CP Violation 2HDM from collider to EDM

Hao-Lin Li

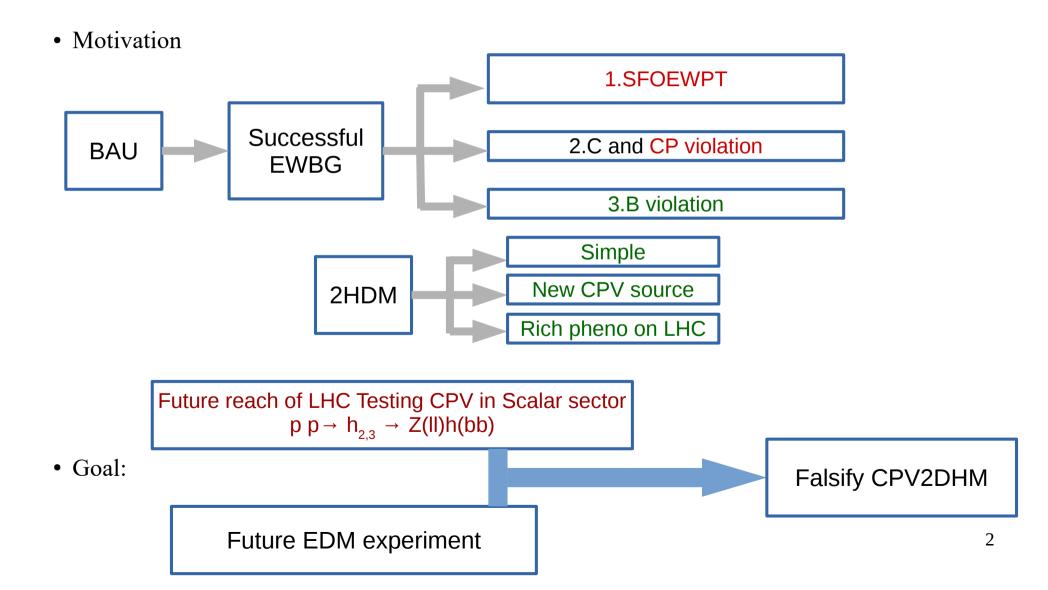
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C.-Y. Chen, H.-L. Li, M.J. Ramsey-Musolf, Phys.Rev. D97 (2018) no.1, 015020





Motivation and Goal



Outline

Introduction of CPV 2HDM

Collider Phenomenology

• EDM limit

• Results

• Summary

General 2HDM

• Lagrangian:

$$V(\phi_{1},\phi_{2}) = -\frac{1}{2} \left[m_{11}^{2} (\phi_{1}^{\dagger}\phi_{1}) + \left(m_{12}^{2} (\phi_{1}^{\dagger}\phi_{2}) + \text{h.c.} \right) + m_{22}^{2} (\phi_{2}^{\dagger}\phi_{2}) \right]$$

$$+ \frac{\lambda_{1}}{2} (\phi_{1}^{\dagger}\phi_{1})^{2} + \frac{\lambda_{2}}{2} (\phi_{2}^{\dagger}\phi_{2})^{2} + \lambda_{3} (\phi_{1}^{\dagger}\phi_{1}) (\phi_{2}^{\dagger}\phi_{2}) + \lambda_{4} (\phi_{1}^{\dagger}\phi_{2}) (\phi_{2}^{\dagger}\phi_{1})$$

$$+ \frac{1}{2} \left[\lambda_{5} (\phi_{1}^{\dagger}\phi_{2})^{2} + \lambda_{6} (\phi_{1}^{\dagger}\phi_{2}) (\phi_{1}^{\dagger}\phi_{1}) + \lambda_{7} (\phi_{1}^{\dagger}\phi_{2}) (\phi_{2}^{\dagger}\phi_{2}) + \text{h.c.} \right] .$$

4 parameters can be complex and potential to trigger CP violation:

$$m_{12}^2$$
 λ_5 λ_6 λ_7

• Z₂ symmetry: Preventing Tree level FCNC

$$Z_2$$
: $\phi_1 \to -\phi_1$ $\phi_2 \to \phi_2$
 $Q_L \to Q_L$ $L \to L$

No CPV if exact, so soft break retain non-zero m_{12}^2

Model	u_R	d_R	e_{R}	
Type-I	+	+	+	
Type-II	+	-	-	
Lepton-Specific	+	+	-	
Fillped	+	-	+	

Only two parameter can be complex:

$$m_{12}^2 \quad \lambda_5 \qquad \qquad \lambda_6 = \lambda_7 = 0$$

After EWSB

$$\langle \phi_1 \rangle = \begin{pmatrix} 0 \\ v_1 e^{i\delta_1} \end{pmatrix} \quad \langle \phi_2 \rangle = \begin{pmatrix} 0 \\ v_2 e^{i\delta_2} \end{pmatrix} \quad \tan \beta = v_2/v_1$$

• Subset of U(2) that keeps $\lambda_6 = \lambda_7 = 0$

$$e^{i\psi}\left(\begin{array}{cc} 1 & 0 \\ 0 & e^{i\chi} \end{array}\right) \qquad e^{i\psi}\left(\begin{array}{cc} 0 & 1 \\ e^{i\chi} & 0 \end{array}\right)$$

absorb the phase in the vev without loose generality

 m_{12}^2 and λ_5 are not Independent related by the minimization condition of potential:

$$\operatorname{Im}(m_{12}^2) = v_1 v_2 \operatorname{Im}(\lambda_5) \quad \longrightarrow \quad \begin{array}{c} \text{Only one phase} \\ \text{related parameter} \\ \alpha_b \end{array}$$

• Changing parameter set In the unitary gauge:

$$\phi_1 = \begin{pmatrix} -\sin \beta H^+ \\ \frac{1}{\sqrt{2}} (v \cos \beta + H_1^0 - i \sin \beta A^0) \end{pmatrix}, \quad \phi_2 = \begin{pmatrix} \cos \beta H^+ \\ \frac{1}{\sqrt{2}} (v \sin \beta + H_2^0 + i \cos \beta A^0) \end{pmatrix}$$

 $\lambda_1, \lambda_2, \lambda_3, \lambda_4, \operatorname{Im}\lambda_5, \operatorname{Re}\lambda_5, \operatorname{Re}m_{12}^2, \operatorname{Im}m_{12}^2, m_{11}^2, m_{22}^2$

Minimization condition (3)



Mass of charge Higgs (1)

Diagonalization of neutral Mass matrix (6)

$$v, \tan \beta, \nu, \alpha, \alpha_b, \alpha_c, m_{h_1}, m_{h_2}, m_{h_3}, m_{h_H^+}$$

$$\nu = \frac{\text{Re}m_{12}^2}{v^2 \sin 2\beta}$$

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$$\lambda_{1}, \lambda_{2}, \lambda_{3}, \lambda_{4}, (\text{Im}\lambda_{5}) \text{Re}\lambda_{5}, \text{Re} \, m_{12}^{2}, (\text{Im} \, m_{12}^{2}) m_{11}^{2}, m_{22}^{2}$$

Minimization condition (3)



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$$\lambda_1, \lambda_2, \lambda_3, \lambda_4, \boxed{\text{Im}}\lambda_5 \text{ Re}\lambda_5, \text{Re} \, m_{12}^2, \boxed{\text{Im}} \, m_{12}^2 \end{pmatrix} m_{11}^2, m_{22}^2$$

$$\text{Minimization} \quad \text{Mass of charge Higgs (1)}$$

$$\text{Diagonalization of neutral Mass matrix (6)}$$

$$v, \tan\beta, \nu, \alpha \stackrel{\frown}{\alpha_b} \stackrel{\frown}{\alpha_c}, m_{h_1}, m_{h_2}, m_{h_3}, m_{h_H}^+$$

• Diagonalization of neutral Higgs mass matrix

$$RM_{n}^{2}R^{T} = \operatorname{diag}(m_{h_{1}}^{2}, m_{h_{2}}^{2}, m_{h_{3}}^{2}) \quad (h_{1}, h_{2}, h_{3}) = (H_{1}^{0}, H_{2}^{0}, A^{0})R$$

$$R = R_{23}(\alpha_{c})R_{13}(\alpha_{b})R_{12}(\alpha + \pi/2)$$

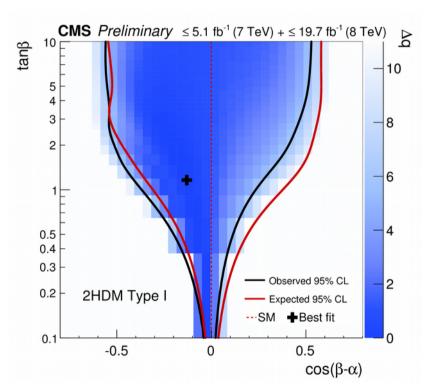
$$-\frac{\pi}{2} < \alpha_{c}, \ \alpha_{b}, \ \alpha \leq \frac{\pi}{2}$$

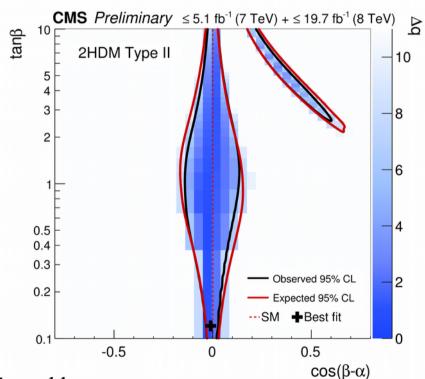
$$M_{n}^{2} = v^{2} \begin{pmatrix} \lambda_{1}c_{\beta}^{2} + \nu s_{\beta}^{2} & (\lambda_{345} - \nu)c_{\beta}s_{\beta} & -\frac{1}{2}\operatorname{Im}\lambda_{5}s_{\beta} \\ (\lambda_{345} - \nu)c_{\beta}s_{\beta} & \lambda_{2}s_{\beta}^{2} + \nu c_{\beta}^{2} & -\frac{1}{2}\operatorname{Im}\lambda_{5}c_{\beta} \\ -\frac{1}{2}\operatorname{Im}\lambda_{5}s_{\beta} & -\frac{1}{2}\operatorname{Im}\lambda_{5}c_{\beta} & -\operatorname{Re}\lambda_{5} + \nu \end{pmatrix}$$

Non-vanishing ${\rm Im}\lambda_5$ signals the mixing between CP even and CP odd Higgs, i.e. trigger CP Violation in the scalar sector.

$$\alpha_c = \begin{cases} \alpha_c^-, & \alpha + \beta \le 0 \\ \alpha_c^+, & \alpha + \beta > 0 \end{cases}, \quad \tan \alpha_c^{\pm} = \frac{\mp |\sin \alpha_b^{\max}| \pm \sqrt{\sin^2 \alpha_b^{\max} - \sin^2 \alpha_b}}{\sin \alpha_b} \sqrt{\frac{m_{h_3}^2 - m_{h_1}^2}{m_{h_2}^2 - m_{h_1}^2}} .$$

• SM-like Higgs global fit favor alignment limit:





CMS Collaboration, Report No. CMS-PAS-HIG-16-007.

