Neutrino Mass from Cosmology & Astrophysics I

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Neutrino Mass: From the Terrestrial Laboratory to the Cosmos - ACFI December 14, 2015 Large Scale Structure: the cosmological density perturbation spectrum

 Power spectrum of cosmological density fluctuations

 $P(k) = \langle |\delta_k|^2 \rangle$

• Primordial Harrison-Zeldovich: from scale invariance

 $P(k) \propto k$

- Natural solution to perturbation spectrum: self-similar evolution
- Predicted by inflation

 $P(k) \propto k^n$

$$n \lesssim 1$$

$$\delta(x) \equiv [\rho(x) - \bar{
ho}]/\bar{
ho}$$

 $P(k) = \langle |\delta_k|^2 \rangle$



Measuring Large Scale Structure *P*(*k*)



The Cosmological Matter Power Spectrum



Perturbations enter horizon:



 $k \rightarrow$

$$n_{\nu} = N_{\nu} \times \left(\frac{3}{11}\right) n_{\gamma} \approx 340 \text{ cm}^{-3}$$

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How does probe neutrinos?

$$n_{\nu} = N_{\nu} \times \left(\frac{3}{11}\right) n_{\gamma} \approx 340 \text{ cm}^{-3} \quad \text{(Assuming thermal equilibrium)}$$

$$\rho_{\nu} = \sum m_{i} n_{\nu_{i}}$$

$$\Omega_{\nu} \approx \sum \frac{m_{\nu_{i}}}{93 \ h^{2} \ \text{eV}}$$

$$E^{2} = p^{2} + m^{2}$$

$$M_{\nu} = \sum m_{i} n_{\nu_{i}}$$

$$E^{2} = p^{2} + m^{2}$$

E



The Primordial Spectrum: CMB gives a <u>Precision</u> Determination <u>at Large Scales</u>

 $P(k) = Ak^n$

Planck Collaboration 2015:



 $\ln (10^{10} A) = 3.094 \pm 0.034 \qquad (1.1\%)$ $n = 0.9645 \pm 0.0049 \qquad (0.51\%)$

Distinguishing Features in the LSS Power Spectrum



- Shape Information: Galaxy Surveys, Weak Lensing (Future: CMB lensing)
- 2. Relative Amplitude Information: CMB plus Lyman-alpha Forest, Galaxy Bias $\frac{\Delta P(k)}{P(k)} = -8 \frac{\Omega_{\nu}}{\Omega_{m}}$

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$\Omega_{\rm m}$ & Other Parameter Degeneracy



Neutrino Mass and Large Scale Structure: *P*(*k*)









































PLANCK + LSS 2015 Ultimate Σm_v Results



Planck CMB + BAO + SNe + $H_0: \Sigma m_v < 230 \text{ meV}$ (95%)
Upcoming high-*k* High-Precision Era: Relative Change to *P*(*k*)



Effective Neutrino Number: Cosmological Matter Power Spectrum & CMB Constraints on N_{eff}

$$\rho_{\nu}(m_{\nu} \ll T_{\nu}) = N_{\nu} \times \frac{7\pi^2}{120} \left(\frac{4}{11}\right)^{4/3} T_{\gamma}^4$$
$$N_{\text{eff}} \equiv \frac{\rho_{\text{non-}\gamma\text{-radiation}}}{\frac{7\pi^2}{120} \left(\frac{4}{11}\right)^{4/3} T_{\gamma}^4}$$
$$Perturbations enter horizon:$$



Baryon Acoustic Oscillations

- Suppose we had an object whose length (e.g. in meters) we knew as a function of cosmic epoch. By measuring the angle subtended by this ruler as a function of redshift we map out the angular diameter distance, d(z). By measuring the redshift interval associated with this distance we map out the Hubble parameter, H(z).
- To get competitive constraints on dark energy we need to be able to see changes in H(z) at the 1% level this would give us statistical errors in the dark energy equation of state w of O(10%) and other energy content.
 - We need to be able to calibrate the ruler accurately over most of the age of the universe.
 - We need to be able to measure the ruler over much of the volume of the universe.
 - We need to be able to make ultra-precise measurements of the ruler.

