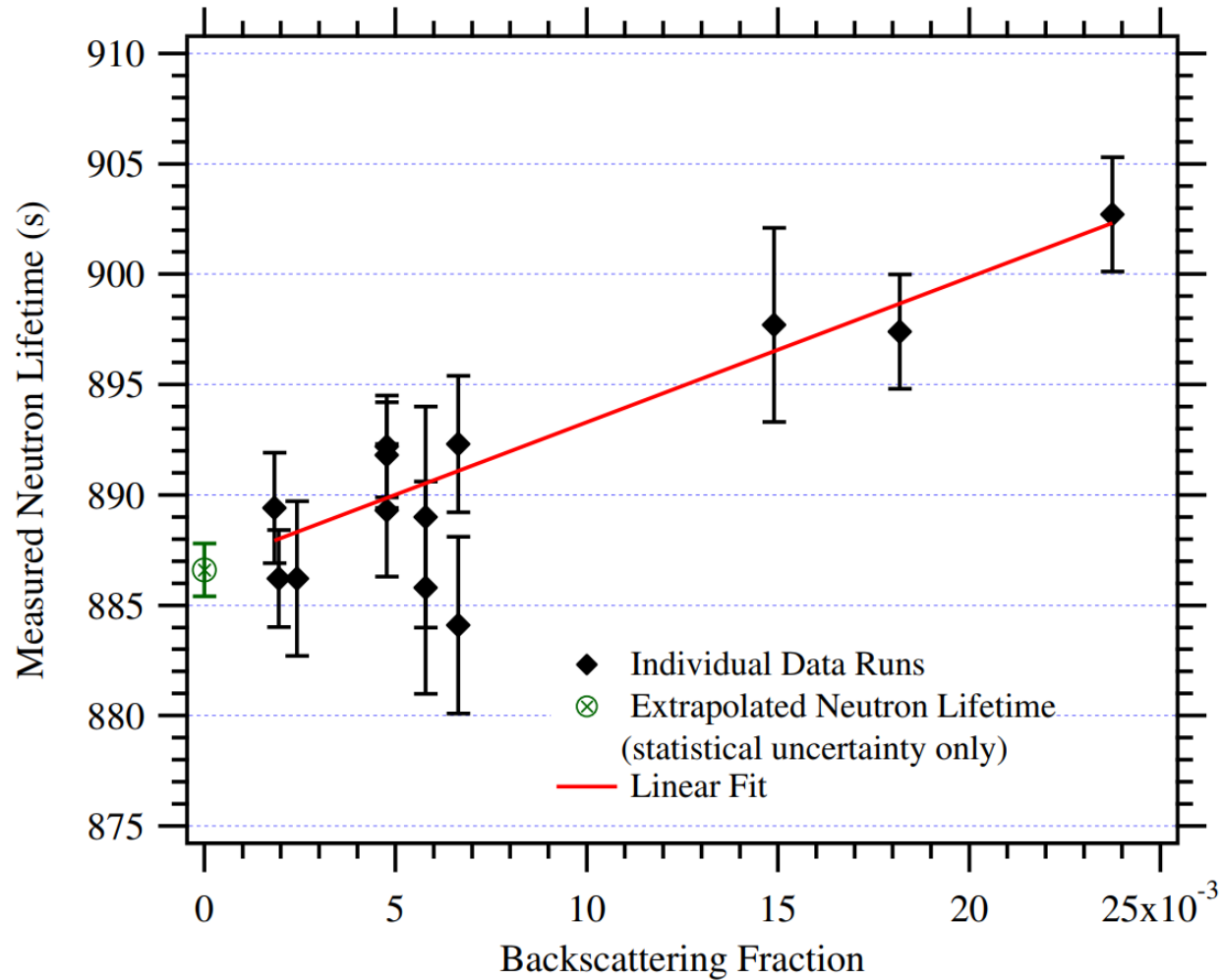
100 neutrons unaccounted for (due to upscatter, spin flip, or heating) will **decrease** the measured neutron lifetime by 10 s.

$$\frac{1}{\tau_{mea}} = \frac{1}{\tau_{\beta}} + \frac{1}{\tau_{ab}} + \frac{1}{\tau_{up}} + \frac{1}{\tau_{sf}} + \frac{1}{\tau_{heat}} + \frac{1}{\tau_{qb}} + \dots$$

To reach 1 s, we can miss no more than 10 neutrons (per run).  
To reach 0.1 s, no more than 1 neutron.

In the beam experiment, underestimate the proton efficiency (storage, transport, detection) by 1 % will **increase** the measured neutron lifetime by 8 s.

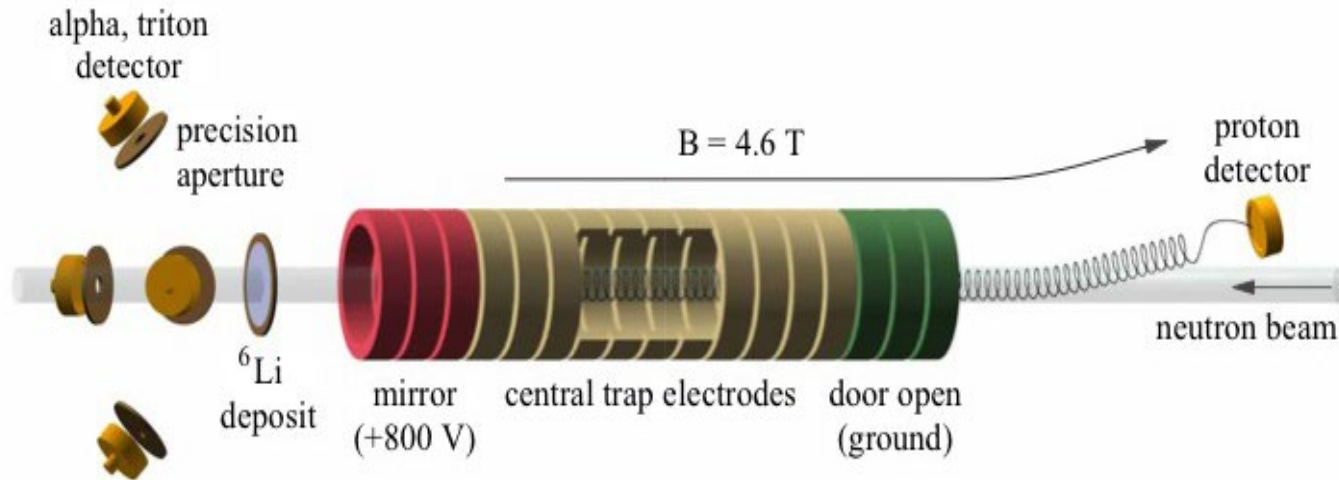
## BL1: Proton Backscattering Studies



Nico et al., Phys.Rev.C71:055502,2005

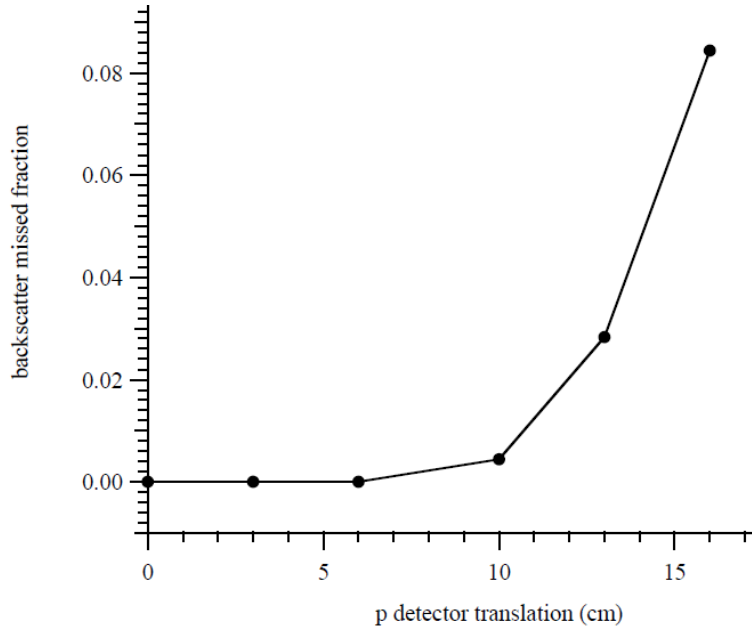


# Proton Backscattering

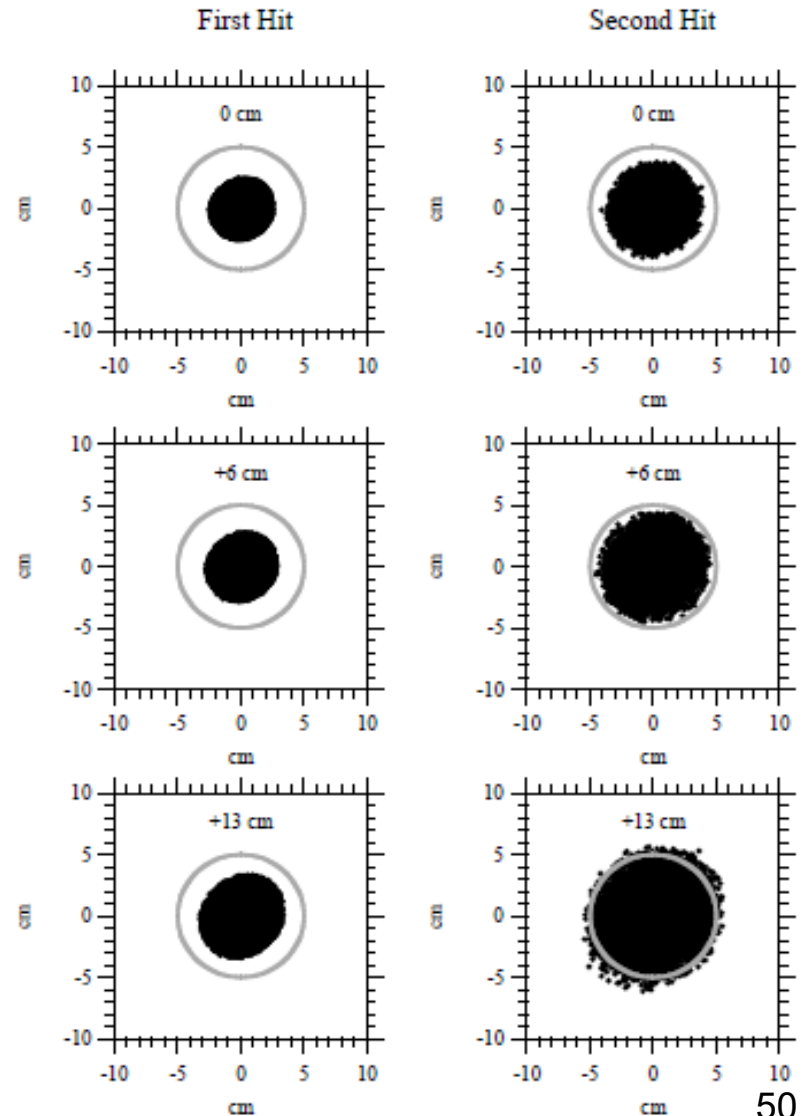
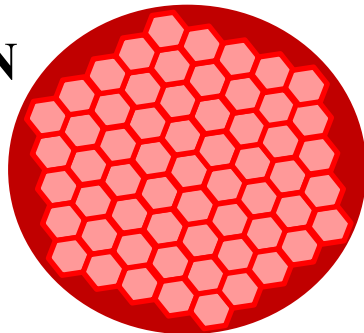