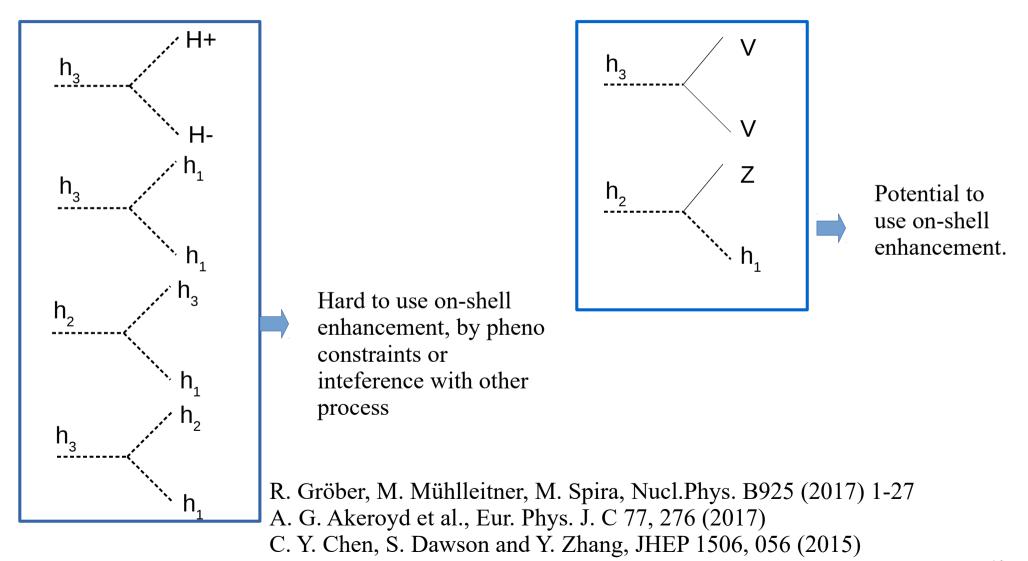
$$\cos(\beta - \alpha) \sim 0$$

 $h_1 \rightarrow WW, ZZ, \gamma\gamma, bb, \tau\tau$

Parametrize the deviation by:

$$\beta - \alpha = \pi/2 + \theta$$

Possible new channel sensitive to CP violation



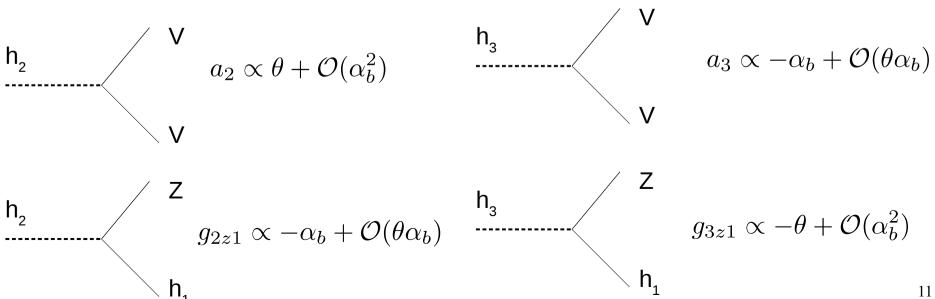
Higgs couplings:

$$\mathcal{L}_{int} = -\frac{m_f}{v} h_i \left(c_{f,i} \bar{f} f + \tilde{c}_{f,i} \bar{f} i \gamma_5 f \right)$$

$$+ a_i h_i \left(\frac{2m_W^2}{v} W_{\mu} W^{\mu} + \frac{m_Z^2}{v} Z_{\mu} Z^{\mu} \right)$$

$$+ g_{iz1} Z^{\mu} ((\partial_{\mu} h_i) h_1 - h_i \partial_{\mu} h_1)$$

Two types of new couplings:



Higgs couplings:

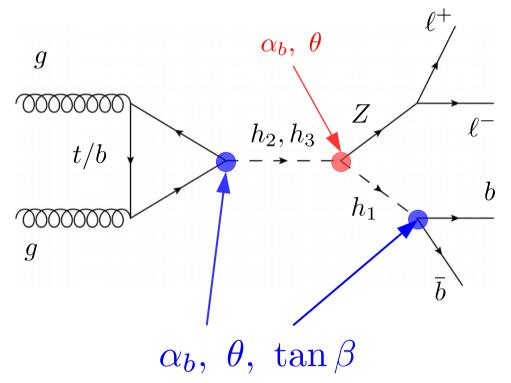
$$\mathcal{L}_{int} = -\frac{m_f}{v} h_i \left(c_{f,i} \bar{f} f + \tilde{c}_{f,i} \bar{f} i \gamma_5 f \right)$$

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Two types of new couplings:

• In the following we will focus on the process



Derive the prospective upper limit on $\sigma(pp \to h_{2,3}) {\rm Br}(h_{2,3} \to Zh_1) {\rm Br}(h_1 \to b\bar{b})$ in future 14TeV LHC and project this limit onto the $|\sin\alpha_{\rm b}|$ vs $\tan\beta$

- ATLAS 8TeV analysis revisit (p p \rightarrow A \rightarrow Z(ll)h(bb))
- 2e or 2 opposite sign μ , with $P_t > 7$ GeV and $|\eta_e|(|\eta_{\mu}|) < 2.5(2.7)$,
- Exactly 2 b tagged jets, with $P_{T,b}^{lead} > 45 \text{ GeV}$ and $P_{T,b}^{sub} > 20 \text{ GeV}$,
- $83 < m_{ll} < 95$, and $95 < m_{bb} < 135$.
- $E_T^{miss}/\sqrt{H_T} < 3.5 \text{ GeV}^{1/2}$
- $P_T^z > 0.44 M_{h2,3} 106 GeV$

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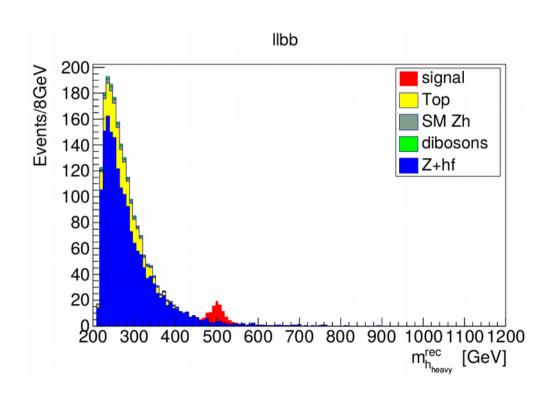
Comparasion between ATLAS result and ours

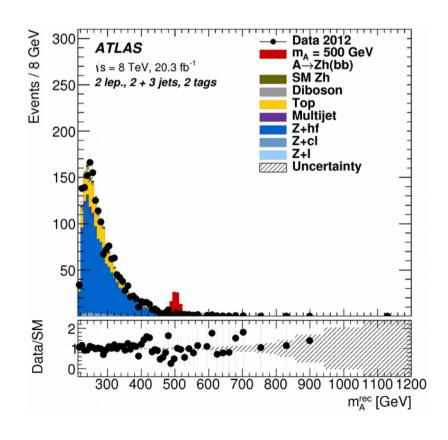
Madgraph, Pythia, Delphes

Backgrounds/		$\sigma(\mathrm{pb})$	$\sigma \times \int \mathcal{L}$	simulated # of	# of expected	$A \times \epsilon$
	Signal	o (pb)	0 × J Z	events after cuts event in Ref. 30		$H \wedge C$
	$Z(\ell\ell)bb$	12.91	$2.620{\times}10^5$	1,788	1443 ± 60	6.825×10^{-3}
	$t(bl u)ar{t}(bl u)$	18.12	$3.678{\times}10^5$	359	317 ± 28	9.761×10^{-4}
	$SM Z(\ell\ell)h(b)$	0.02742	5.566×10^2	47	31 ± 1.8	8.443×10^{-2}
Di	$\operatorname{boson}(Z(\ell\ell)Z(bb))$	0.2122	4.308×10^{3}	28	30 ± 5	6.679×10^{-3}

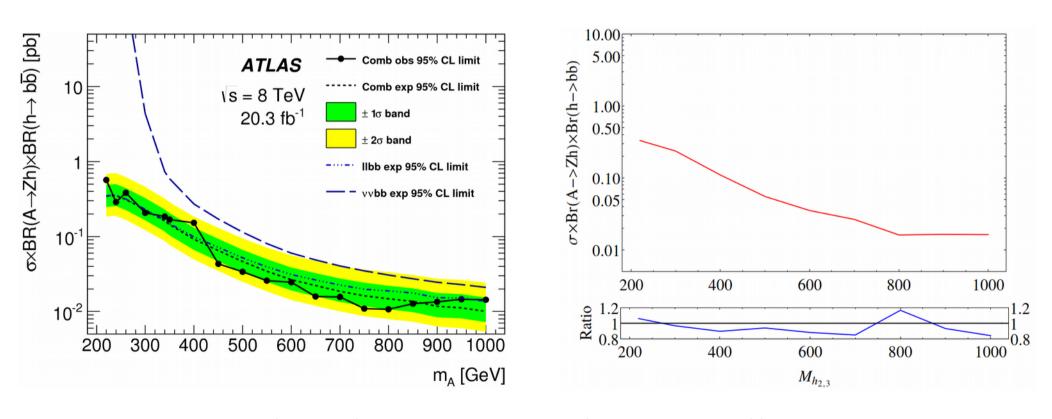
Two major Backgrounds

Comparasion between ATLAS result and ours





• ATLAS 8TeV analysis revisit

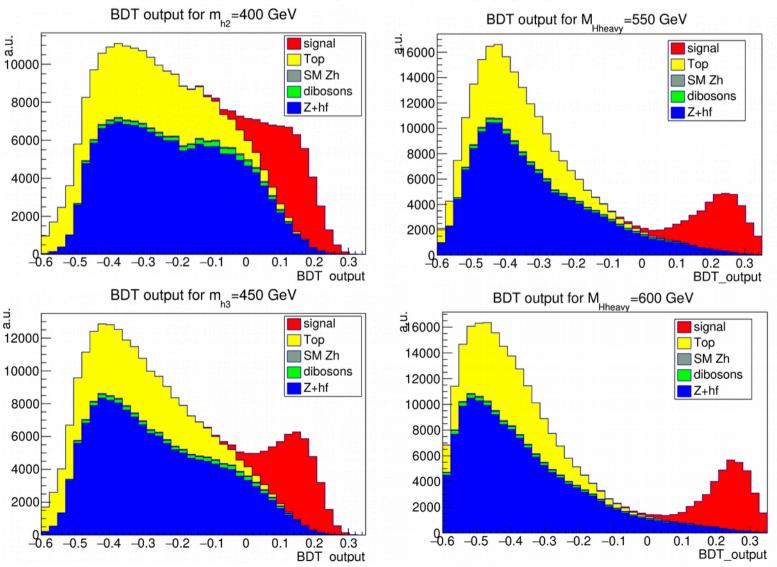


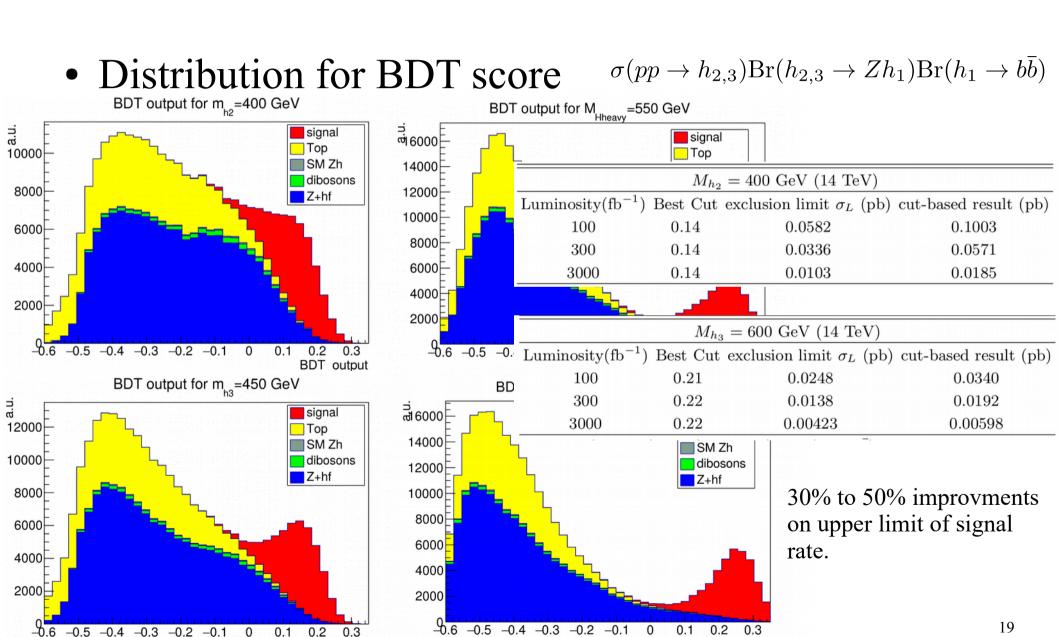
We reproduce the ATLAS results very well.