[HT Martin White]

Baryon Acoustic Oscillations

Let us consider the early universe, which was composed of a coupled plasma of energetic photons and ionized hydrogen (protons and electrons) plus other trace elements and the mysterious dark matter. Start with a single perturbation. The plasma is totally uniform except for an excess of matter at the origin. High pressure drives the gas +photon fluid outward at speeds approaching the speed of light. In the panels below we show some snapshots from this process, with the baryon density shown in the left panel, the photon density in the right panel and the mass profile as a graph in the final panel.

Initially both the photons and the baryons move outward together, the radius of the shell moving at over half the speed of light







This expansion continues for 10⁵ years







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After 10⁵ years the universe has cooled enough the protons capture the electrons to form neutral Hydrogen. This decouples the photons from the baryons. The former quickly stream away, leaving the baryon peak stalled.



The photons continue to stream away while the baryons, having lost their motive pressure, remain in place.







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The photons have become almost completely uniform, but the baryons remain overdense in a shell 100 Mpc in radius. In addition, the large gravitational potential well which we started with starts to draw material back into it.



As the perturbation grows by O(1000) the baryons and DM reach equilibrium densities in the ratio Ω_b/Ω_m .

The final configuration is our original peak at the center (which we put in by hand) and an echo in a shell roughly 100 Mpc in radius.

The radius of this shell is known as the sound horizon.



BAO Scale in Galaxy Surveys



Features of BAO

- Positions well predicted once (physical) matter and baryon density known - calibrated by the CMB.
- Oscillations are sharp, unlike other features of the galaxy clustering or matter clustering power spectrum.
- Since have d(z) for several z's can check spatial flatness:
 d(z₁+z₂) = d(z₁)+d(z₂)+O(curvature)
- Ties low-z distance measures (e.g. SNe) to absolute scale defined by the CMB.

$$D_{\rm V}(z) = \left((1+z)^2 D_{\rm A}(z)^2 \frac{cz}{H(z)} \right)^{1/3}$$



BAO measurements



BAO in *k*-space: neutrino mass constraints $\Sigma m_{\nu} < 110 \text{ meV}$ (95%)







Example Lyman-alpha Forest Flux Spectrum

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The Onset of Nonlinearity at Small Scales



Lyman-alpha Forest Constraints on m_{ν}



(BOSS Collab.) 2015

Problems in Temperature Requirements of the IGM? (CDM & WDM analysis)



Viel & Haehnelt (2005); Viel et al 2006



Very high T_0 ~35000 K



If small-scale measures want smaller power than large-scale (CMB) measures, then it may detect the presence of massive neutrinos



k

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X-ray Clusters: $\sigma_8 = 0.803 \pm 0.0105$ $\Omega_m \simeq 0.25$



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0.2

0.1

0.4

0.3

0.6

0.1

ikhlinin et al. 2009

0.3

0.2



 $\sigma_8 = 0.826 \pm 0.012$



Planck13+WP+highL+BAO: $\sigma_8 = 0.826 \pm 0.012$

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South Pole Telescope CMB + <u>SPT SZ Clusters</u> + WMAP 7 + H_0 (Hou et al. 2012):

 $0.10 \text{ eV} \leq \Sigma m_{\nu_i} \leq 0.54 \text{ eV}$



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 $\Sigma m_{\nu_i} = 0.39 \pm 0.11 \text{ eV}$

 $\frac{\text{Combining Planck 2013}}{\text{CMB} + \text{Clusters:}}$ adding sterile neutrinos resolves tension from large $and \text{ small scales, sterile } m_s$ $detected \text{ at } 3.5 \text{ } \sigma$







Clusters' Masses are inferred from an observable (X-ray flux, SZ decrement), which historically has been plagued with systematic uncertainties. Such a systematic error in that would shift away the tension. However, the systematic error <u>must by three times</u> current estimates.