Source of uncertainty	BL1 [s]	BL2 projected [s]	BL3 projected [s]
Proton backscatter calculation	0.4	0.4	< 0.1

# Proton Backscattering



**Nab/UNCB/KATRIN  
style  
pixelated proton  
detector**



*Model by F. Wietfeldt*

# Ongoing efforts of n lifetime experiments

Experiment	Methods	Status	Current sensitivity		Projected sensitivity (s)
			Stat (s)	Sys (s)	
BL @ NIST	Beam	BL2: Data-taking	1.2	1.9	1
		BL3: R&D	-	-	0.3
JParc	Beam	Data-taking	4.4	+7.6/-8.6	1
Gravitrapp	Bottle-material	Data-taking	0.7	0.6	
UCNtau	Bottle-magnetic (perm. Magnets)	Data-taking	0.7	+0.3/-0.1	0.2
		tau2: conceptual	-	-	< 0.1
Hope	Bottle-magnetic (Perm. Magnets)	UCN Source R&D Trap commissioned	39		0.7
Ezhov	Bottle-magnetic (perm. Magnets)	Data-taking finished; Large trap upgrade	1.6	1.0	0.2
Penelope	Bottle-magnetic (superconducting magnets)	R&D	-	-	0.1
UCNProBe	Beam w/ UCN	R&D	-	-	3

# UCNProBe: measures the proton branching ratio

Zhaowen Tang et al

- Ultra-Cold Neutron Experiment for Proton Branching Ratio in Neutron Beta Decay (UCNProBe)
- Aims to understand the discrepancy between the beam and the bottle lifetime experiments; precision goal: sub %.
- Need to measure the neutron density and the number of decays absolutely
- Two methods for measuring the number of decays:
  - Protons
  - Electrons
- Required to know the efficiencies of the neutron detector and the decay product detector to  $\sim 0.1\%$  level
- We are currently scoping out different experiment ideas

## UCNProBe Experimental Concept

Measure  $\tau_\beta$  using UCNs

- if  $\tau_\beta = \tau_n$  (from Bottle), then unaccounted systematic error in beam method
- $\tau_\beta > \tau_n$ , then possible new physics

Requires absolute measurements of two quantities

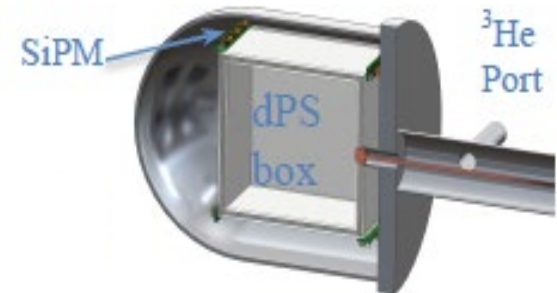
- Number of neutrons in the trap
- Number of neutrons that decayed (measurement of charged particles)

Charged particle detection

- Electron (Using deuterated polystyrene (dPS) as a UCN trap and detector)
- dPS scintillator (Eljen 299-2D) potential measured at 168 neV

Neutron detection

- UCN capture on  $^3\text{He}$  gas



# Jparc Beam Experiment

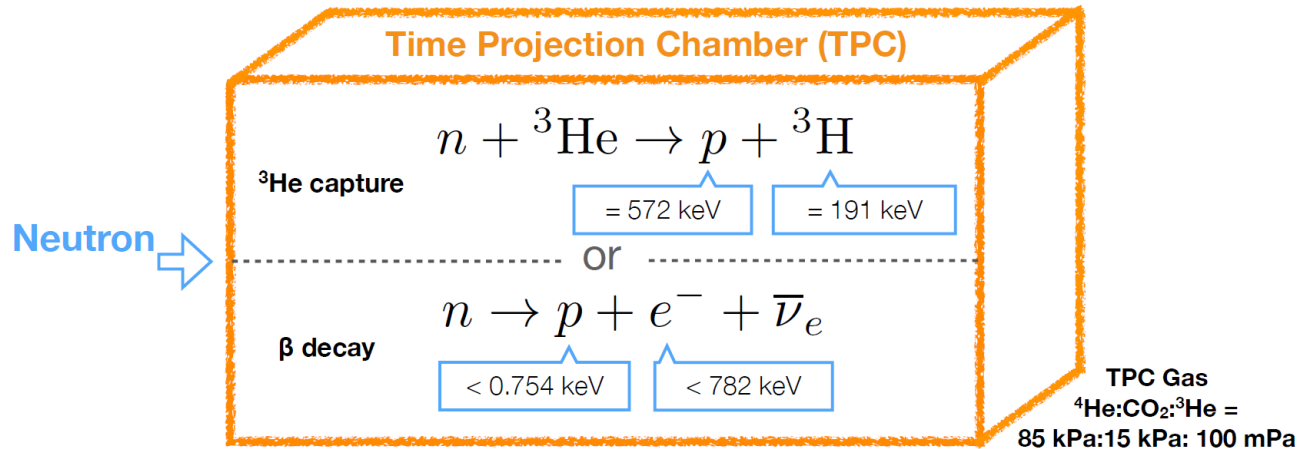
The method of neutron lifetime measurement

- Electron-Counting method**

Neutron lifetime is obtained from neutron  $\beta$  decay and flux ( $^3\text{He}$  capture).

$$\tau_n = \frac{1}{\rho\sigma v} \left( \frac{S_{\text{He}}/\epsilon_{\text{He}}}{S_{\beta}/\epsilon_{\beta}} \right)$$

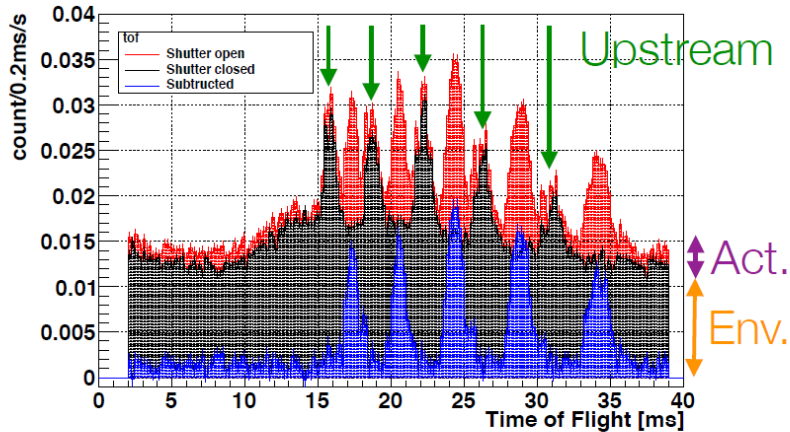
$\tau_n$	Neutron Lifetime		
$\rho$	$^3\text{He}$ density (Blind)	$S_{\beta}$	Number of $\beta$ decay signal
$\sigma$	$^3\text{He}$ neutron capture cross section	$S_{\text{He}}$	Number of $^3\text{He}$ capture signal
$v$	Neutron velocity	$\epsilon$	Cut efficiency



**First result : O(10) sec accuracy**  
 **$\Rightarrow$  Final goal : 1 sec accuracy**



# Background against beta decay



## Cut & Simulation Gas induced

Neutrons produce  $\gamma$  rays  
in the TPC gas.

The time difference between  
neutron produced at the target and arrived at TPC.

### TPC activation

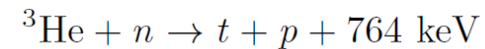
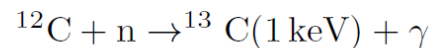
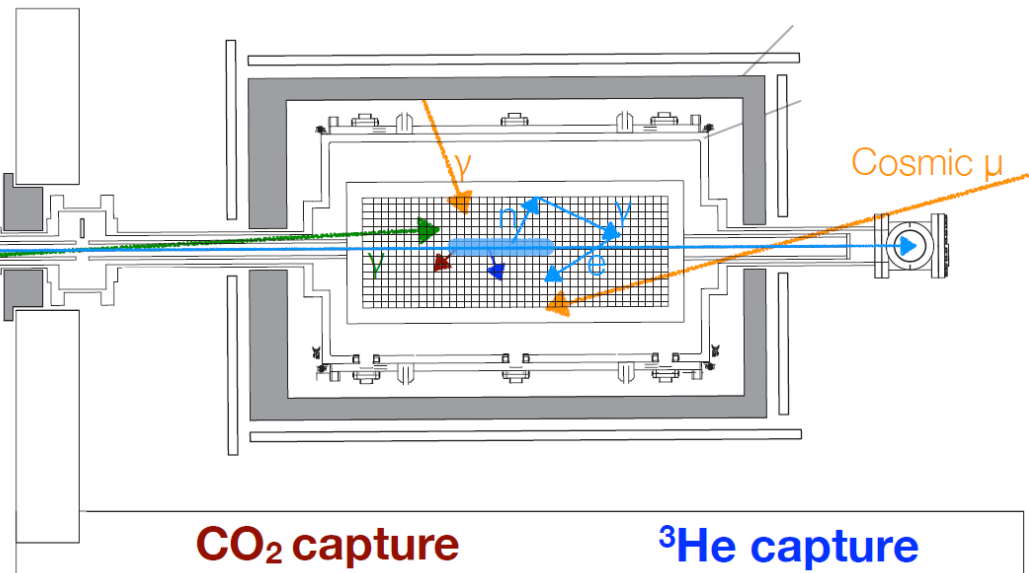
Scattering neutrons activate  
TPC inner wall.