- 14 TeV forecast
- First select two leptons and two b tagged jets with same kinematic cuts:
- 2e or 2 opposite sign μ , with $P_t > 7$ GeV and $|\eta_e|(|\eta_{\mu}|) < 2.5(2.7)$,
- Exactly 2 b tagged jets, with $P_{T,b}^{lead} > 45 \text{ GeV}$ and $P_{T,b}^{sub} > 20 \text{ GeV}$,
- Then we compute following quantities as inputs for Boosted Decision Tree(BDT) to optimize the selection.

```
p_{T,\ell}^{\text{lead}}, p_{T,\ell}^{\text{sub}}, p_{T,b}^{\text{lead}}, p_{T,b}^{\text{sub}}, m_{\ell\ell}, m_{bb}, p_T^Z, p_T^h, E_T^{\text{miss}} / \sqrt{H_T}, \Delta R_{\ell\ell}, \Delta R_{jj}, \Delta R_{Zh}, \Delta \phi_{Zh},
```

Distribution for BDT score





BDT output

BDT output

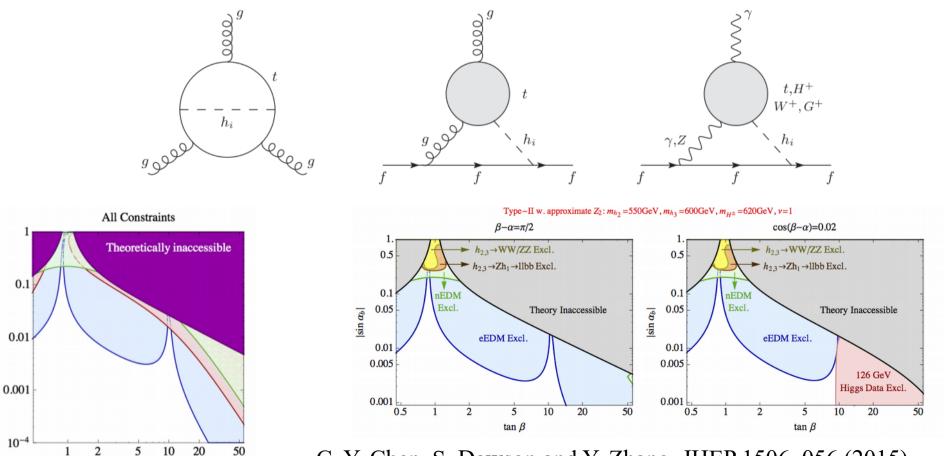
EDM limit

EDM in 2HDM has been studied in

S. Inoue, M. J. Ramsey-Musolf and Y. Zhang, Phys. Rev. D 89, no. 11, 115023 (2014)

L. Bian, T. Liu and J. Shu, Phys. Rev. Lett. 115, 021801 (2015)

tan_B



C. Y. Chen, S. Dawson and Y. Zhang, JHEP 1506, 056 (2015)

EDM Limit

EDM limits we take into account:

Source	Current EDM (e cm)	Projected EDM (e cm)
Electron (e)	$d_{\rm e} < 8.7 \times 10^{-29} \text{ at } 90\% \text{ CL}$ [15]	$d_{\rm e} < 8.7 \times 10^{-30}$ [18]
Neutron (n)	$d_{\rm n} < 2.9 \times 10^{-26} \text{ at } 90\% \text{ CL}$ [16]	$d_{\rm n} < 2.9 \times 10^{-28}$ [18]
Mercury (Hg)	$d_{\rm Hg} < 7.4 \times 10^{-30} \text{ at } 95\% \text{ CL}$ 48	-
Radium (Ra)	_	$d_{\rm Ra} < 10^{-27}$ [18]

Electron: J. Baron et al. [ACME Collaboration], Science 343, 269 (2014)

Neutron: Baker, C. A. et al., Phys. Rev. Lett. 97, 131801 (2006)

Mercury: B. Graner, Y. Chen, E. G. Lindahl and B. R. Heckel, Phys. Rev. Lett. 116, no. 16, 161601 (2016)

Projected: K. Kumar, Z. T. Lu and M. J. Ramsey-Musolf, arXiv:1312.5416

Two Benchmarks

m_{h_2}	m_{h_3}	m_{H^+}	ν
400 GeV	450 GeV	420 GeV	1
550 GeV	600 GeV	620 GeV	1

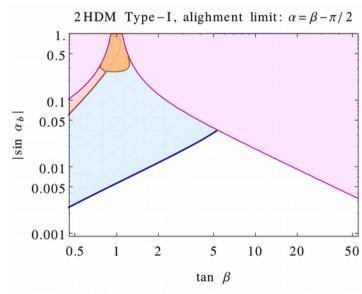
They satisfy the Electroweak Precision Data.

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Alignment limit Type-I

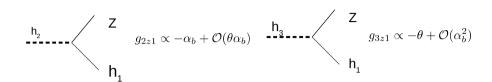


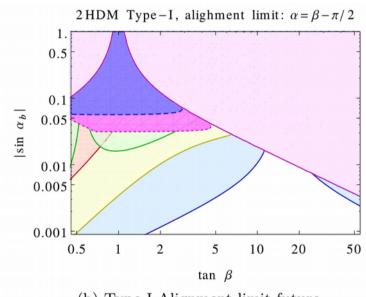
(a) Type-I Alignment limit current

$$\tilde{c}_{1,t,b} = -\alpha_b \cot \beta$$

$$\tilde{c}_{2,t,b} = \alpha_c \cot \beta$$

$$\tilde{c}_{3,t,b} = \cot \beta$$





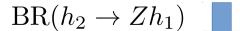
(b) Type-I Alignment limit future

$$c_{1,t,b} = 1$$
 $g_{2z1} = -\alpha_b$
 $c_{2,t,b} = \cot \beta$
 $c_{3,t,b} = -\cot \beta$ $g_{3z1} = \mathcal{O}(\alpha_b^2)$



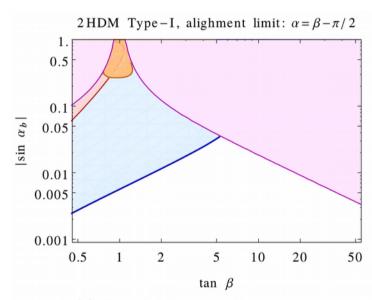
At small tanβ

$$\sigma(pp \to h_2)$$





Alignment limit Type-I



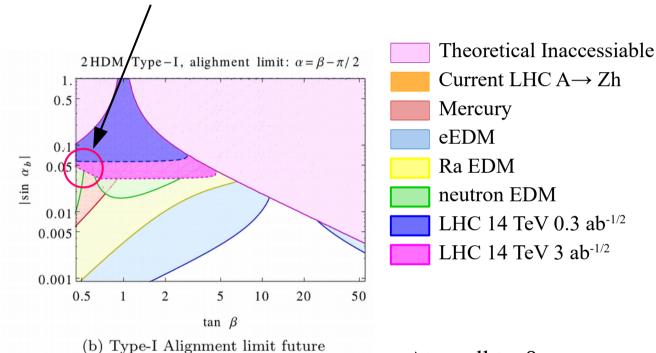
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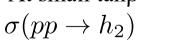
$$\tilde{c}_{3,t,b} = \cot \beta$$

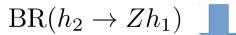
Inteference with box may be strong



$$c_{1,t,b} = 1$$
 $g_{2z1} = -\alpha_b$
 $c_{2,t,b} = \cot \beta$
 $c_{3,t,b} = -\cot \beta$ $g_{3z1} = \mathcal{O}(\alpha_b^2)$

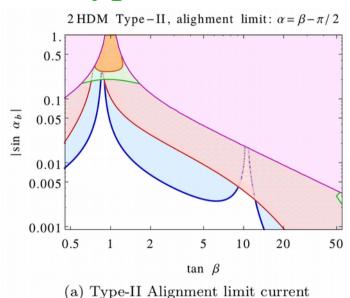
At small tanβ







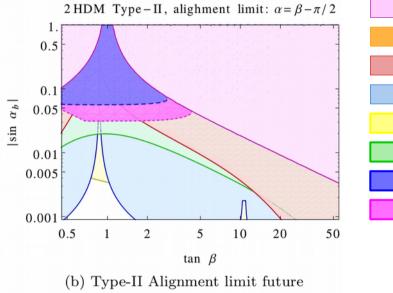
Alignment limit Type-II

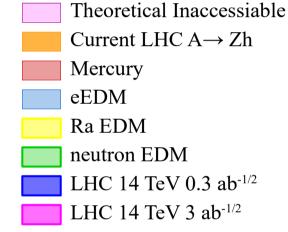


$$\tilde{c}_{1,b} = -\alpha_b \tan \beta$$

$$\tilde{c}_{2,b} = \alpha_c \tan \beta$$

$$\tilde{c}_{3,b} = \tan \beta$$



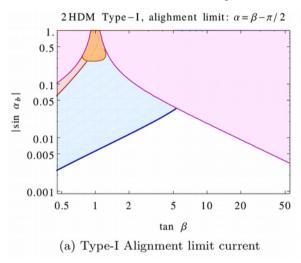


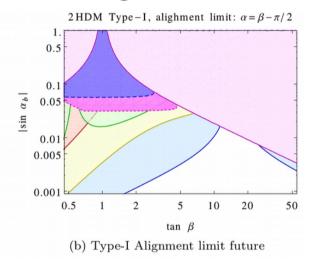
$$c_{1,b} = 1$$

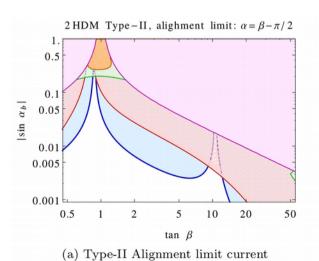
$$c_{2,b} = \tan \beta$$

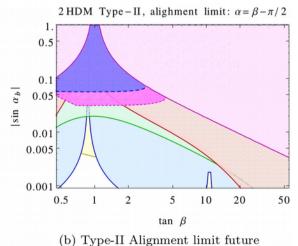
$$c_{3,b} = -\alpha_c \tan \beta - \alpha_b$$

• Summary for the alignment limit









• LHC make a discovery:

Type-I will at least give non-zero Ra, electron EDM Otherwise, falsify Type-I.