CMB+BAO or CMB+Lensing: Signs of Neutrino Mass? Small scale amplitude σ_8 vs. matter density Ω_m



Neutrinoless Double Beta Decay & Cosmology:

if you show cosmo constraints, show tension



Fig: Wilkerson, this morning

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Planck Collaboration 2015: *N*_{eff} and/or Neutrino Mass *Do Not Alleviate Tension* With BAO and Lensing



Planck Collaboration 2015: CMB+SZ Clusters "combination appear to favour non-minimal neutrino masses"



 $\Sigma m_v < 0.53 \text{ eV}$ (95%), but maximum *L* is nonzero \rightarrow Planck 2015, SZ, BAO, Lensing (Planck 2015 paper XXIV)

The Need for Cross-Analysis Between Neutrino Experiment and Cosmology

Joudaki, Abazajian & Kaplinghat 2013

⇒ Short baseline oscillations require, minimally,
2 sterile v's with specific masses, mixings





The Need for Cross-Analysis Between Neutrino Experiment and Cosmology



Deviations from a power law primordial power spectrum in the CMB? $P(k) \propto k$

Aslanyan, Price, Abazajian & Easther 2014



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Neutrino Mass from Cosmology: What would break if cosmology and neutrino experiment disagree?

Primordial power spectrum
 P(*k*) is not a simple power law
 (Abazajian+ in prep.)

2. No other prevalent "non-vanilla" cosmological parameters and physics: w, N_{eff}, modified gravity...
e.g. degenerate nonzero laboratory m_β or m_{ββ} with Σm_ν≈ 60 meV from cosmology could indicate w < -1





 $rac{\Delta P(k)}{P(k)}pprox 1\%pprox -8rac{\Omega_{
u}}{\Omega_m}$ Hu, Eisenstein & Tegmark 1998

$$\frac{\Delta P(k)}{P(k)} \approx 1\% \approx -8 \frac{\Omega_{\nu}}{\Omega_m}$$

Hu, Eisenstein & Tegmark 1998

 $\Omega_{\nu} \approx \frac{\sum m_{\nu_i}}{93 \ h^2 \ \text{eV}}$

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 $\Omega_{\nu} \approx \frac{\sum m_{\nu_i}}{93 \ h^2 \ \text{eV}}$

 $\implies \sigma \left(\Sigma m_{\nu} \right) \lesssim \left(1\%/8 \right) \times \Omega_m \left(93h^2 \text{ eV} \right)$

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Kaplinghat et al PRL 2003 (CMB WL) Wang et al PRL 2005 (WL Clusters) De Bernardis et al. 2009 (Opt. WL) Joudaki & Kaplinghat 2011 (LSST) Basse et al. 2013 (Euclid) Abazajian et al. 2014 (Snowmass Report) Wu et al. 2014 (CMB-S4 + DESI)

Future: Weak Lensing (LSST, EUCLID, WFIRST)

(z,z'=2)



Planck+EUCLID $\sigma(\Sigma m_{\nu}) = 11 \text{ meV} (7 \text{ param.})$ $\sigma(\Sigma m_{\nu}) = 42 \text{ meV} (9 \text{ param: } w, N_{\text{eff}})$

Hamman, Hannestad, Wong (2012)



Example Forecast sensitivities: Planck + LSST



Future: IR + 21 cm Surveys \Rightarrow power over large range of *k* and *z*





SPHEREx: 1.4 billion galaxies 9.8 million $\sigma(z)/(1+z) = 0.003$ 2 orders of magnitude more *k* modes than SDSS-BOSS Doré et al. 2014 (2020+)

SKA: 21 cm emission measure of "all" gas 4 < z < 8; $\sigma(\Sigma m_{\nu}) = 3$ to 20 meV Mao et al. (2008) (2020+)