### Upstream

$\gamma$  rays from SFC  
produce electrons in the TPC  
via Compton scattering

### Environment

Cosmic rays  
Radioisotopes  
in the shields

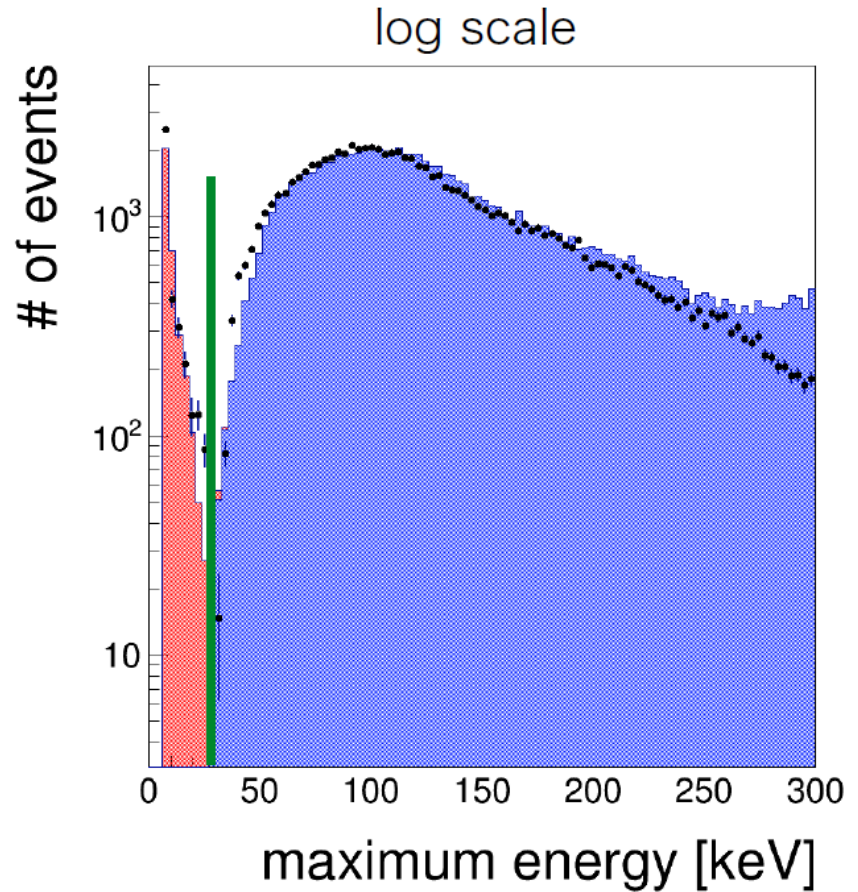
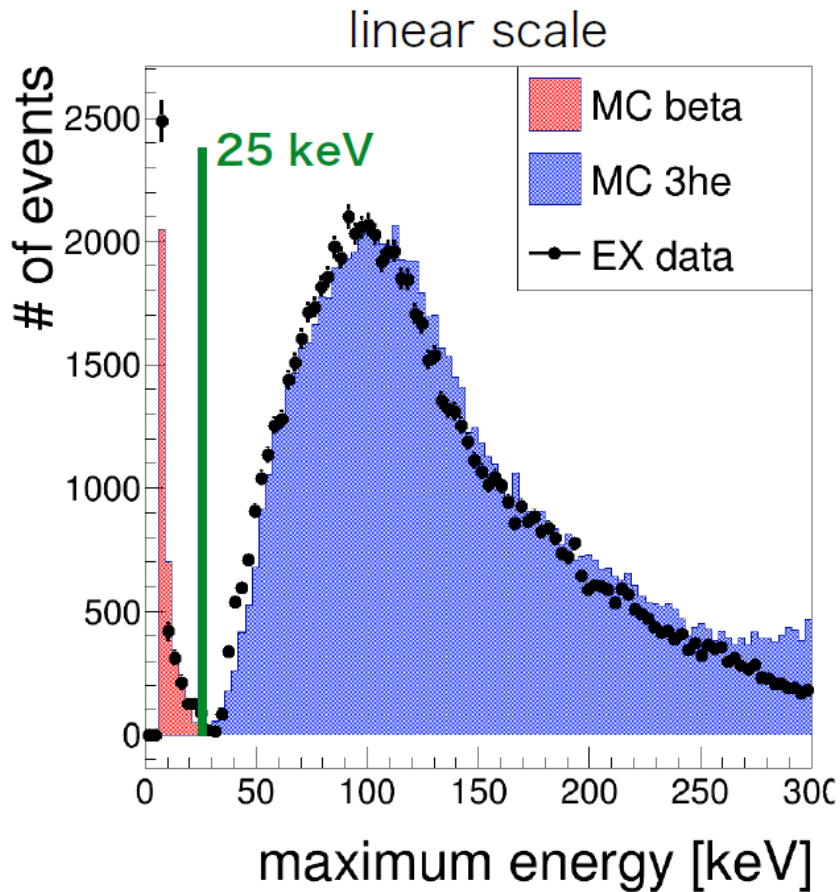


**Time of Flight**

**Energy and Range cut**

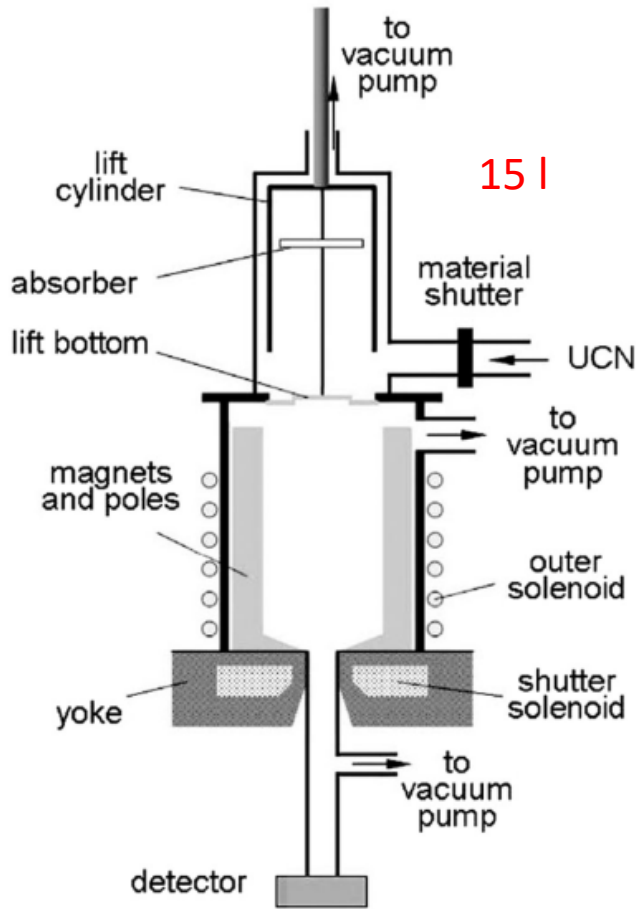
# Separation of $\beta$ decay and ${}^3\text{He}(n, p){}^3\text{H}$

two kinds of signal events ( $\beta$  decay and  ${}^3\text{H}(n, p){}^3\text{H}$ ) in the TPC can be separated by **maximum energy deposit among all wires**



# Magnetic Bottles

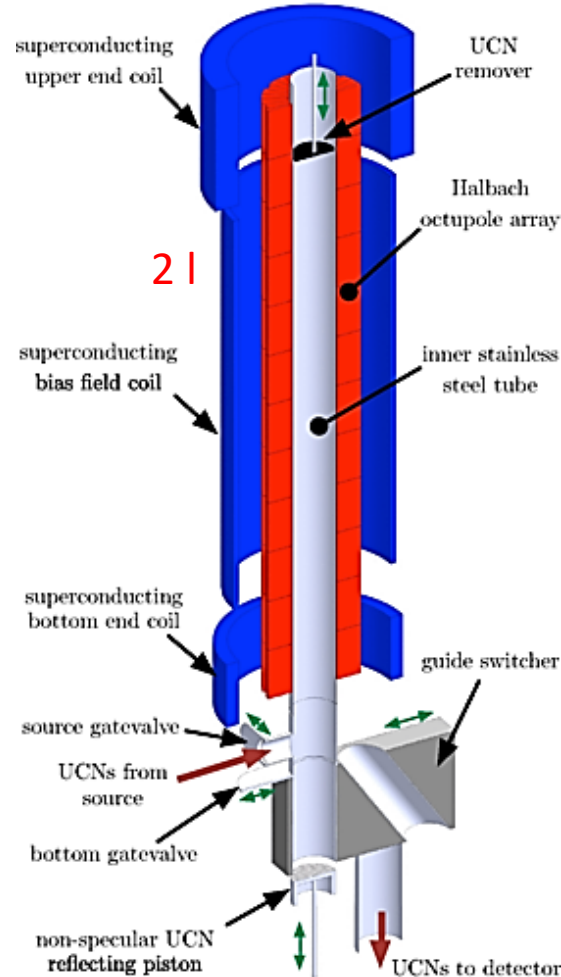
HOPE



15 l

V. Ezhov *et al.*, NIMA, 611, 167 (2009)

$\tau_n = 878.3 \pm 1.9$  s,  
arXiv:1412.7434 (2014)



2 l

700 l

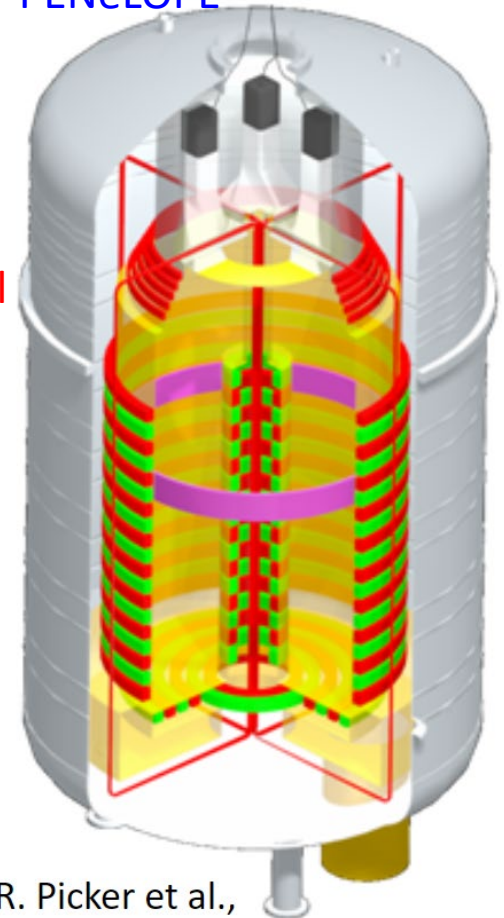
$$\tau_n = (887 \pm 39) \text{ s}$$

Leung, et al, PRC 94, 045502 (2016)

(proton detection)

TU Munich

PENeLOPE



R. Picker *et al.*,

J. Res. NIST 110 (2005) 357

$\rho_{\text{UCN}} = 10^3 - 10^4 \text{ cm}^{-3}$  (FRM II)

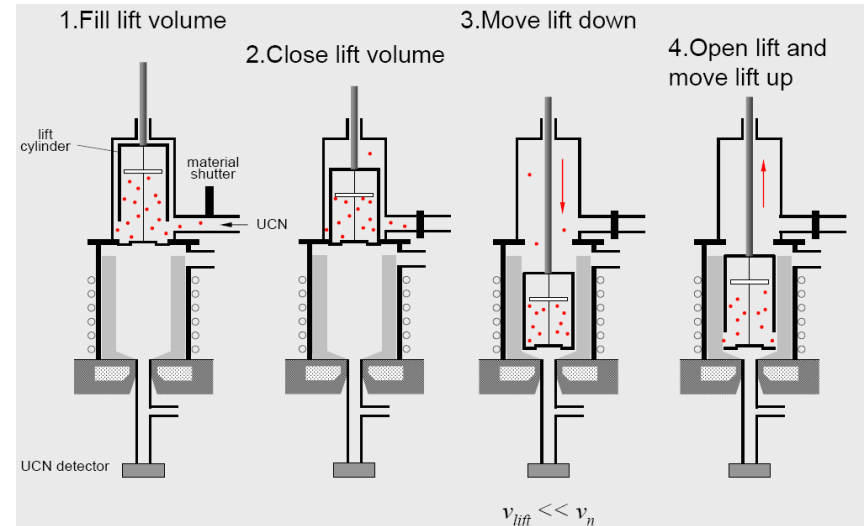
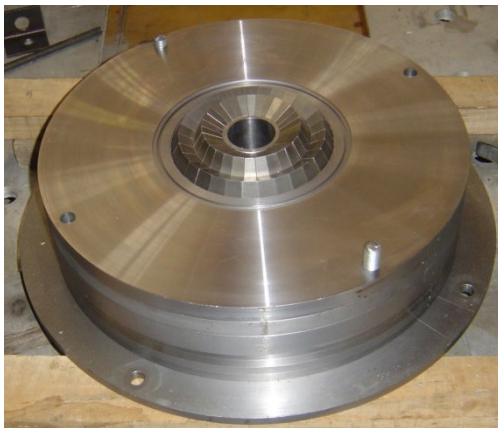
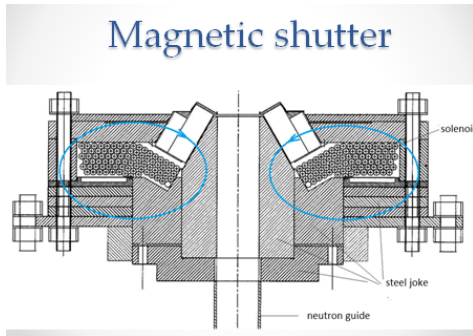
$N_{\text{stored}} = 10^7 - 10^8$

Statistical  $\delta\tau_n \sim 0.1$  s in 2-4 days

$$\tau_n = (878.3 \pm 1.6 \pm 1.0) \text{ s}$$

**Magnetic shutter in lower part of trap permits to collect depolarized UCN during storage time**

Trap is filled using elevator in upper part of trap. There are an absorber inside elevator for preliminary preparation of UCN spectrum. Final cleaning proceeds inside the trap throw magnetic shutter in lower part of trap



Trap is filled with **unpolarized** UCN. In this case half of neutrons are leaking during trap filling and they will be detected just during the filling. So before each run real quantity of UCN in trap is measured.