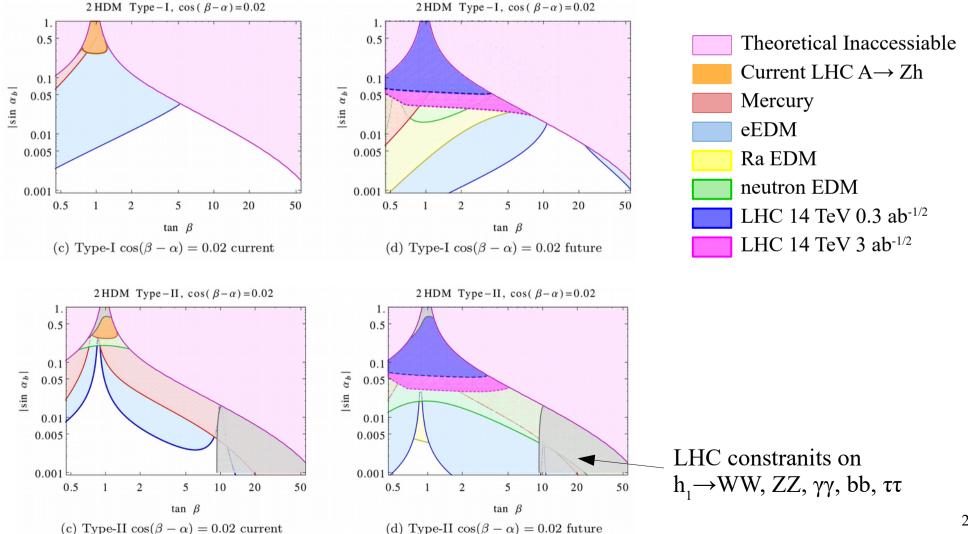
Type-II will give non-zero Neutron and Ra EDM Otherwise, falsify Type-II.

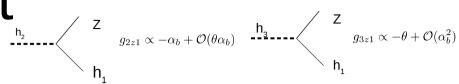
• LHC gives null result:

Does not preclude the possibility for small CP Violation in 2HDM

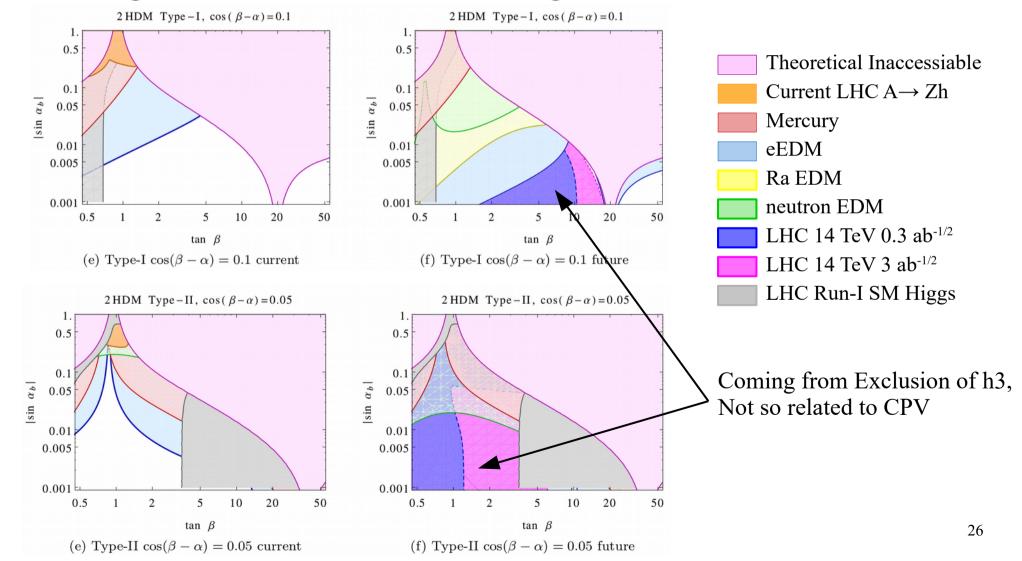
EDM result may or may not falsify the CPV 2HDM

• Small deviation from the alignment limit



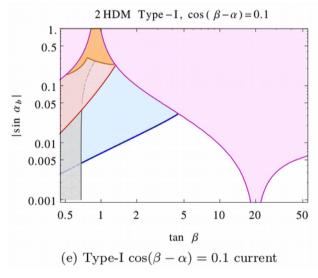


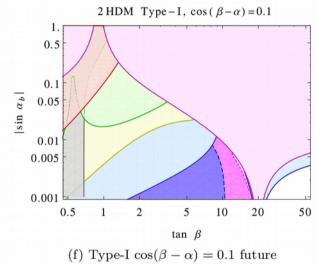
• Large deviation from the alignment limit

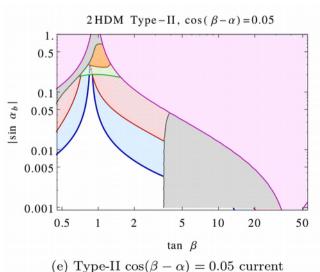


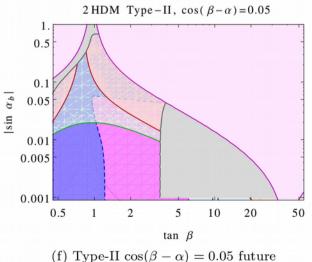
Result

• Large deviation from the alignment limit









• LHC make a discovery:

One may not conclude that there is a sizeable CPV effect. Need further CP information of the newly discovered particle.

• LHC gives null results: A non-zero EDM result will falsify CPV 2HDM.

Summary

- Discussed the CPV condition in the 2HDM
- The $h_{23} \rightarrow Zh_1$ is a good process to constraint CP
- EDM experiments will generally better than collider experiments in testing CPV, while the interplay of both experiments will help to falsify CPV 2HDM.

Back up

Detail of Basis Invariants

$$I_{1} = I_{3} = 0 \text{ due to } \lambda_{6} = \lambda_{7} = 0$$

$$I_{2} = (\lambda_{1} - \lambda_{2})[\operatorname{Im}((m_{12}^{2})^{2}\lambda_{5}^{*})]$$

$$I_{4} = 1/2[(\lambda_{1} - \lambda_{3} - \lambda_{4})(\lambda_{2} - \lambda_{3} - \lambda_{4}) - |\lambda_{5}^{2}|]$$

$$\times (m_{22}^{2} - m_{11}^{2})\operatorname{Im}((m_{12}^{2})^{2}\lambda_{5}^{*})$$

$$J_{1} = (\lambda_{1} - \lambda_{2})\operatorname{Im}(m_{12}^{2})$$

$$J_{2} = 1/2v_{1}v_{2}(v_{1}v_{2}(m_{11}^{4} - m_{22}^{4})\operatorname{Im}(\lambda_{5})$$

$$+ (m_{11}^{2}v_{1}^{2}(\lambda_{3} + \lambda_{4} - \lambda_{1}) + m_{22}^{2}v_{2}^{2}(\lambda_{2} - \lambda_{3} - \lambda_{4}))\operatorname{Im}(m_{12}^{2}))$$

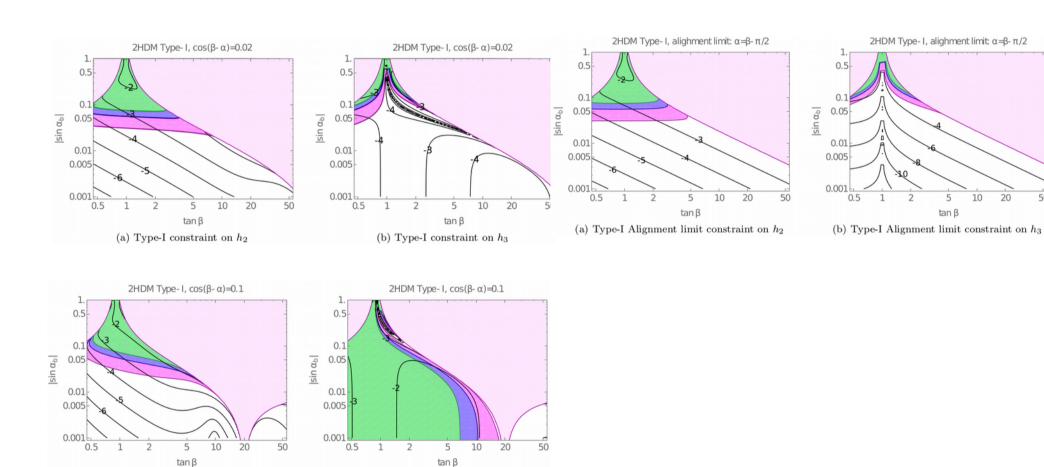
Backup

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(b) Type-I constraint on h_3

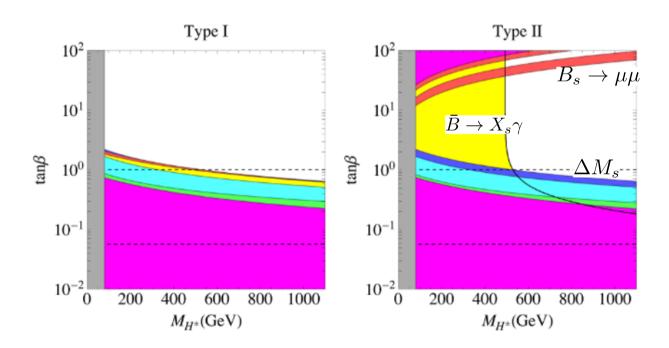
(a) Type-I constraint on h_2

Backup

$$\begin{split} \lambda_1 &= \frac{m_{h_1}^2 \sin^2 \alpha \cos^2 \alpha_b + m_{h_2}^2 R_{21}^2 + m_{h_3}^2 R_{31}^2}{v^2 \cos \beta^2} - \nu \tan^2 \beta \;, \\ \lambda_2 &= \frac{m_{h_1}^2 \cos^2 \alpha \cos^2 \alpha_b + m_{h_2}^2 R_{22}^2 + m_{h_3}^2 R_{32}^2}{v^2 \sin \beta^2} - \nu \cot^2 \beta \;, \\ \mathrm{Re} \lambda_5 &= \nu - \frac{m_{h_1}^2 \sin^2 \alpha_b + \cos^2 \alpha_b (m_{h_2}^2 \sin^2 \alpha_c + m_{h_3}^2 \cos^2 \alpha_c)}{v^2} \;, \\ \lambda_3 &= \nu - \frac{m_{h_1}^2 \sin \alpha \cos \alpha \cos^2 \alpha_b - m_{h_2}^2 R_{21} R_{22} - m_{h_3}^2 R_{31} R_{32}}{v^2 \sin \beta \cos \beta} - \lambda_4 - \mathrm{Re} \lambda_5 \;, \\ \mathrm{Im} \lambda_5 &= \frac{2 \cos \alpha_b \left[(m_{h_2}^2 - m_{h_3}^2) \cos \alpha \sin \alpha_c \cos \alpha_c + (m_{h_1}^2 - m_{h_2}^2 \sin^2 \alpha_c - m_{h_3}^2 \cos^2 \alpha_c)^2 \sin \alpha \sin \alpha_b \right]}{v^2 \sin \beta} \\ \tan \beta &= \frac{(m_{h_2}^2 - m_{h_3}^2) \cos \alpha_c \sin \alpha_c + (m_{h_1}^2 - m_{h_2}^2 \sin^2 \alpha_c - m_{h_3}^2 \cos^2 \alpha_c) \tan \alpha \sin \alpha_b}{(m_{h_2}^2 - m_{h_3}^2) \tan \alpha \cos \alpha_c \sin \alpha_c - (m_{h_1}^2 - m_{h_2}^2 \sin^2 \alpha_c - m_{h_3}^2 \cos^2 \alpha_c) \sin \alpha_b} \;. \end{split}$$