Summary

- Cosmological LSS (with CMB, next) achieves the strongest inferred constraints on the total neutrino mass.
- There is tension among cosmological data set combinations that could indicate quasi-degenerate neutrino mass $\Sigma m_v = 0.36 \pm 0.10 \text{ eV}$; however, what is considered to be the most robust data has no such signal.
- Robust current claimed constraints are at $\Sigma m_v < 230 \text{ meV} (95\%); N_{eff} = 3.15 \pm 0.23 \text{ (Planck Collab. 2015: CMB+BAO)}$
- Strong claims from Lyman-alpha forest (*systematics*) $\Sigma m_v < 170 \text{ meV}$ (95%) (BOSS Collab. 2015: CMB+BAO+Ly α)
- *Far future*: Planck + LSST lensing, galaxies: $\sigma(\Sigma m_v) = 23 \text{ meV}; \sigma(N_{eff}) = 0.078$ CMB-S4 and DESI galaxy survey: $\sigma(\Sigma m_v) = 15 \text{ meV} \& \sigma(N_{eff}) = 0.016$ latter provides > 3σ sensitivity to the oscillation-required $\Sigma m_v = 58 \text{ meV}$ and > 2σ sensitivity to N_{eff} (Wu+ 2014)
- The constraints rely on an underlying set of simplifying model assumptions [scale invariance, flatness, *w* = -1, etc.]. This introduces a level of theoretical model (systematic) uncertainty. Laboratory complementarity is essential.

Future Sensitivity

- *Near future*: ACTPol and SPTPol: $\sigma(\Sigma m_v) \sim 100 \text{ meV}; \sigma(N_{eff}) \sim 0.12$ *Mid-range future*: SPT-3G forecast $\sigma(\Sigma m_v) \sim 74 \text{ meV}; \sigma(N_{eff}) \sim 0.076$ *Far-Mid-range future*: Simons Array forecast $\sigma(\Sigma m_v) \sim 40 \text{ meV}; \sigma(N_{eff}) \sim 0.08$
- *Far*: Planck + LSST lensing, galaxies: $\sigma(\Sigma m_{\nu}) = 23 \text{ meV}; \sigma(N_{eff}) = 0.078$ CMB-S4 and DESI galaxy survey: $\sigma(\Sigma m_{\nu}) = 15 \text{ meV} \& \sigma(N_{eff}) = 0.016$ latter provides > 3σ sensitivity to the oscillation-required $\Sigma m_{\nu} = 58 \text{ meV}$ and > 2σ sensitivity to N_{eff} (Wu+ 2014)

Indirect Detection of Sterile Neutrino Dark Matter?

















Sterile v WDM Radiative Decay in the X-ray



Decay: Shrock 1974; Pal & Wolfenstein 1981 **X-ray**: Abazajian, Fuller & Tucker 2001

" ν_s $\rightarrow "\nu_{\alpha}" + \gamma$

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 $E_{\gamma} = \frac{m_s}{2} \sim 1 \text{ keV}$
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 $= \frac{m_s}{2} \sim 1 \text{ keV}$ E_{γ} =

$$\Gamma_{\gamma} = 1.62 \times 10^{-28} \text{ s}^{-1} \left(\frac{\sin^2 2\theta}{7 \times 10^{-11}}\right) \left(\frac{\text{m}_{\text{s}}}{7 \text{ keV}}\right)^5$$

Sterile v WDM Radiative Decay in the X-ray



Sterile v WDM Radiative Decay in the X-ray



Virgo Cluster: 10⁷⁸ DM particles

Upper Mass Limit on v_s DM: X-ray observations of Virgo Abazajian, Fuller & Tucker 2001



X-ray Constraint Summary

XMM Newton: The Virgo Cluster

Andromeda Galaxy: Watson et al. 2011 $m_s < 2.2 \text{ keV}$ Ursa Minor: Lowenstein et al. 2008 $m_{s} < 3.1 \,\,{\rm keV}$ Milky Way in CXB: Abazajian et al. 2006 $m_s < 5.7 \text{ keV}$ Coma + Virgo Clusters: Boyarsky et al. 2006