# UCN Lifetime Experiment at the ILL

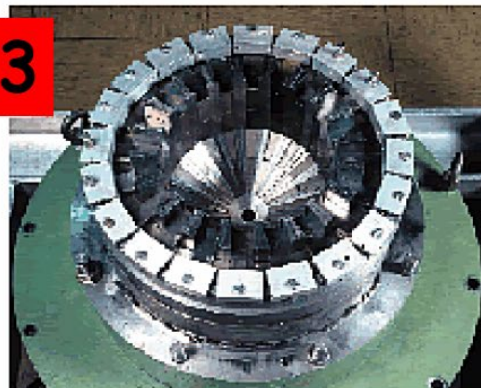
2004



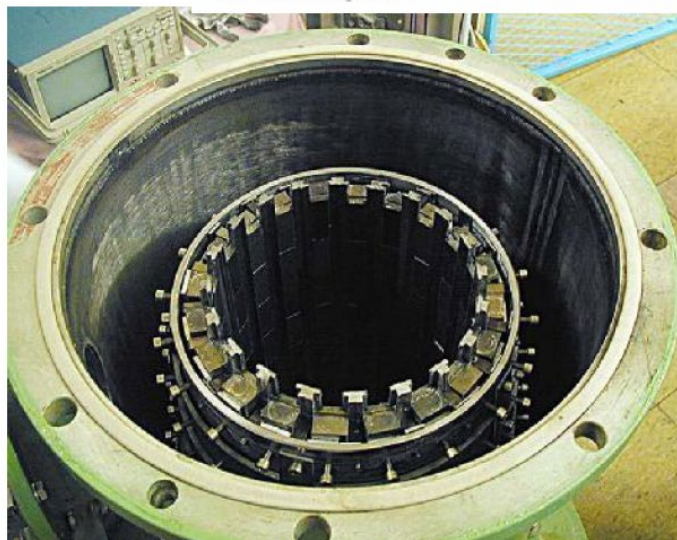
increase storage volume from 3.6 l to **15 l**

P. Geltenbort (V. Ezhov)

2003



Top view of the storage bottle made of permanent magnets.



Universitat Autònoma, Madrid, 30 November 2007

- Neutrons from the ILL turbine.
- Trapped with permanent magnets and gravity.
- Surviving neutrons counted.

45

Analysis unpublished

V. Ezhov *et al.*, *J. Res. NIST* **110** (2005) 345



Dr. Who, an assistant, and a captured Dalek 60



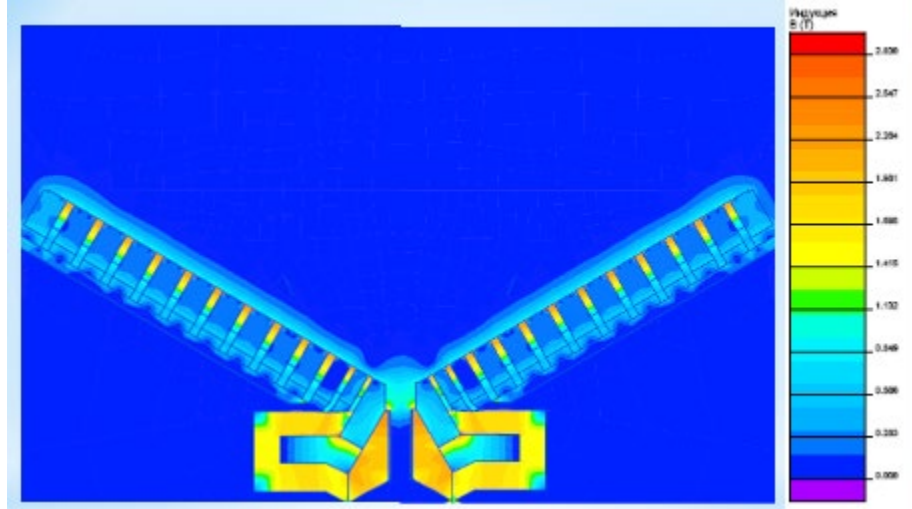
# New trap under construction

B. A. Bazarov et al, Technical Physics Letters 42(7), 663-666, (2016)

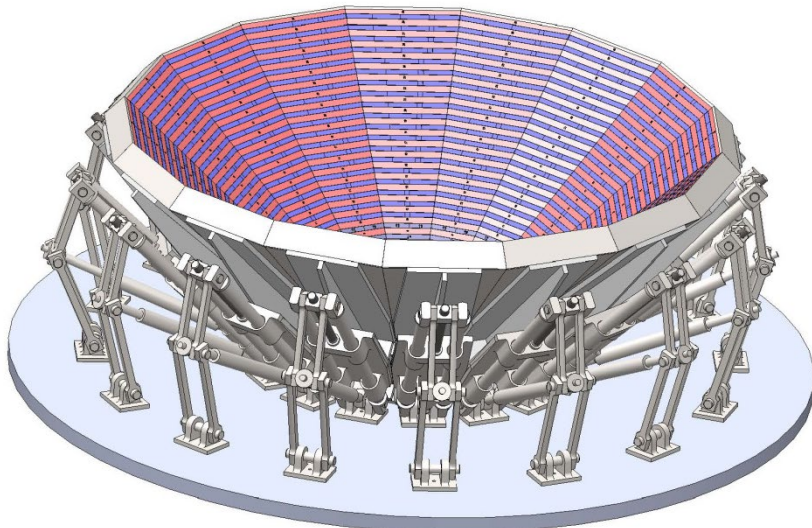
Increasing of volume is about 15 times

Increasing of stored UCN energy in 2 times

Waited accuracy about 0.2 s.



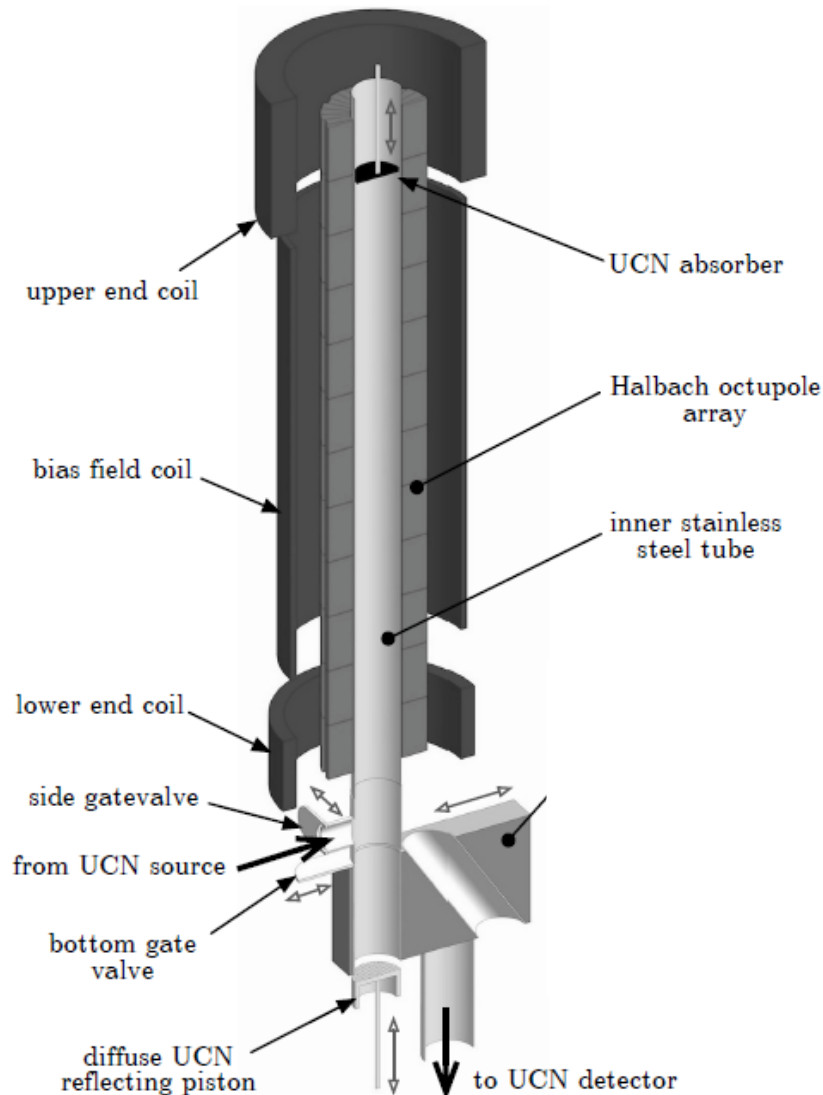
Calculated map of magnetic field for a new trap



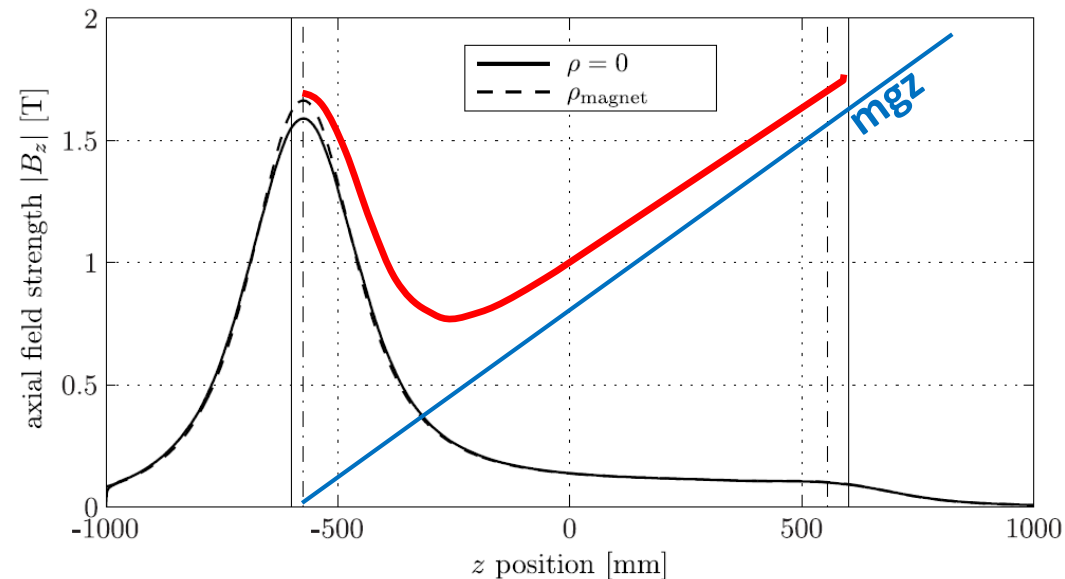
System for new trap filling in ILL

# HOPE – Halbach OctuPole neutron lifetime Experiment

Ph.D. theses: **Felix Rosenau, Fabien Lafont, Loris Babin, Kent Leung**



- magneto-gravitational trap
- $V_{\text{eff}} \approx 2 \text{ l}$
- trap depth 47 neV
- high-density UCN source
- counting the dead & survivors