Back up

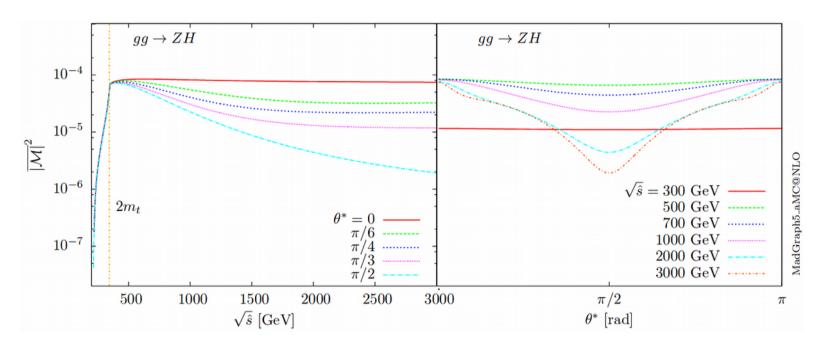
Flavor Constraint



T. Enomoto and R. Watanabe, J. High Energy Phys. 05(2016) 002.

Backup

Box interefence

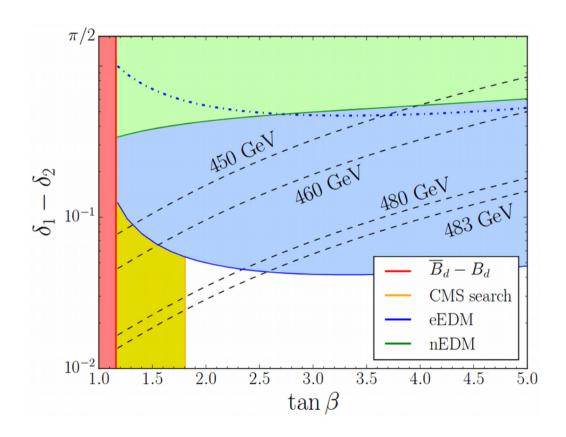


$$\overline{|\mathcal{M}|}_{res,peak}^2 > 10^{-4}$$

B. Hespel, F. Maltoni, and E. Vryonidou, J. High EnergyPhys. 06 (2015) 065

Backup

Relation to Electroweak Bayrogenesis



G. C. Dorsch, S. J. Huber, T. Konstandin, and J. M. No, J. Cosmol. Astropart. Phys. 05 (2017) 052.

CP Violation 2HDM from collider to EDM

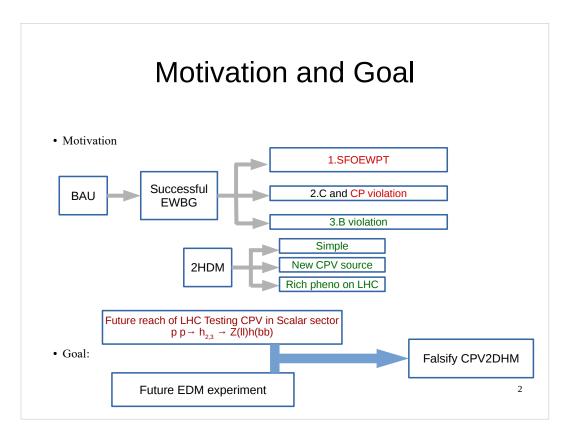
Hao-Lin Li

Amherst Center for Fundamental Interaction (ACFI) University of Massachusetts Amherst

C.-Y. Chen, H.-L. Li, M.J. Ramsey-Musolf, Phys.Rev. D97 (2018) no.1, 015020







This is our motivation and goal of this work. The biggest motivation is to try to understand the origin of the baryon asymmetry of our universe. The EWBG is one of the appealing solutions to this problem due to its testbility. A successful EWBG needs to satisfy 3 sakharov conditions. The first is the presence of SFOEWPT. The second condition requires C and CP violation, the third one requires Baryon number violation. In the SM, the B V is processed via EW Sph process. However the effect of CP violation is too feeble and the EWPT is cross-over so that cannot satisfiy the first two conditions, new physics must needed. 2HDM is one of the candidate to solve these problems. The reason we choose 2HDM is that it is one of the simplest extension to the SM, and it provided a new CP source at Tree level, and furthermore it predicts a rich phenomonology which can be test in the collider experiments.

Our goal is to estimate ability of future collider experiments in testing CPV in the scalar sector in the 2HDM, and also we will explore how to combine the result from EDM and collider to better falsify CPV 2HDM

Outline

- Introduction of CPV 2HDM
- Collider Phenomenology
- EDM limit
- Results
- Summary

3

This is the outline of my talk. In the first part I will introduce the our theoretical framework in studying CPV 2HDM.

In the second part I will talk about the collider phenomenology related for testing CPV in the scalar sector and discuss some detail about our simulation and analysis.

In the third part I will briefly review the EDM in the 2HDM Finally I will combine all the limits and constraint to show the results

General 2HDM

• Lagrangian:

$$\begin{split} V(\phi_1,\phi_2) &= -\frac{1}{2} \left[m_{11}^2 (\phi_1^{\dagger}\phi_1) + \left(m_{12}^2 (\phi_1^{\dagger}\phi_2) + \text{h.c.} \right) + m_{22}^2 (\phi_2^{\dagger}\phi_2) \right] \\ &+ \frac{\lambda_1}{2} (\phi_1^{\dagger}\phi_1)^2 + \frac{\lambda_2}{2} (\phi_2^{\dagger}\phi_2)^2 + \lambda_3 (\phi_1^{\dagger}\phi_1) (\phi_2^{\dagger}\phi_2) + \lambda_4 (\phi_1^{\dagger}\phi_2) (\phi_2^{\dagger}\phi_1) \\ &+ \frac{1}{2} \left[\lambda_5 (\phi_1^{\dagger}\phi_2)^2 + \lambda_6 (\phi_1^{\dagger}\phi_2) (\phi_1^{\dagger}\phi_1) + \lambda_7 (\phi_1^{\dagger}\phi_2) (\phi_2^{\dagger}\phi_2) + \text{h.c.} \right] \; . \end{split}$$

4 parameters can be complex and potential to trigger CP violation:

$$m_{12}^2$$
 λ_5 λ_6 λ_7

• Z₂ symmetry: Preventing Tree level FCNC

$$Z_2$$
 : $\phi_1 \to -\phi_1$ $\phi_2 \to \phi_2$ $Q_L \to Q_L$ $L \to L$

No CPV if exact, so soft break retain non-zero m_{12}^2

Model	u_R	d_R	e _R	
Type-I	+	+	+	
Type-II	+	-	-	
Lepton-Specific	+	+	-	
Fillped	+	-	+	

Only two parameter can be complex:

$$m_{12}^2 \quad \lambda_5 \qquad \qquad \lambda_6 = \lambda_7 = 0$$

In our analysis we will restrict our self in a soft breaking Z2 symmetric model to prevent problematic tree level flavor changing neutral current. With the different assignment of Z2 charge to higgs doublet fermion fields, there are generally 4 types of model, in our following analysis, we will only concentrate on the type-I and type-II model.

Under the soft Z2 symmetry breaking lambda6 and lambda7 =0 leaving only m122 and lambda5 potentially be complex.

• After EWSB

$$\langle \phi_1 \rangle = \begin{pmatrix} 0 \\ v_1 e^{i\delta_1} \end{pmatrix} \quad \langle \phi_2 \rangle = \begin{pmatrix} 0 \\ v_2 e^{i\delta_2} \end{pmatrix} \quad \tan \beta = v_2/v_1$$

• Subset of U(2) that keeps $\lambda_6 = \lambda_7 = 0$

$$e^{i\psi} \left(\begin{array}{cc} 1 & 0 \\ 0 & e^{i\chi} \end{array} \right) \qquad e^{i\psi} \left(\begin{array}{cc} 0 & 1 \\ e^{i\chi} & 0 \end{array} \right)$$

absorb the phase in the vev without loose generality

 m_{12}^2 and λ_5 are not Independent related by the minimization condition of potential:

$$\operatorname{Im}(m_{12}^2) = v_1 v_2 \operatorname{Im}(\lambda_5)$$
 Only one phase related parameter α_b

After electroweak symmetry breaking, the vev of two Higgs doublet can generally be complex, one is free to use a Higgs basis transformation that keeps lambda6 and lambda7 zero to absorb the two phases in the vev without loss of generality. So now there are only two independent phases left in the potential parameters m122 and lambda5, however the tadploe condition will related the imaginary part of these two parameters by this formular, which imply that there is only one parameter related to CPV in our model, later we will see that we encode this CPV information in a mixing angle alphab when diagnolizing the neutrual Higgs mass matrix.

• Changing parameter set In the unitary gauge:

$$\phi_1 = \begin{pmatrix} -\sin\beta H^+ \\ \frac{1}{\sqrt{2}}(v\cos\beta + H_1^0 - i\sin\beta A^0) \end{pmatrix}, \quad \phi_2 = \begin{pmatrix} \cos\beta H^+ \\ \frac{1}{\sqrt{2}}(v\sin\beta + H_2^0 + i\cos\beta A^0) \end{pmatrix}$$

$$\lambda_1, \lambda_2, \lambda_3, \lambda_4, \operatorname{Im}\lambda_5, \operatorname{Re}\lambda_5, \operatorname{Re}m_{12}^2, \operatorname{Im}m_{12}^2, m_{11}^2, m_{22}^2$$

$$\operatorname{Mass of charge Higgs}(1)$$

$$\operatorname{Diagonalization of neutral Mass matrix}(6)$$

$$v, \tan\beta, \nu, \alpha, \alpha_b, \alpha_c, m_{h_1}, m_{h_2}, m_{h_3}, m_{h_H}^+$$

$$\nu = \frac{\operatorname{Re}m_{12}^2}{v^2\sin2\beta}$$

In the unitary gauge one can write down two higgs doublet in this form, where H1 and H2 are two CP even Higgs, and A is the CP odd Higgs. One can further change the set of potential parameters to the set of physical parameters using these relations. One of the minimization condition will related ImI5 and Im m122 So finally we will end up with 9 physical parameters.