 $m_s < 6.3 \text{ keV}$

X-Ray Background: Boyarsky et al. 2006 $m_s < 8.9 \ {\rm keV}$ Sterile Neutrino Dark Matter: Parameter Space Summary



Forecast X-ray Observation Sensitivity for Constellation-X Abazajian, Fuller & Tucker 2001





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The Detection of an Unidentified Line



Bulbul et al. ApJ arXiv:1402.2301

Sterile Neutrino Dark Matter: Parameter Space Summary



Sterile Neutrino Dark Matter: Parameter Space Summary



The Detection of an Unidentified Line II



Boyarsky et al. PRL arXiv:1402.4119

8 New Cluster Detections at >2 σ Reported in August



lakubovskyi+ 1508.05186

"Dark Matter Searches Gone Bananas" Potassium paper by Jeltema & Profumo arXiv:1408.1699 (JP) called into question Bulbul+ and Boyarsky+ results:

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 - » The Bulbul+ team showed that JP use over-simplified single-temperature model arguments with incorrect line ratios in their X-ray cluster modeling [arXiv:1409.0920].





Sample of 81 galaxies observed with Chandra and a sample of 89 galaxies observed with XMM-Newton, using outskirts of the galaxies (Andersen, Churazov & Bregman 2014)



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Quoted exclusion of the 3.5 keV line at fixed sin² 2θ by 11.8 σ



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$$\sum_{\nu_x+a+\dots\to i+\dots} \int \frac{d^3 p_a}{(2\pi)^3 2E_a} \cdots \frac{d^3 p_i}{(2\pi)^3 2E_i} \cdots (2\pi)^4 \delta^4 (p+p_a+\dots-p_i-\dots)$$

$$\times \frac{1}{2} \left[\langle P_{\mathrm{m}}(\nu_\mu \to \nu_{\mathrm{s}}; p, t) \rangle \left(1-f_{\nu_{\mathrm{s}}}\right) \sum |\mathcal{M}|^2_{i+\dots\to a+\nu_\mu+\dots} f_i \cdots (1\mp f_a) \left(1-f_{\nu_{\mu}}\right) \cdots \right.$$

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A Simplified View of Sterile Neutrino Dark Matter Production



weak interaction at t = 0

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Anderhalden et al. arXiv:1212.2967



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Anderhalden et al. arXiv:1212.2967 "It seems that only the pure WDM model with a 2 keV [thermal] particle is able to match the all observations" of the Milky Way Satellites: "the total satellite abundance, their radial distribution and their mass profile" (or TBTF)

7 keV Alleviation of Too Big To Fail...



Abazajian+ (2015)

7 keV Alleviation of Too Big To Fail...



Abazajian+ (2015)

7 keV Alleviation of Too Big To Fail...



Horiuchi, Bozek, Abazajian+ (2015)

Confirmation: Astro-H launches early 2016



Confirmation Wish List: #2 Sounding Rocket X-ray Observations: Micro-X & XQC



Figueroa-Feliciano+ 1506.05519

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Confirmation Wish List: #3 Deep Local Group Observations

NEW & FUTURE WORK



Confirmation Wish List #4: kink searches in nuclear β -decay



Confirmation Wish List #4: kink searches in nuclear β -decay



Confirmation Wish List #4: kink searches in nuclear β -decay



SDSS+WMAP3 Lyman-alpha Constraints (Seljak et al 2006)





SDSS+WMAP3 Lyman-alpha Constraints (Seljak et al 2006) WMAP3: $\sigma_8 = 0.74^{+0.05}_{-0.04}$

 $k \rightarrow$



 $k \rightarrow$





T impacts structure of HI Ly-a Forest

Doppler broadening and Jeans-smoothing....



~ 30 mpc/h co-moving

Abazajian, Lidz, Ricotti, in prep.

T impacts structure of HI Ly-a Forest



Abazajian, Lidz, Ricotti, in prep.