# Experiments?

Start with well established  
“fill and empty” method

Full-bore access from top and bottom:

- insertion of diffusive paddle and absorber
- monitoring of depolarisation
- detection of marginally trapped neutrons

Couple experiment to superfluid-helium

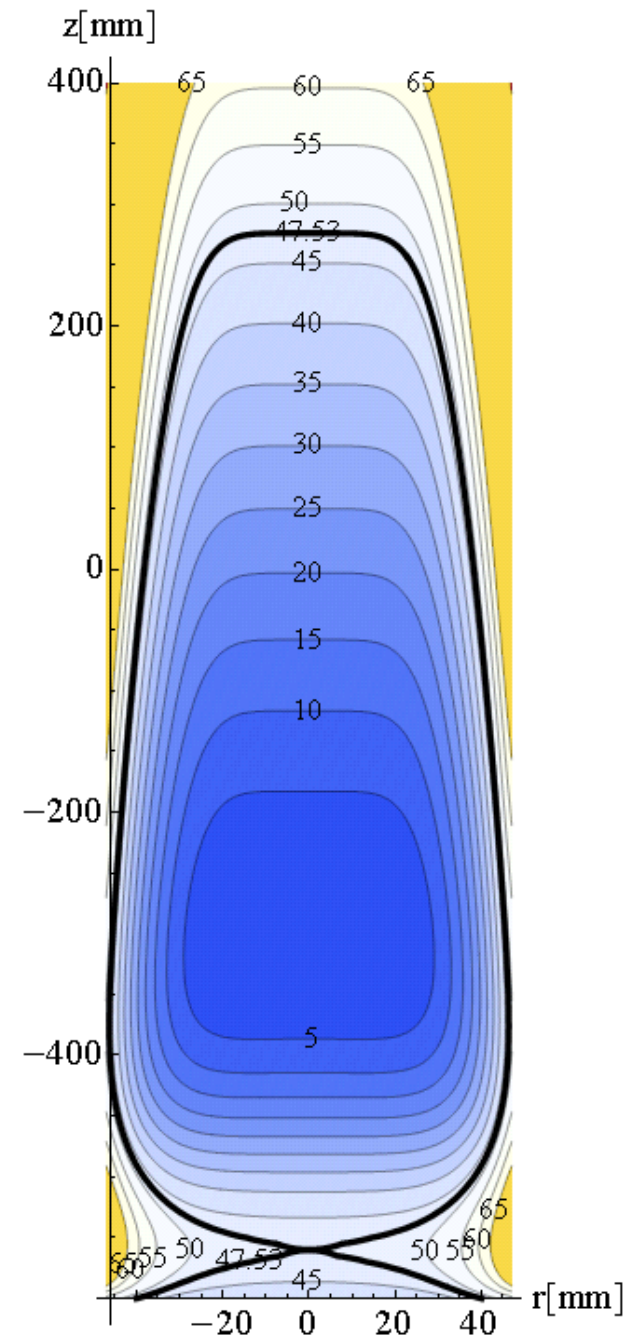
UCN source **SUN-2** at ILL

(pessimistic estimate: 3000 UCN/fill)

$\delta\tau_n \sim 0.7 \text{ s}$  in 50 days (statistical)

Experiments @ PF2 performed in fall 2014

Experiments @ SUN-2 in preparation **L. Babin**



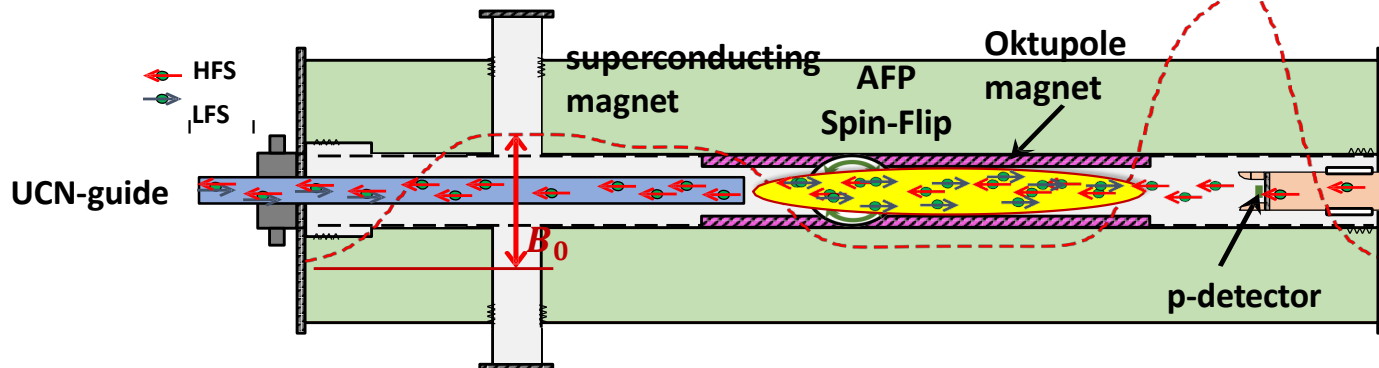
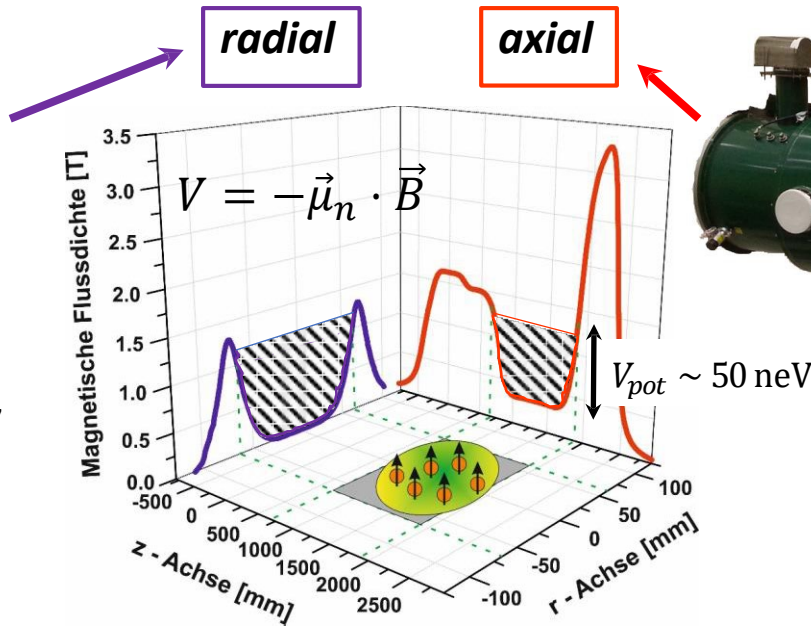
# Neutron lifetime in magnetic trap - $\tau$ SPECT

Octupole magnet  
Halbach-configuration



permanent magnets  $\text{Sm}_2\text{Co}_{17}$

aSPECT superconducting magnet (see later)

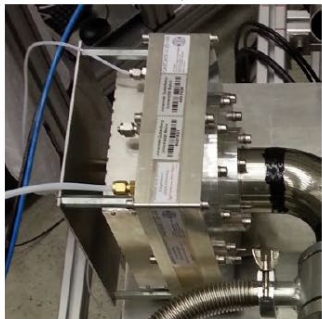
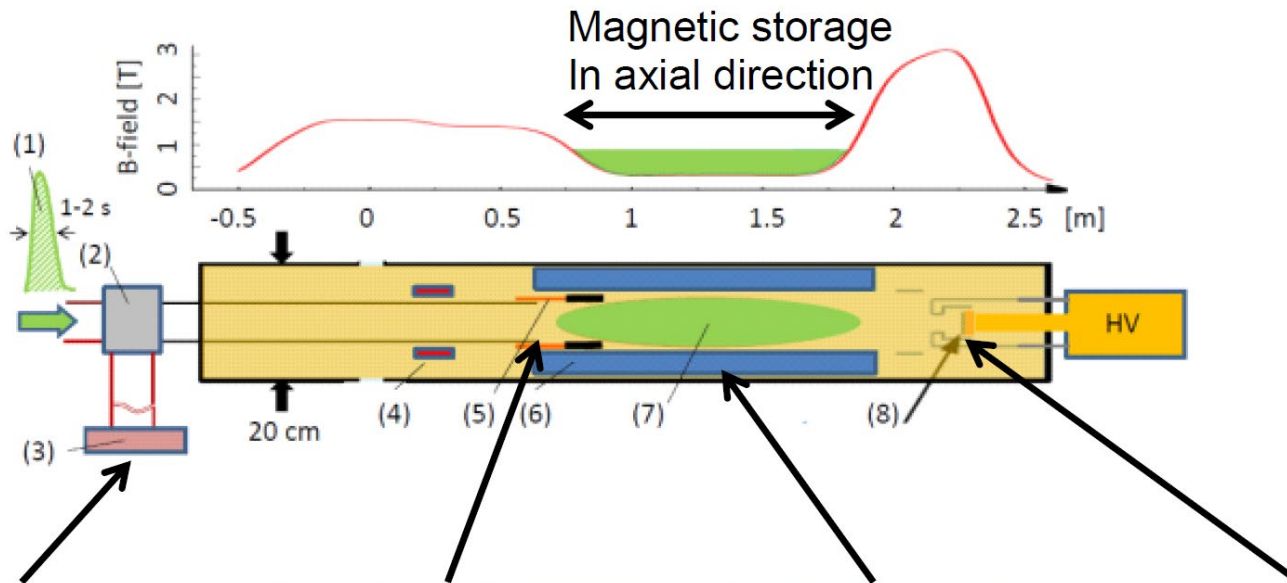


Goal:  
 $\Delta\tau_n \leq 2$  s (soon)  
 $\Delta\tau_n \leq 0.3$  s  
 (2023?)

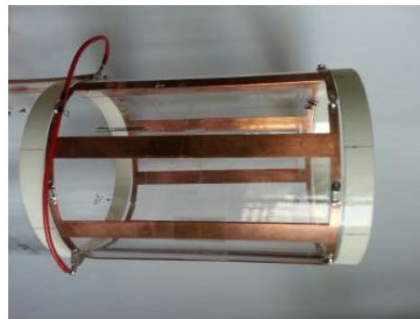


# $\tau$ SPECT principle

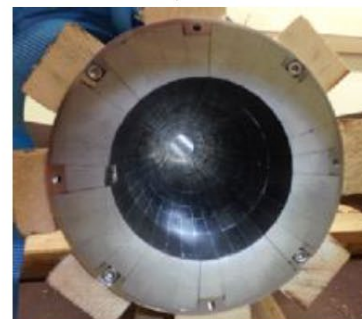
Talk by Marcus Beck



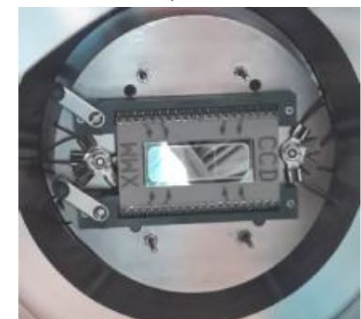
CASCADE detector  
for neutron detection