Among these relation I will particularly mention

• Changing parameter set In the unitary gauge:

$$\phi_{1} = \begin{pmatrix} -\sin\beta H^{+} \\ \frac{1}{\sqrt{2}} (v\cos\beta + H_{1}^{0} - i\sin\beta A^{0}) \end{pmatrix}, \quad \phi_{2} = \begin{pmatrix} \cos\beta H^{+} \\ \frac{1}{\sqrt{2}} (v\sin\beta + H_{2}^{0} + i\cos\beta A^{0}) \end{pmatrix}$$
$$\lambda_{1}, \lambda_{2}, \lambda_{3}, \lambda_{4}, \boxed{\text{Im}} \lambda_{5} \text{Re} \lambda_{5}, \text{Re} m_{12}^{2}, \boxed{\text{Im}} m_{12}^{2} m_{11}^{2}, m_{22}^{2}$$

Minimization condition (3)



Mass of charge Higgs (1)

Diagonalization of neutral Mass matrix (6)

$$v,\tan\beta,\nu,\alpha,\alpha_b,\alpha_c,m_{h_1},m_{h_2},m_{h_3},m_{h_H^+}$$

$$\nu=\frac{\mathrm{Re}m_{12}^2}{v^2\sin2\beta}$$

• Changing parameter set In the unitary gauge:

$$\phi_1 = \begin{pmatrix} -\sin\beta H^+ \\ \frac{1}{\sqrt{2}}(v\cos\beta + H_1^0 - i\sin\beta A^0) \end{pmatrix}, \quad \phi_2 = \begin{pmatrix} \cos\beta H^+ \\ \frac{1}{\sqrt{2}}(v\sin\beta + H_2^0 + i\cos\beta A^0) \end{pmatrix}$$

$$\lambda_1, \lambda_2, \lambda_3, \lambda_4, \text{Im}\lambda_5 \text{ Re}\lambda_5, \text{Re} \, m_{12}^2, \text{ mm}_{12}^2 \text{ mm}_{12}^2, m_{11}^2, m_{22}^2$$

$$\text{Minimization condition (3)} \qquad \text{Mass of charge Higgs (1)}$$

$$v, \tan\beta, \nu, \alpha \alpha_b \alpha_c, m_{h_1}, m_{h_2}, m_{h_3}, m_{h_H}^+$$

$$\nu = \frac{\text{Re}m_{12}^2}{v^2 \sin 2\beta}$$

• Diagonalization of neutral Higgs mass matrix

$$RM_{n}^{2}R^{T} = \operatorname{diag}(m_{h_{1}}^{2}, m_{h_{2}}^{2}, m_{h_{3}}^{2}) \quad (h_{1}, h_{2}, h_{3}) = (H_{1}^{0}, H_{2}^{0}, A^{0})R$$

$$R = R_{23}(\alpha_{c})R_{13}(\alpha_{b})R_{12}(\alpha + \pi/2)$$

$$-\frac{\pi}{2} < \alpha_{c}, \ \alpha_{b}, \ \alpha \leq \frac{\pi}{2}$$

$$M_{n}^{2} = v^{2} \begin{pmatrix} \lambda_{1}c_{\beta}^{2} + \nu s_{\beta}^{2} & (\lambda_{345} - \nu)c_{\beta}s_{\beta} & -\frac{1}{2} \operatorname{Im} \lambda_{5}s_{\beta} \\ (\lambda_{345} - \nu)c_{\beta}s_{\beta} & \lambda_{2}s_{\beta}^{2} + \nu c_{\beta}^{2} & -\frac{1}{2} \operatorname{Im} \lambda_{5}c_{\beta} \\ -\frac{1}{2} \operatorname{Im} \lambda_{5}s_{\beta} & -\frac{1}{2} \operatorname{Im} \lambda_{5}c_{\beta} & -\operatorname{Re} \lambda_{5} + \nu \end{pmatrix}$$

Non-vanishing $\text{Im}\lambda_5$ signals the mixing between CP even and CP odd Higgs, i.e. trigger CP Violation in the scalar sector.

8

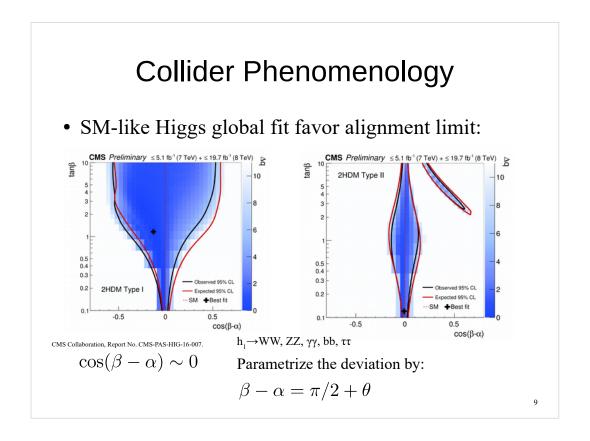
$$\alpha_c = \left\{ \begin{array}{ll} \alpha_c^-, & \alpha+\beta \leq 0 \\ \alpha_c^+, & \alpha+\beta > 0 \end{array} \right., \qquad \tan \alpha_c^\pm = \frac{\mp |\sin \alpha_b^{\max}| \pm \sqrt{\sin^2 \alpha_b^{\max} - \sin^2 \alpha_b}}{\sin \alpha_b} \sqrt{\frac{m_{h_3}^2 - m_{h_1}^2}{m_{h_2}^2 - m_{h_1}^2}}. \label{eq:alpha_c}$$

In general the neutral Higgs mass matrix can be written in this form, one can clearly see that the non-zero Im part of lambda5 will trigger the mixing between CP even and CP odd Higgs which signals the CP violation in the scalar sector.

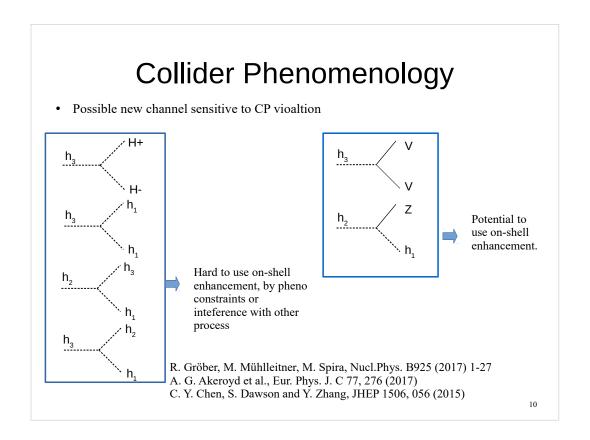
Rotation matrix can be parametrized by three mixing angle alphab alphac and alpha. And the higgs mass eigen state is call h1 h2 and h3, under this parametrization, when alphab and alphac is mall, the h2 corresponds to the most CP even higgs and h3 corresponds to the most CP odd Higgs.

Alphab and aphac is related to this relation, this expression generate a theoretical bond where one must ensure there is a real solution for alphac.

Collider Phenomenology



The first concept I would like to discuss is the so called alignment limit, which denoted by cosb-a=0, in the CPC 2HDM, under this condition the coupling between SM like Higgs and other SM particles like vector boson become their SM values automatically without setting the mass of heavy higgs to infinity. This is where the words "alignment" come from. This is the global fit for the Higgs signal strength from LHC run-I results. One can observe that in the Type-II model, the absolute value of cosb-a is strongly constriant to the alignment limit. In spite of the possibility that in the Type-I model the deviation from the alignment limit can be large at large tanbeta. In the following analysis we foucus on the case of small deviation, and we parametrize the small deviation by a small parameter theta.



Here we list the several three point vertices that are potentially be used to probe the CPV in the scalar sector in the collider experiments. The vertices in the left column are generally hard to use on-shell enhancement due to either phenomenological constraint or submerged by large non-resonant process with the same final state.

While the diagram on the right will be able to take the advantage of the onshell enhancement, which is studied by this literature.

• Higgs couplings:

$$\mathcal{L}_{int} = -\frac{m_f}{v} h_i \left(c_{f,i} \bar{f} f + \tilde{c}_{f,i} \bar{f} i \gamma_5 f \right)$$

$$+ a_i h_i \left(\frac{2m_W^2}{v} W_\mu W^\mu + \frac{m_Z^2}{v} Z_\mu Z^\mu \right)$$

$$+ g_{iz1} Z^\mu ((\partial_\mu h_i) h_1 - h_i \partial_\mu h_1)$$

Two types of new couplings:

Now let's take a closer look of the coupling related to these two channels that are possible to take advantage of on-shell enhancement. We denote ai are the couplings between the higgs and vector boson, giz1 are the couling between heavy higgs and z h. One can expand these couplings in the small cp vioaltion angle limit and also small deviation from the alignment limit. It is significant to notice that the h2zh coupling is directly sensitive to the cp violation angle while the h3 to zh coupling is sensitive to the deviation from the alignment limit. Later we will only focus on these two processes. This is the most important slides in my talk.

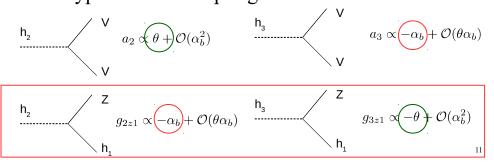
• Higgs couplings:

$$\mathcal{L}_{int} = -\frac{m_f}{v} h_i \left(c_{f,i} \bar{f} f + \tilde{c}_{f,i} \bar{f} i \gamma_5 f \right)$$

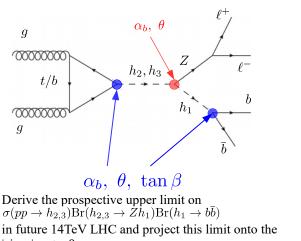
$$+ a_i h_i \left(\frac{2m_W^2}{v} W_\mu W^\mu + \frac{m_Z^2}{v} Z_\mu Z^\mu \right)$$

$$+ g_{iz1} Z^\mu ((\partial_\mu h_i) h_1 - h_i \partial_\mu h_1)$$

Two types of new couplings:



• In the following we will focus on the process



 $\sigma(pp \to h_{2,3}) \operatorname{Br}(h_{2,3} \to Zh_1) \operatorname{Br}(h_1 \to b\bar{b})$ in future 14TeV LHC and project this limit onto the |sinα | vs tanβ

12

I will focus on this particluar channel in the following analysis and derive the prosecptive upper limit on this quantity in future HL LHC. We search for the production of heavy Higgs in gluon fusion mode, with the heavy Higgs decay to Z and h1, and subsequently decay two leptons and two b quark final state. In this process, this coupilng is sensitive to CP violation angle alphab and the theta that parametrize the deviation from the alignment limit, these two couplings are sensitive to alphab, theta and also tanbeta. We will see in the following analysis how the combination of these three couplings influence our final results.

- ATLAS 8TeV analysis revisit (p p \rightarrow A \rightarrow Z(ll)h(bb))
- 2e or 2 opposite sign μ , with $P_t > 7$ GeV and $|\eta_e|(|\eta_u|) < 2.5(2.7)$,
- Exactly 2 b tagged jets, with $P_{T,b}^{lead} > 45 \text{ GeV}$ and $P_{T,b}^{sub} > 20 \text{ GeV}$,
- $83 < m_{11} < 95$, and $95 < m_{bb} < 135$.
- $E_T^{miss}/\sqrt{H_T} < 3.5 \text{ GeV}^{1/2}$
- $P_T^z > 0.44 M_{h2.3} 106 GeV$

ATLAS Collaboration Phys.Lett. B744 (2015) 163-183

13

Before derive the projected limit in 14 TeV. We first try to reproduce the ATLAS 8TeV result to calibrate our monte carlo simulation. These are the cuts used in the ATLAS analysis

- ATLAS 8TeV analysis revisit
- 2e or 2 opposite sign μ , with $P_t > 7$ GeV and $|\eta_e|(|\eta_u|) < 2.5(2.7)$,
- Exactly 2 b tagged jets, with $P_{T,b}^{lead} > 45 \text{ GeV}$ and $P_{T,b}^{sub} > 20 \text{ GeV}$,
- $83 < m_{II} < 95$, and $95 < m_{bb} < 135$. Reduce diboson background
- $E_T^{miss}/\sqrt{H_T} < 3.5 \text{ GeV}^{1/2}$
- $P_T^z > 0.44 M_{h2.3} 106 GeV$

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14

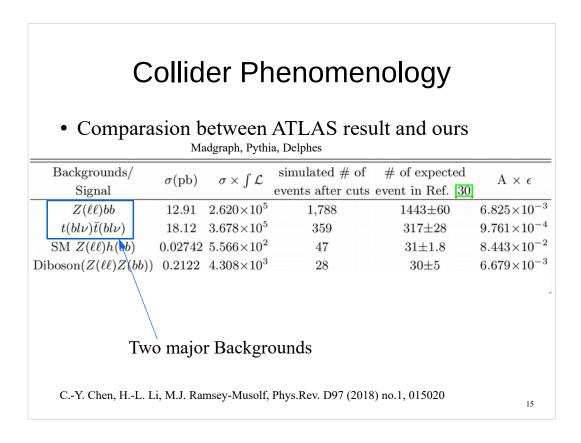
We demand this quantity less than 3.5, where Ht is the scalar sum of the pt of all the object in the final state. Finally we demand the PT of the reconstructed Z boson to be large then a value depend on the reconstructed invariant mass of the heavy higgs.