AFP spin flipper



Magnetic octupole  
for radial storage

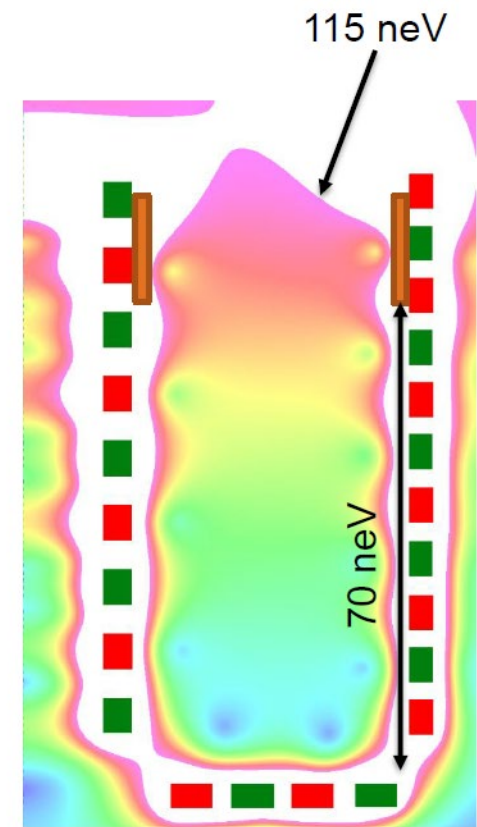
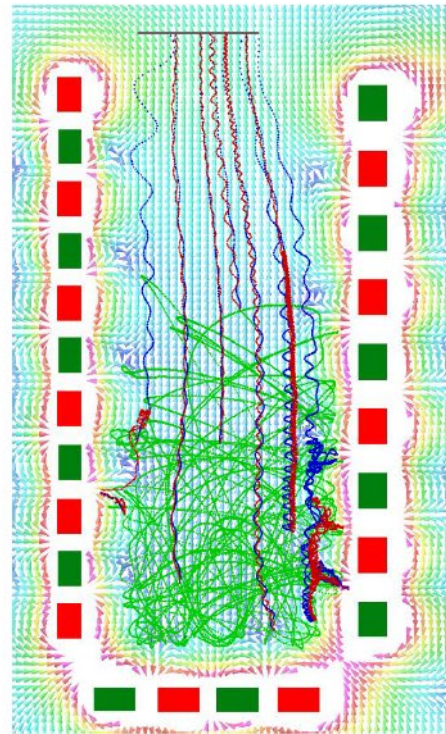
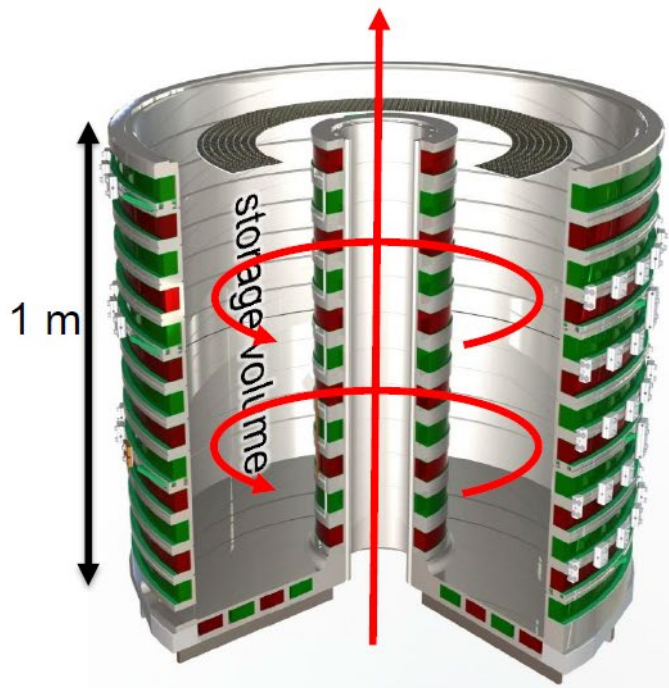


SDD for decay  
proton detection

# PENeLOPE

Precision Experiment on Neutron Lifetime Operating with Proton Extraction

- n lifetime measurement  $\pm 0.1$  s
- Magneto-gravitational trap for UCN
- On-line proton detection



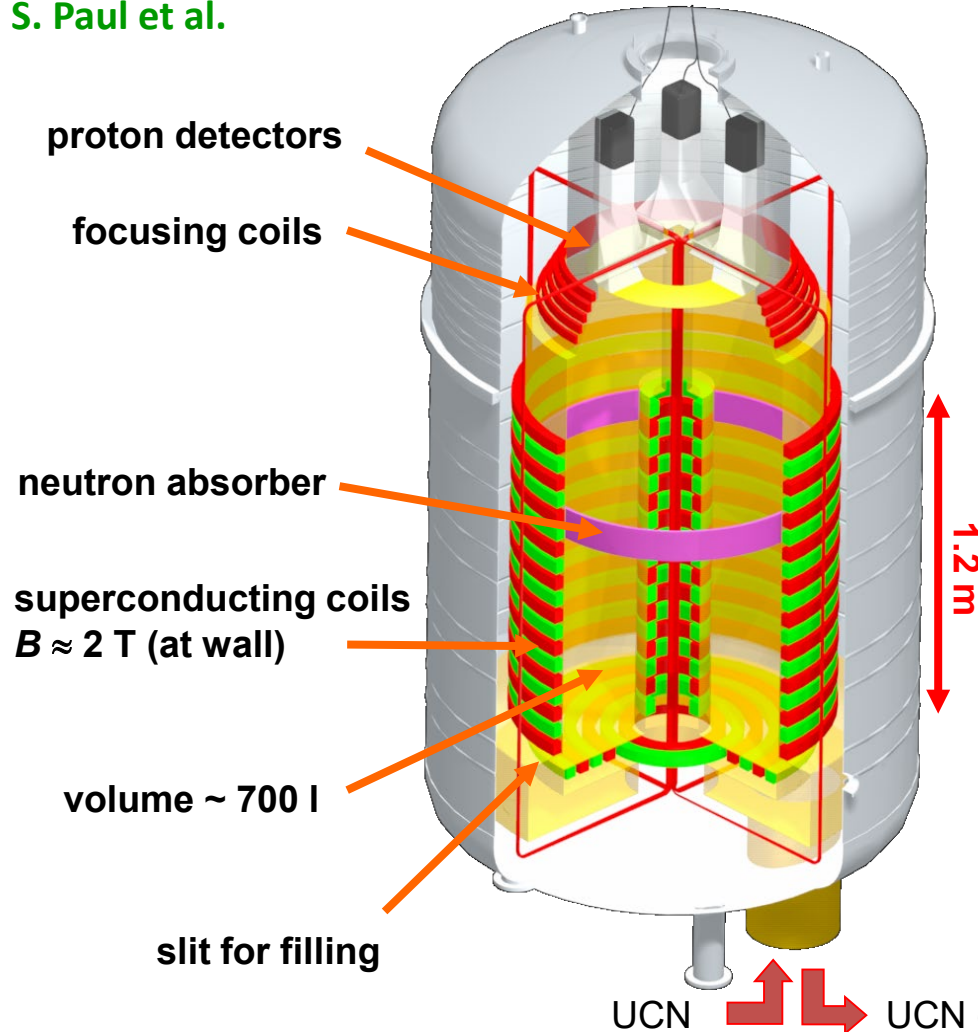


# Proposed large volume magnetic storage experiment

PENeLOPE

Magnetic storage of UCN & proton extraction

S. Paul et al.



$$N(t) = N(t_0) \exp\left(-\frac{t}{\tau_n}\right)$$

$$\rho_{\text{UCN}} = 10^3 - 10^4 \text{ cm}^{-3} \text{ (PSI /FRM II):}$$

$$N_{\text{stored}} = 10^7 - 10^8$$

– Statistical accuracy:

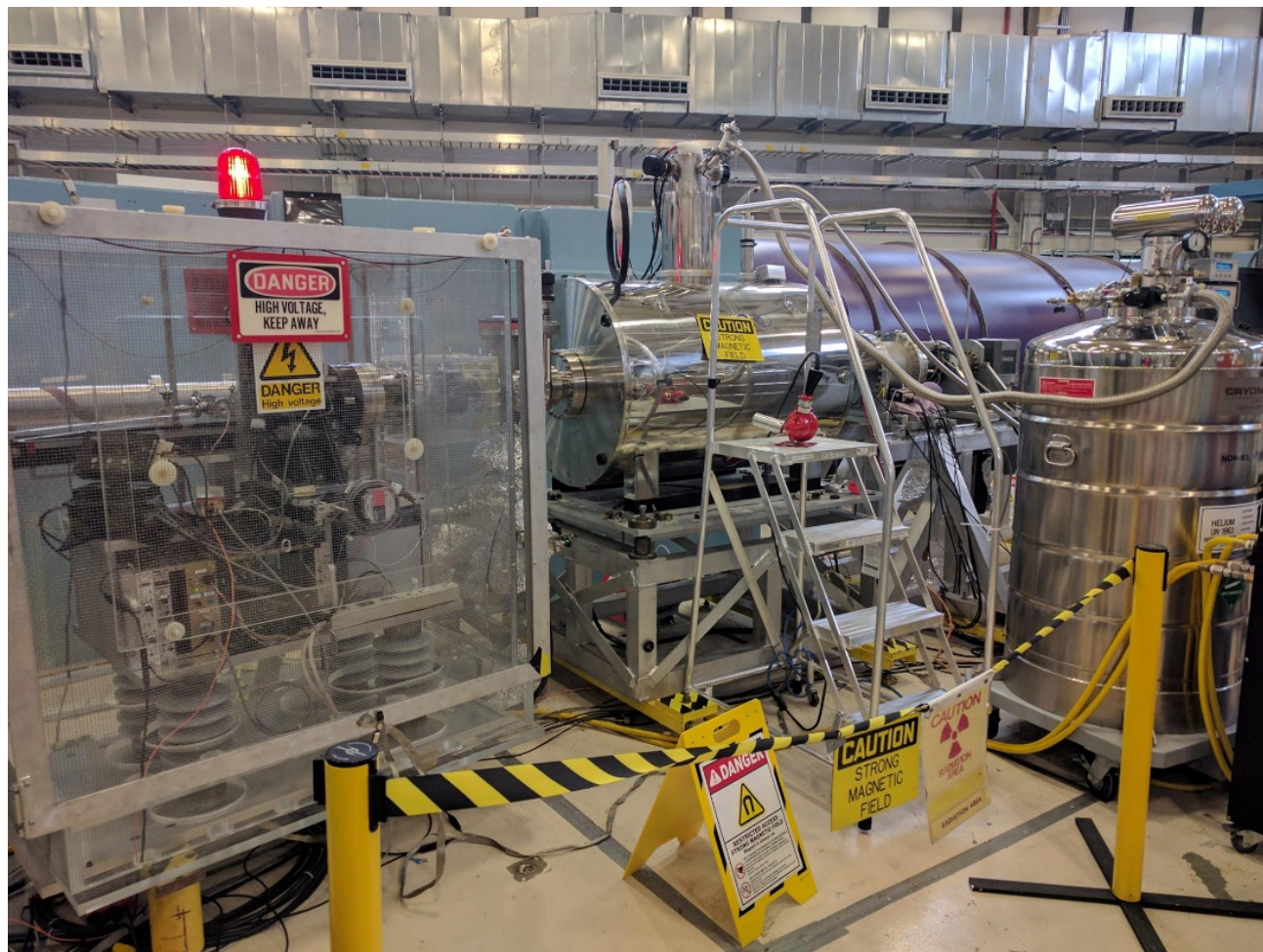
$$\delta\tau_n \sim 0.1 \text{ s in 2-4 days}$$

– Systematics:

- Spin flips negligible (simulation)
- use different values  $B_{\text{max}}$  to check expected  $E_{\text{UCN}}$  independence of  $\tau$