- ATLAS 8TeV analysis revisit
- 2e or 2 opposite sign μ , with $P_t > 7$ GeV and $|\eta_e|(|\eta_{\mu}|) \le 2.5(2.7)$,
- Exactly 2 b tagged jets, with $P_{T,b}^{lead} > 45 \text{ GeV}$ and $P_{T,b}^{sub} > 20 \text{ GeV}$,
- $83 < m_{ll} < 95$, and $95 < m_{bb} < 135$. Reduce diboson background
- $E_T^{miss}/\sqrt{H_T} < 3.5 \; GeV^{1/2}$ Reduce ttbar background
- $P_T^Z > 0.44 M_{h2,3} 106 \text{ GeV}$

ATLAS Collaboration Phys.Lett. B744 (2015) 163-183

- ATLAS 8TeV analysis revisit
- 2e or 2 opposite sign μ , with $P_t > 7$ GeV and $|\eta_e|(|\eta_{\mu}|) \le 2.5(2.7)$,
- Exactly 2 b tagged jets, with $P_{T,b}^{lead} > 45 \text{ GeV}$ and $P_{T,b}^{sub} > 20 \text{ GeV}$,
- $83 < m_{ll} < 95$, and $95 < m_{bb} < 135$. Reduce diboson background
- $\bullet \quad E_{T}^{miss}/\sqrt{H_{T}} < 3.5 \,\, GeV^{1/2} \qquad \qquad \\ \blacksquare \quad \text{Reduce ttbar background}$

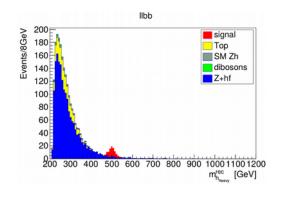
ATLAS Collaboration Phys.Lett. B744 (2015) 163-183

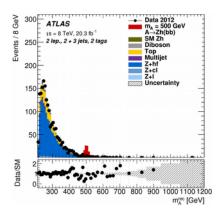


We use this cut obtained the similar results in the ATLAS paper

We simulate these four backgrounds using Madgraph, pythia and Delphes. This coluum is the result from our simulation, this coluum is the result estimated by ATLAS group. We can see that our result generally matches the ATLAS results, with a slight more Zbb background

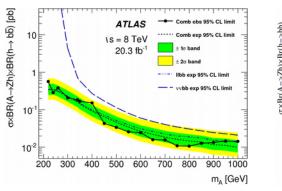
• Comparasion between ATLAS result and ours

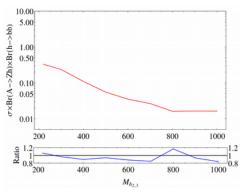




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• ATLAS 8TeV analysis revisit



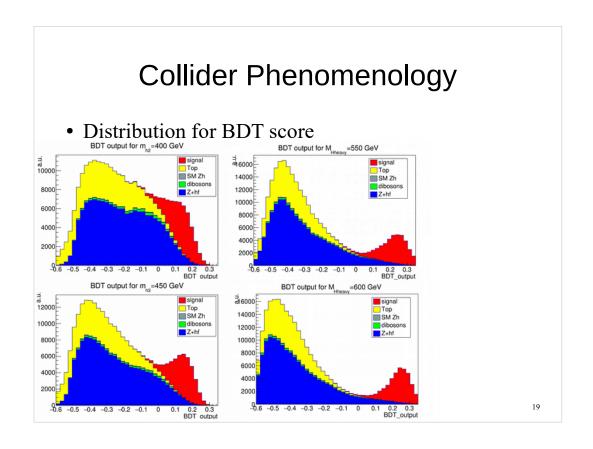


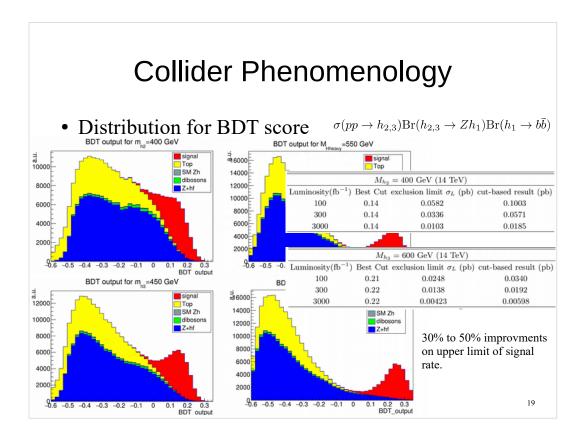
We reproduce the ATLAS results very well.

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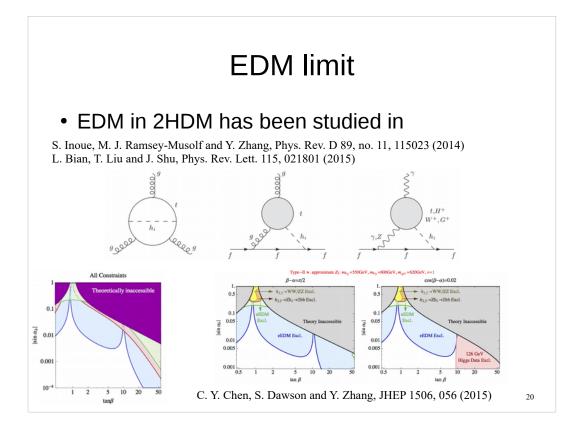
- 14 TeV forecast
- First select two leptons and two b tagged jets with same kinematic cuts:
- 2e or 2 opposite sign μ , with $P_t > 7$ GeV and $|\eta_e|(|\eta_u|) < 2.5(2.7)$,
- Exactly 2 b tagged jets, with $P_{T,b}^{lead} > 45 \text{ GeV}$ and $P_{T,b}^{sub} > 20 \text{ GeV}$,
- Then we compute following quantities as inputs for Boosted Decision Tree(BDT) to optimize the selection.

 $p_{T,\ell}^{\text{lead}}, p_{T,\ell}^{\text{sub}}, p_{T,b}^{\text{lead}}, p_{T,b}^{\text{sub}}, m_{\ell\ell}, m_{bb}, p_T^Z, p_T^h, E_T^{\text{miss}} / \sqrt{H_T}, \Delta R_{\ell\ell}, \Delta R_{jj}, \Delta R_{Zh}, \Delta \phi_{Zh},$





Next we find a cut on the BDT scoure to obatin the optimized upper limit on this quantity. We find that the BDT analysis generally give 30% to 50% improvement.



In general the EDM is generated by these three kinds It is found that, for the electron EDM, There is cancellation between the barr-zee diagram around tanbeta =1 in the type-II model. That means the EDM experiemnts are not sensitive to the test of the CPV in the 2HDM in this region. This is the reason that this paper propse the collider experiment as a complementary to EDM experiments to help to close up the parameter space in this region.

EDM Limit

• EDM limits we take into account:

Source	Current EDM (e cm)	Projected EDM (e cm)
Electron (e)	$d_{\rm e} < 8.7 \times 10^{-29} \text{ at } 90\% \text{ CL}$ 15	$d_{\rm e} < 8.7 \times 10^{-30}$ [18]
Neutron (n)	$d_{\rm n} < 2.9 \times 10^{-26} \text{ at } 90\% \text{ CL}$ 16	$d_{\rm n} < 2.9 \times 10^{-28}$ [18]
Mercury (Hg)	$d_{\rm Hg} < 7.4 \times 10^{-30} \text{ at } 95\% \text{ CL}$ 48	-
Radium (Ra)	-	$d_{\rm Ra} < 10^{-27}$ [18]

Electron: J. Baron et al. [ACME Collaboration], Science 343, 269 (2014)
Neutron: Baker, C. A. et al., Phys. Rev. Lett. 97, 131801 (2006)
Mercury: B. Graner, Y. Chen, E. G. Lindahl and B. R. Heckel, Phys. Rev. Lett. 116, no. 16, 161601 (2016)

Projected: K. Kumar, Z. T. Lu and M. J. Ramsey-Musolf, arXiv:1312.5416

Result

• Two Benchmarks

m_{h_2}	m_{h_3}	m_{H^+}	ν
400 GeV	450 GeV	420 GeV	1
550 GeV	600 GeV	620 GeV	1

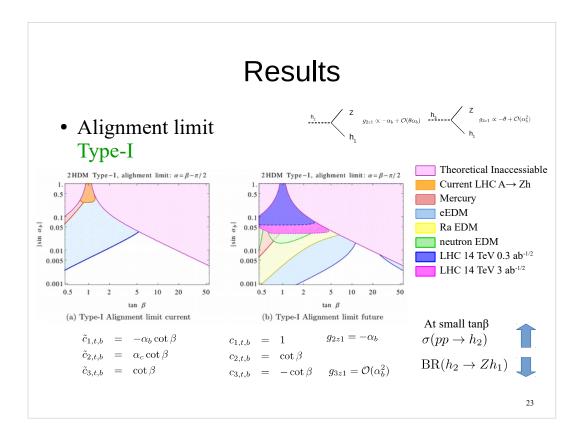
They satisfy the Electroweak Precision Data.

Result

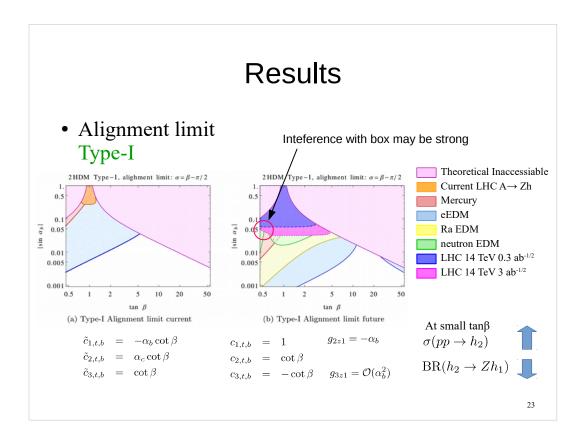
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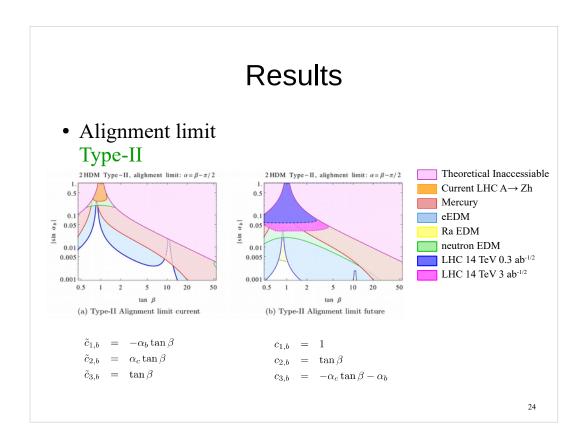
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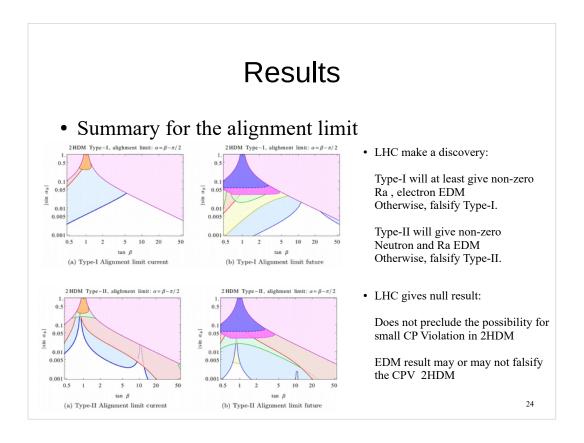
Now Let's move on to the results. First I will discuss about the results in the alignment limit, specifically in the Type-I model. The left plot is the current exclusion limit, and the right one is the future projected limit. The verticle axis is ... which denote the level of CP violation, the horizontal axis is the tanbeta. The pink region is excluded by the theoretical constraints: stability. unitarity and the existence of real solution for alphac in terms of alphab. The orange region is the current LHC limit from a search of the heavy higgs to Zh, and this blue and magenta region projected future LHC limit with 300 and 3000 inverse fb respectively. The light red is the mercury edm, the blue is the electron EDM, the green is the neutron EDM. Let me remind you that in the alignment limit the coupling between h3 and Zh is highly suppressed, so the LHC exclusion limit mainly comes from the exclusion of h2. One can find that in the low tanbeta region the electron EDM is very powerful, this is due to the fact that the pseudoscalar coupling between higgs and fermion will be enhanced by cotbeta. However the Collider search cannot fully take advantage of this enhancement because the increasing coupling to the b guark will reduce the branching ratio for h2 decay to Zh.



One should also notice that there is a small piece in the future collider exclusion region is chopped by us. This is because, in this region the ampliduted for the resonance production become comparable to that of non-resonant box diagram. So the shape of the signal distribution might not be approximated by our simple simulation. In that case we do not trust our analysis in that region.

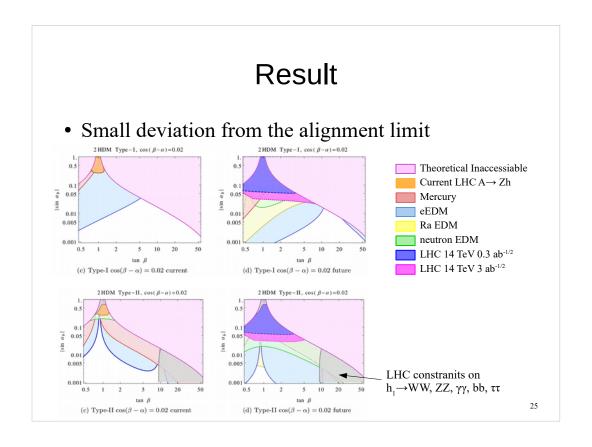


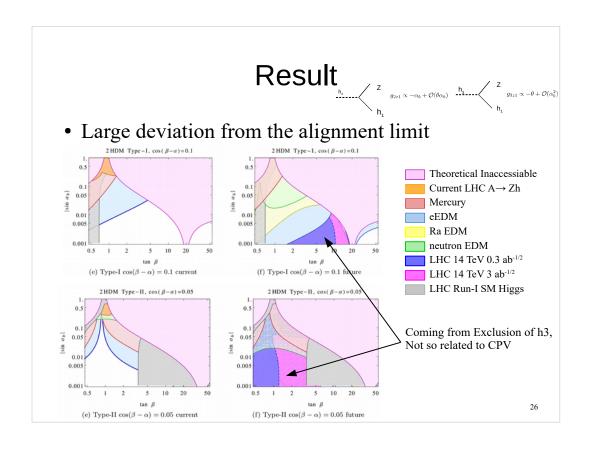
The situation is pretty similar in the type II model for the collider exclusion. However the shape of EDM exclusion is changed lot, the most prominent one is that the electron EDM will present the cancellation around tanbeta =1. And also one should notice that the neutron EDM does not have this limitation, and it will outperform the collider search.



Here is the summary for the alignment limit. If our nature is realized by the 2HDM in the alignment limit, then If future LHC make a discovery, then one can immediately conclude that there is a CP violation in the 2HDM, and expected to see the corresponding EDM signal. In this case if EDM gives null results then CPV 2HDM is falsified.

If LHC gives null result then it does not preclude the possibility for small CP violation in 2HDM. Non zero EDM result may or may not falsify the CPV2HDM depending on the value of the EDM. For example if the EDM result corresponding the point in the region that sensitive by the LHC limit then CPV2DHM is falsified

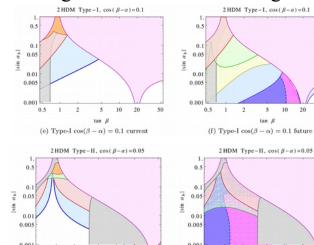




Result

(f) Type-II $\cos(\beta - \alpha) = 0.05$ future

• Large deviation from the alignment limit $_{2\text{HDM Type-I. cos}(\beta-\alpha)=0.1}$



tan β

(e) Type-II $\cos(\beta - \alpha) = 0.05$ current

- LHC make a discovery:
 - One may not conclude that there is a sizeable CPV effect. Need further CP information of the newly discovered particle.
- LHC gives null results: A non-zero EDM result will falsify CPV 2HDM.

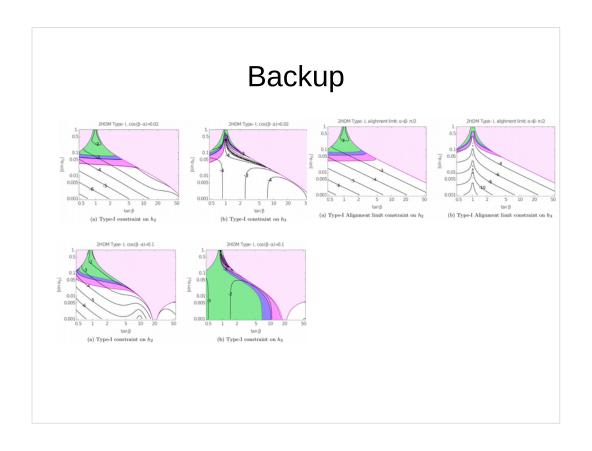
Summary

- Discussed the CPV condition in the 2HDM
- The $h_{23} \rightarrow Zh_1$ is a good process to constraint CP
- EDM experiments will generally better than collider experiments in testing CPV, while the interplay of both experiments will help to falsify CPV 2HDM.

Back up

· Detail of Basis Invariants

$$\begin{split} I_1 &= I_3 = 0 \quad \text{due to } \lambda_6 = \lambda_7 = 0 \\ I_2 &= (\lambda_1 - \lambda_2) [\text{Im}((m_{12}^2)^2 \lambda_5^*)] \\ I_4 &= 1/2 [(\lambda_1 - \lambda_3 - \lambda_4)(\lambda_2 - \lambda_3 - \lambda_4) - |\lambda_5^2|] \\ &\qquad \times (m_{22}^2 - m_{11}^2) \text{Im}((m_{12}^2)^2 \lambda_5^*) \\ J_1 &= (\lambda_1 - \lambda_2) \text{Im}(m_{12}^2) \\ J_2 &= 1/2 v_1 v_2 (v_1 v_2 (m_{11}^4 - m_{22}^4) \text{Im}(\lambda_5) \\ &\qquad + (m_{11}^2 v_1^2 (\lambda_3 + \lambda_4 - \lambda_1) + m_{22}^2 v_2^2 (\lambda_2 - \lambda_3 - \lambda_4)) \text{Im}(m_{12}^2)) \end{split}$$

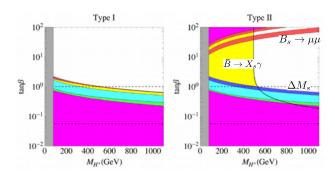


Backup

$$\begin{split} \lambda_1 &= \frac{m_{h_1}^2 \sin^2 \alpha \cos^2 \alpha_b + m_{h_2}^2 R_{21}^2 + m_{h_3}^2 R_{31}^2}{v^2 \cos \beta^2} - \nu \tan^2 \beta \;, \\ \lambda_2 &= \frac{m_{h_1}^2 \cos^2 \alpha \cos^2 \alpha_b + m_{h_2}^2 R_{22}^2 + m_{h_3}^2 R_{32}^2}{v^2 \sin \beta^2} - \nu \cot^2 \beta \;, \\ \mathrm{Re} \lambda_5 &= \nu - \frac{m_{h_1}^2 \sin^2 \alpha_b + \cos^2 \alpha_b (m_{h_2}^2 \sin^2 \alpha_c + m_{h_3}^2 \cos^2 \alpha_c)}{v^2} \;, \\ \lambda_3 &= \nu - \frac{m_{h_1}^2 \sin \alpha \cos \alpha \cos^2 \alpha_b - m_{h_2}^2 R_{21} R_{22} - m_{h_3}^2 R_{31} R_{32}}{v^2 \sin \beta \cos \beta} - \lambda_4 - \mathrm{Re} \lambda_5 \;, \\ \mathrm{Im} \lambda_5 &= \frac{2 \cos \alpha_b \left[(m_{h_2}^2 - m_{h_3}^2) \cos \alpha \sin \alpha_c \cos \alpha_c + (m_{h_1}^2 - m_{h_2}^2 \sin^2 \alpha_c - m_{h_3}^2 \cos^2 \alpha_c)^2 \sin \alpha \sin \alpha_b \right]}{v^2 \sin \beta} \\ \tan \beta &= \frac{(m_{h_2}^2 - m_{h_3}^2) \cos \alpha_c \sin \alpha_c + (m_{h_1}^2 - m_{h_2}^2 \sin^2 \alpha_c - m_{h_3}^2 \cos^2 \alpha_c) \tan \alpha \sin \alpha_b}{(m_{h_2}^2 - m_{h_3}^2) \tan \alpha \cos \alpha_c \sin \alpha_c - (m_{h_1}^2 - m_{h_2}^2 \sin^2 \alpha_c - m_{h_3}^2 \cos^2 \alpha_c) \sin \alpha_b} \;. \end{split}$$

Back up

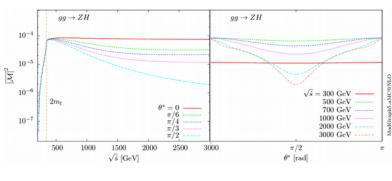
• Flavor Constraint



T. Enomoto and R. Watanabe, J. High Energy Phys. 05(2016) 002.

Backup

• Box interefence

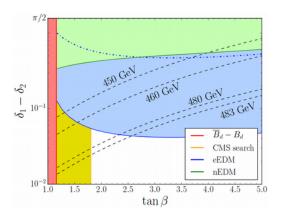


$$\overline{|\mathcal{M}|}_{res,peak}^2 > 10^{-4}$$

B. Hespel, F. Maltoni, and E. Vryonidou, J. High EnergyPhys. 06 (2015) 065

Backup

• Relation to Electroweak Bayrogenesis



G. C. Dorsch, S. J. Huber, T. Konstandin, and J. M. No, J. Cosmol. Astropart. Phys. 05 (2017) 052.