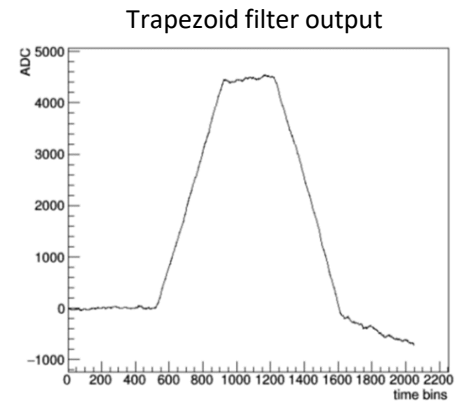
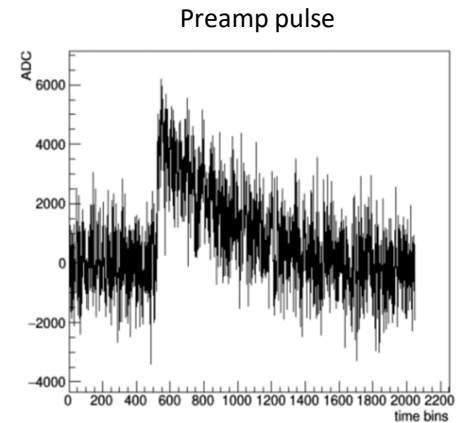
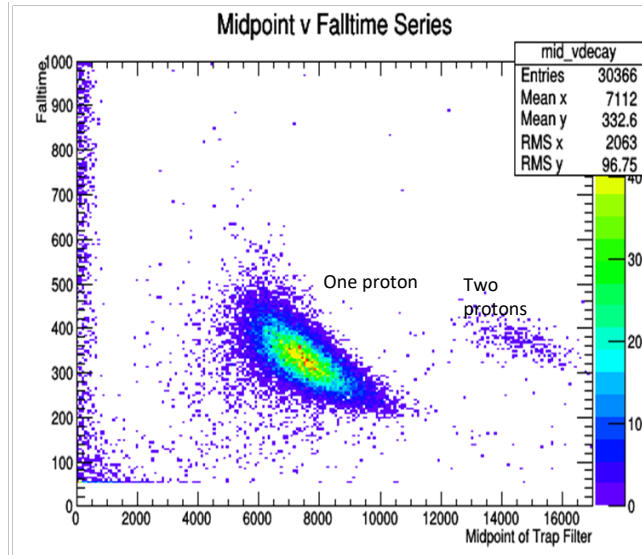
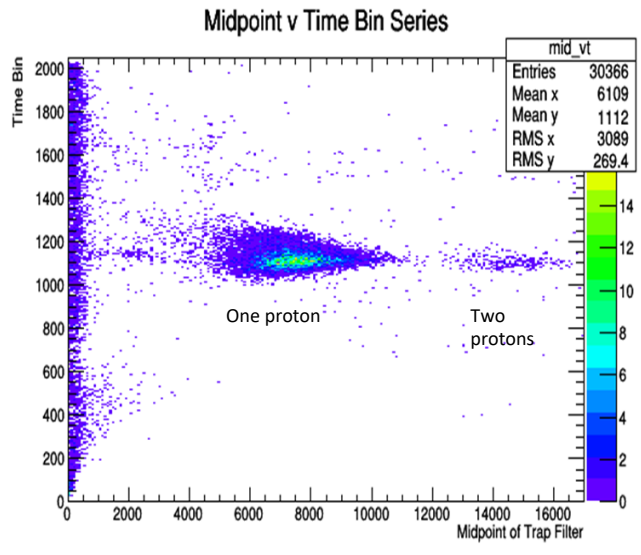
R. Picker et al., *J. Res. NIST* 110 (2005) 357

BL2 experiment is running now at NIST.



# Trapezoid Filter Analysis

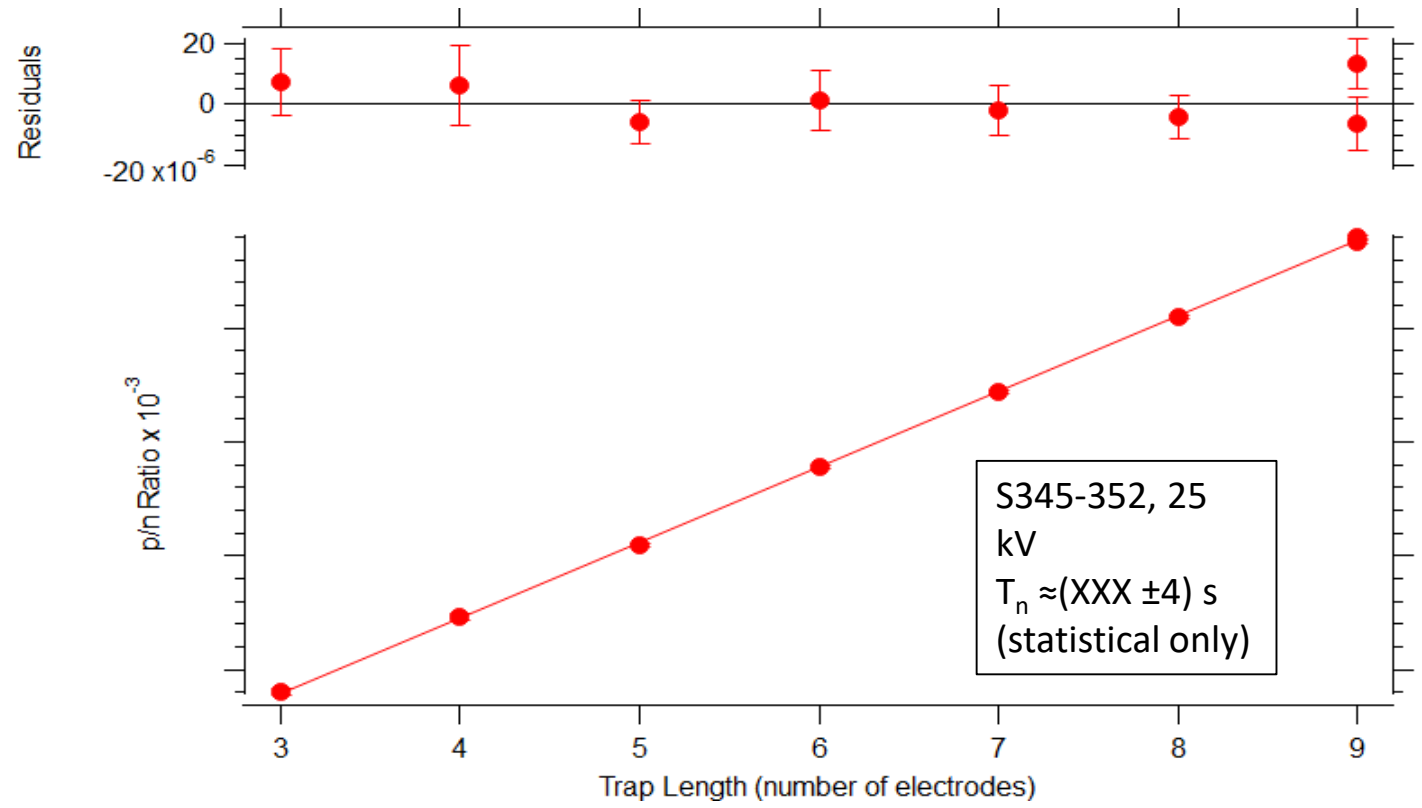
- Uses a convolution for pulse shape discrimination
- Retains information from the original pulse
- Able to identify multiple proton events



From Jimmy Caylor

# Lifetime fit example

$$\frac{\dot{N}_p}{\dot{N}_n} = \tau_n^{-1} \left( \frac{\epsilon_p}{\epsilon_o} \right) (nl + L_{end})$$



From Jimmy Caylor

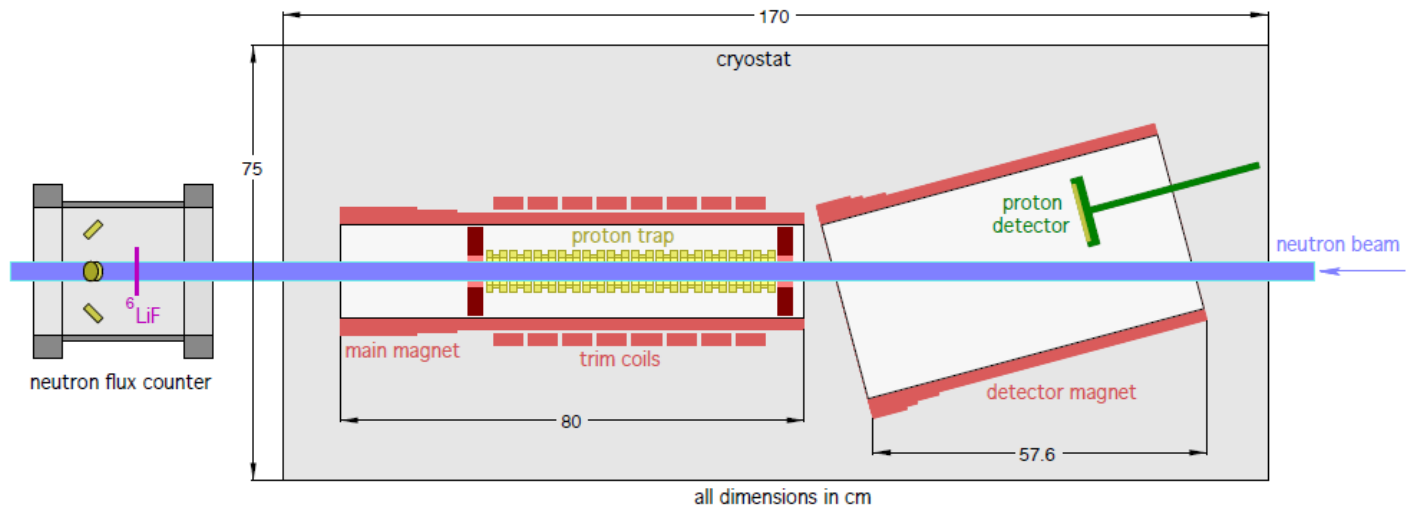
# Critical Improvements over previous measurements

Source of uncertainty	<b>past</b>	<b>present</b>	<b>future</b>
	BL1 [s]	BL2 projected [s]	BL3 projected [s]
Neutron flux monitor efficiency	2.7	0.5	0.2
Absorption of neutrons by $^6\text{Li}$	0.8	0.1	< 0.1
Neutron beam profile and detector solid angle	0.1	0.1	< 0.1
Neutron beam profile and $^6\text{Li}$ deposit shape	0.1	0.1	< 0.1
Neutron beam halo	1.0	0.1	< 0.1
Absorption of neutrons by Si substrate	0.1	0.1	< 0.1
Scattering of neutrons by Si substrate	0.5	0.1	< 0.1
Trap nonlinearity	0.8	0.2	0.1
Proton backscatter calculation	0.4	0.4	< 0.1
Neutron counting dead time	0.1	0.1	< 0.1
Proton counting statistics	1.2	0.6	< 0.1
Neutron counting statistics	0.1	0.1	< 0.1
<b>Total</b>	<b>3.4</b>	<b>1</b>	<b>0.3</b>



# BL3: Bigger!

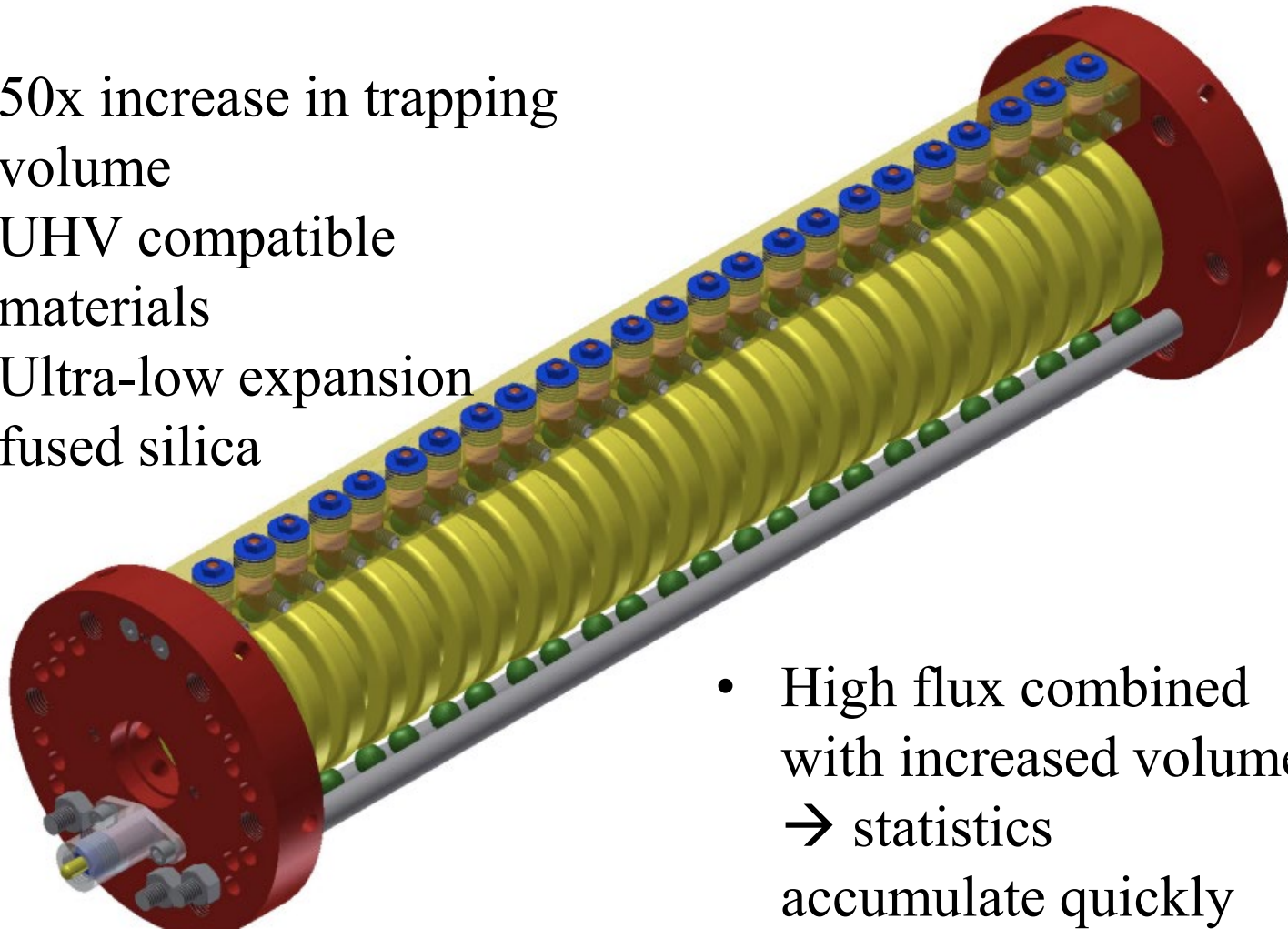
- Increased neutron beam diameter  
 $7\text{ mm} \rightarrow 35\text{ mm}$
- Uniformity requirements:  
 $\Delta B/B < 10^{-3}$  (in proton trap)
- 50x increase in trapping volume





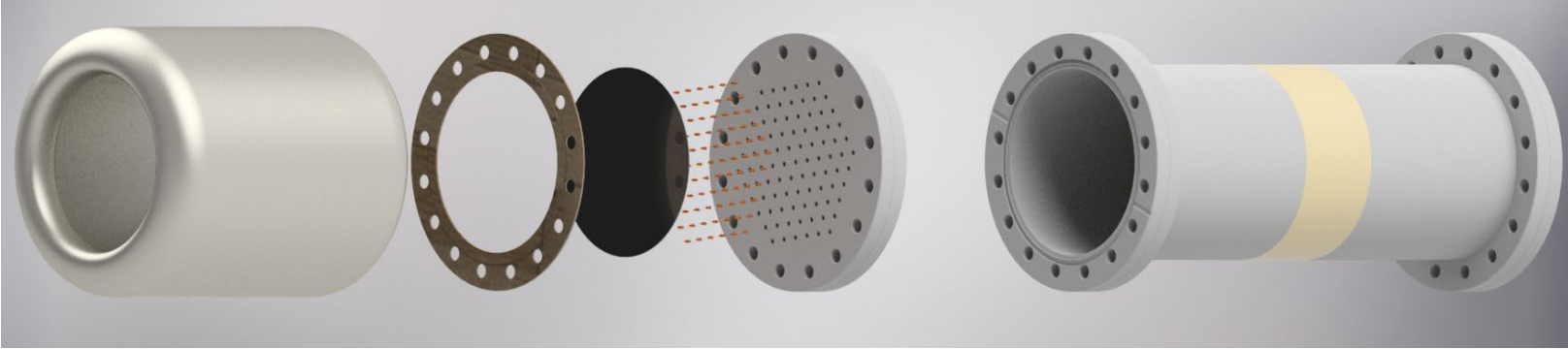
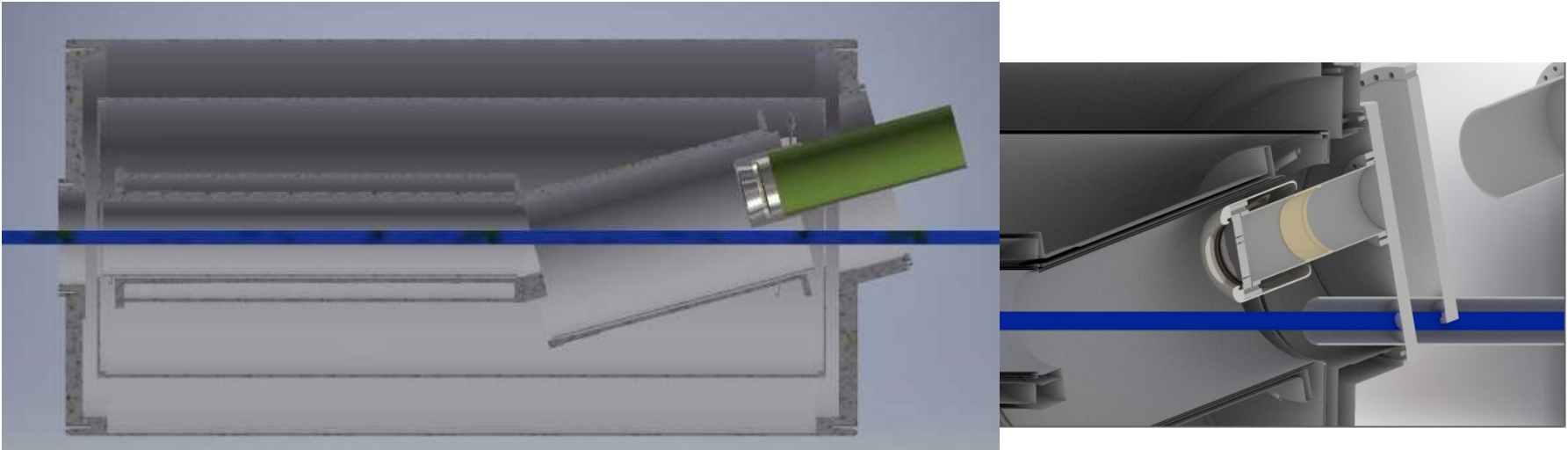
# New Quasi-Penning Trap

- 50x increase in trapping volume
- UHV compatible materials
- Ultra-low expansion fused silica

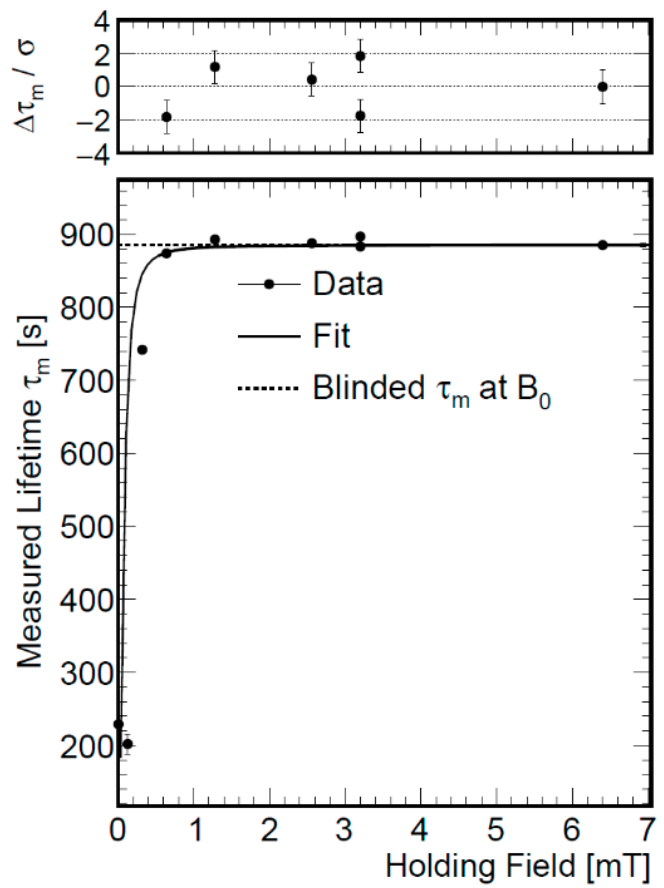
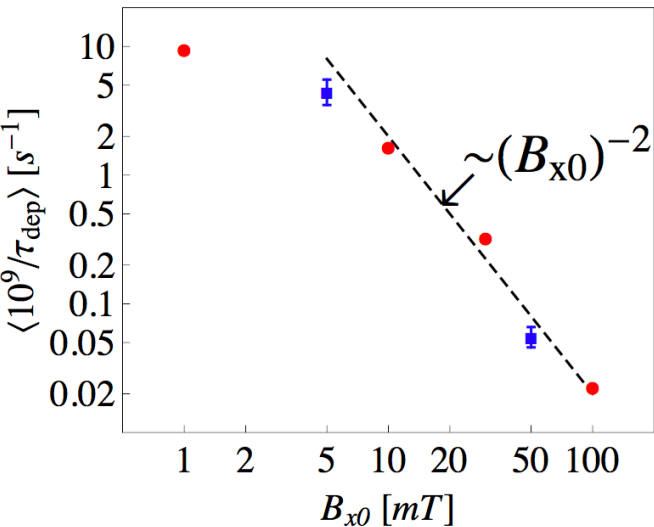


- High flux combined with increased volume  
→ statistics accumulate quickly

# Exists in Inventor, not just our imaginations



# Depolarization in UCNtau



$$\frac{1}{\tau_{meas}} = \frac{1}{\tau_n} + \left(\frac{B_{\perp 0}}{B_{\perp}}\right)^2 \frac{1}{\tau_{depol}}$$

$$\tau_{depol} = 1.1 \times 10^7 \text{ s}$$

$$\Delta\tau = 0 + 0.07 \text{ s}$$

A. Steyerl, *et. al.*, Phys. Rev. C Nucl. Phys. 95, 035502 (2017).  
R. W

R. W. Pattie Jr. *et al.*, Science 360, 627 (2018).